

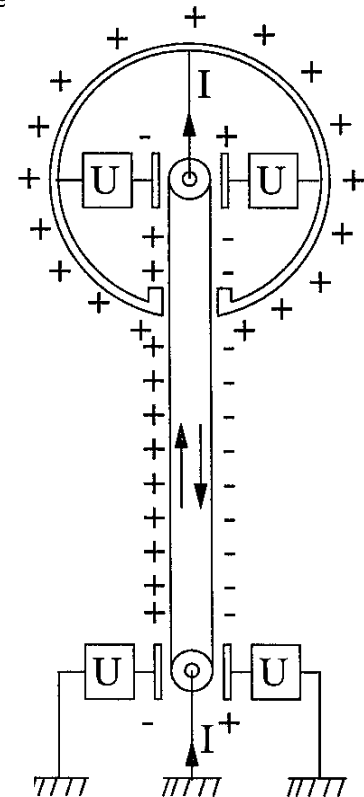
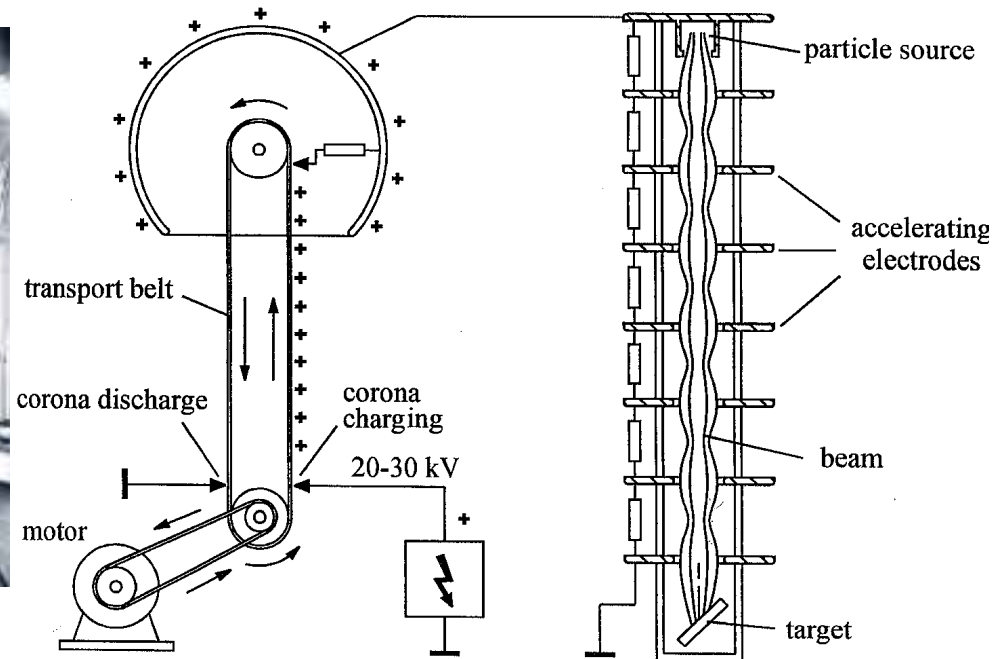


The Van de Graaff Accelerator



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- 1930: van de Graaff builds the first 1.5MV high voltage generator



Van de Graaff

- Today Pelletrons (with chains) or Laddertron (with stripes) that are charged by influence are commercially available.
- Used as injectors, for electron cooling, for medical and technical n-source via $d + t \mapsto n + \alpha$
- Up to 17.5 MV with insulating gas (1MPa SF₆)

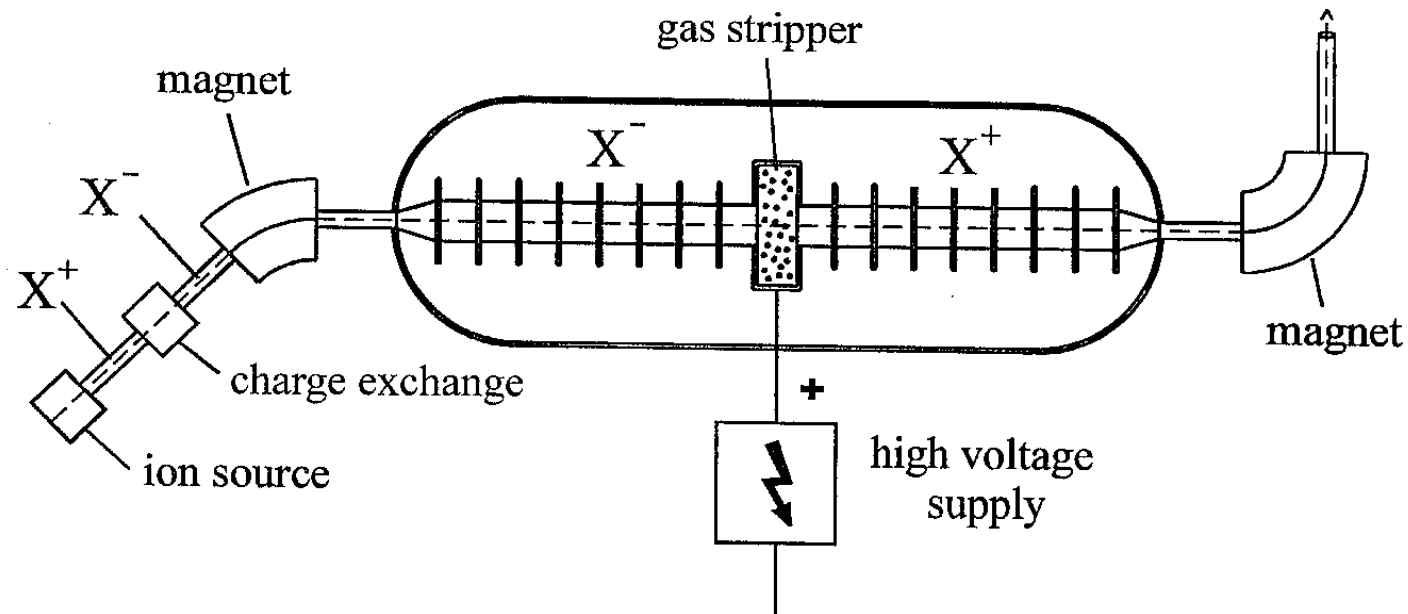


The Tandem Accelerator

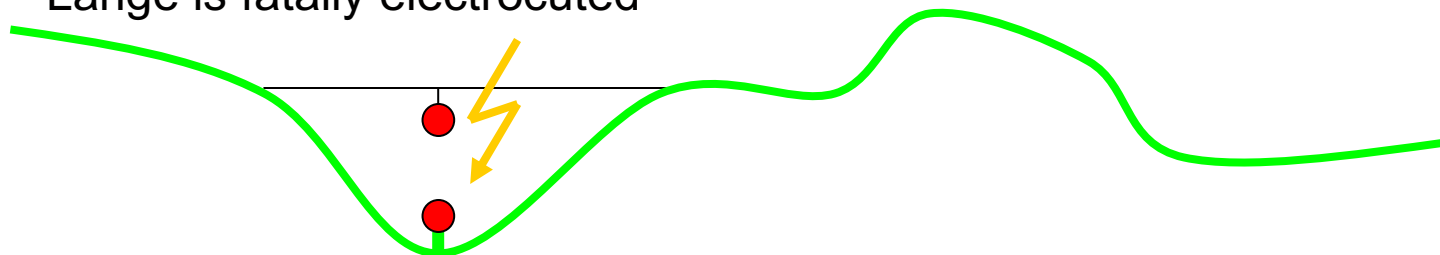


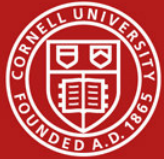
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- Two Van de Graaffs, one + one -
- The Tandem Van de Graaff, highest energy 35MeV



- 1932: Brasch and Lange use potential from lightning, in the Swiss Alps, Lange is fatally electrocuted



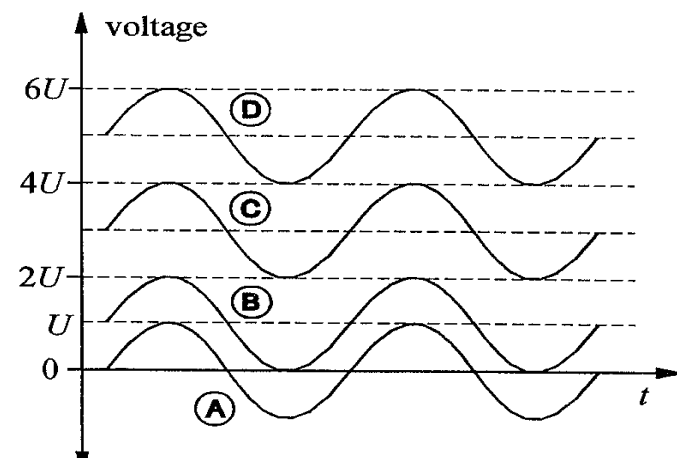
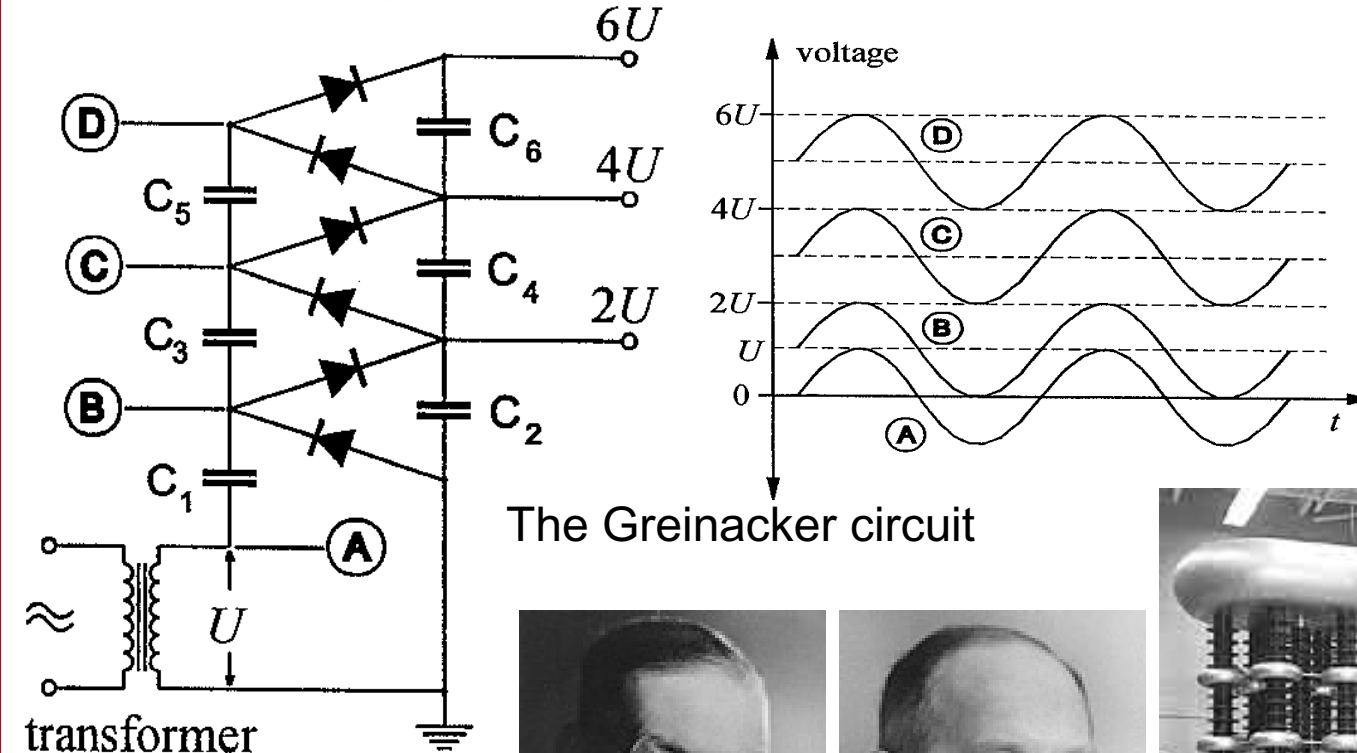


The Cockcroft-Walton Accelerator



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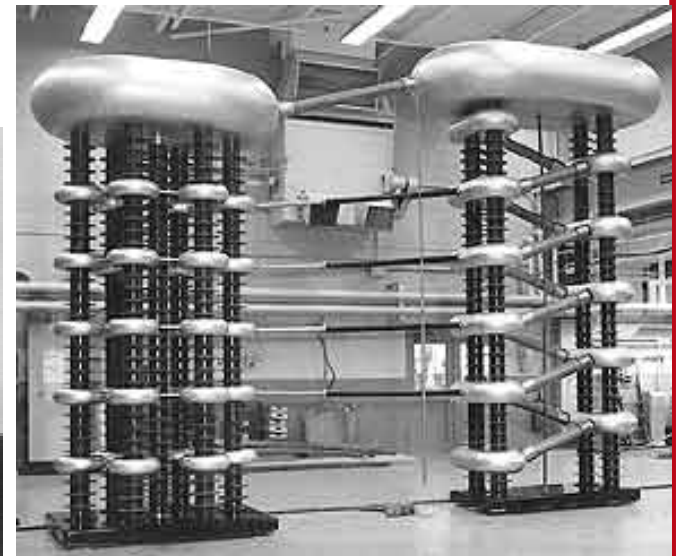
1932: Cockcroft and Walton 1932: 700keV cascade generator (planned for 800keV) and use initially 400keV protons for ${}^7\text{Li} + p \mapsto {}^4\text{He} + {}^4\text{He}$ and ${}^7\text{Li} + p \mapsto {}^7\text{Be} + n$



The Greinacker circuit

transformer
Up to 4MeV, 1A

NP 1951
Sir John D Cockroft
Ernest T S Walton



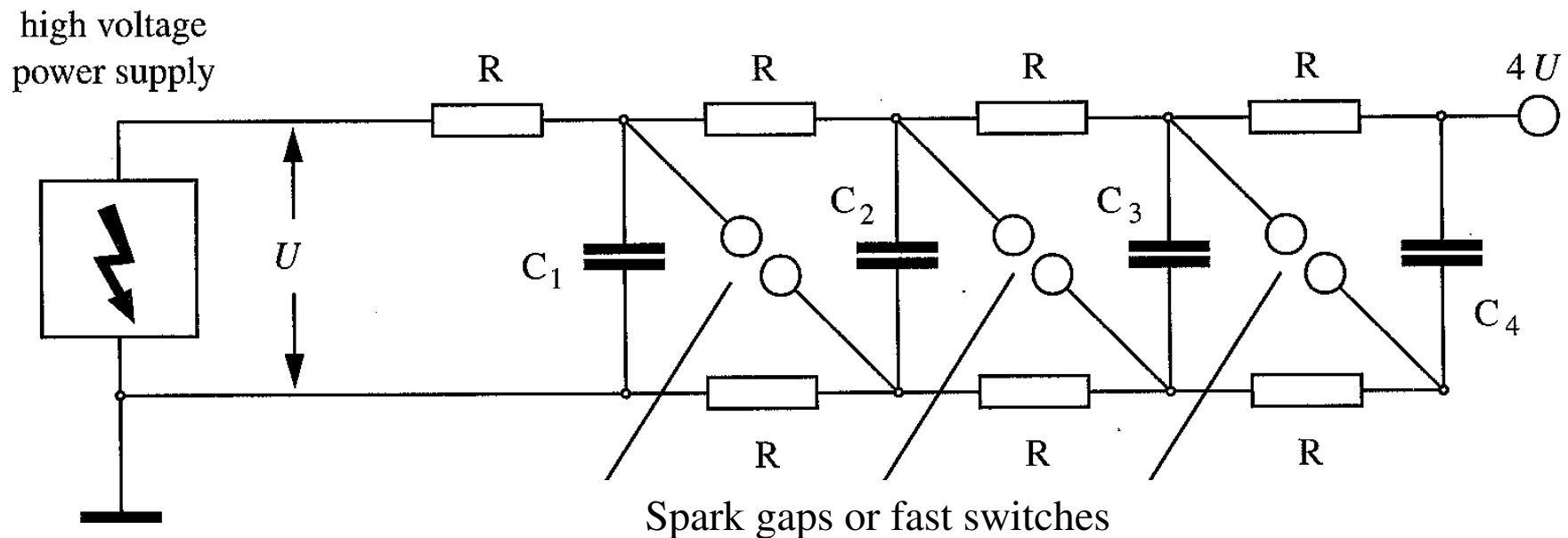


The Marx Generator



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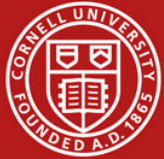
- 1932: Marx Generator achieves 6MV at General Electric



After capacitors of around $2\mu\text{F}$ are filled to about 20kV , the spark gaps or switches close as fast as 40ns , allowing up to 500kA .

Today:

The Z-machine (Physics Today July 2003) for z-pinch initial confinement fusion has 40TW for 100ns from 36 Marx generators



Three historic lines of accelerators



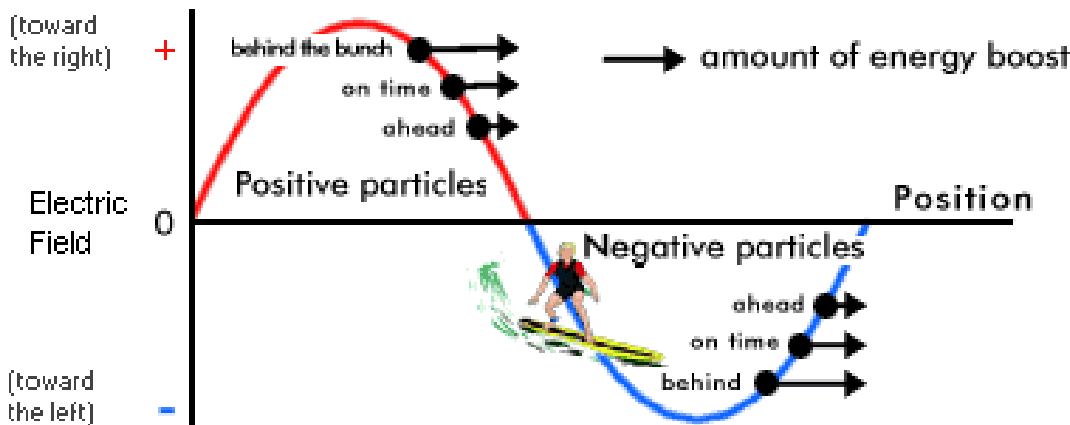
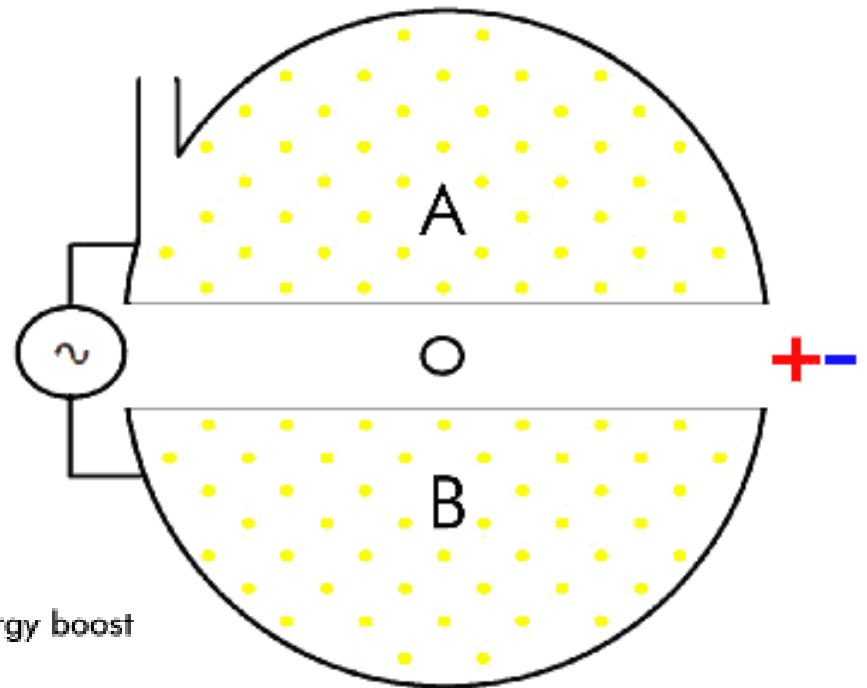
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Direct Voltage Accelerators



Resonant Accelerators

Transformer Accelerator



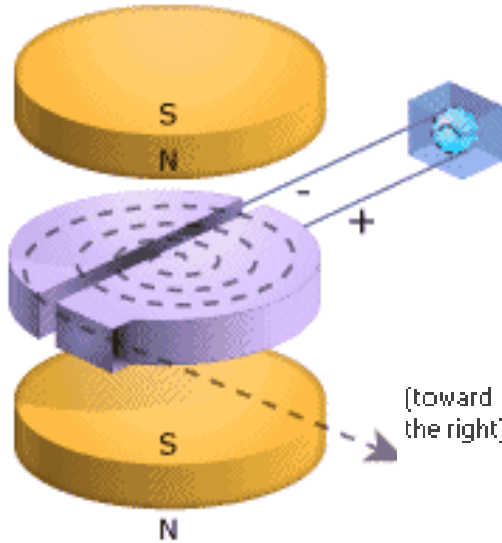
Particles must have the correct phase relation to the accelerating voltage.



The Cyclotron



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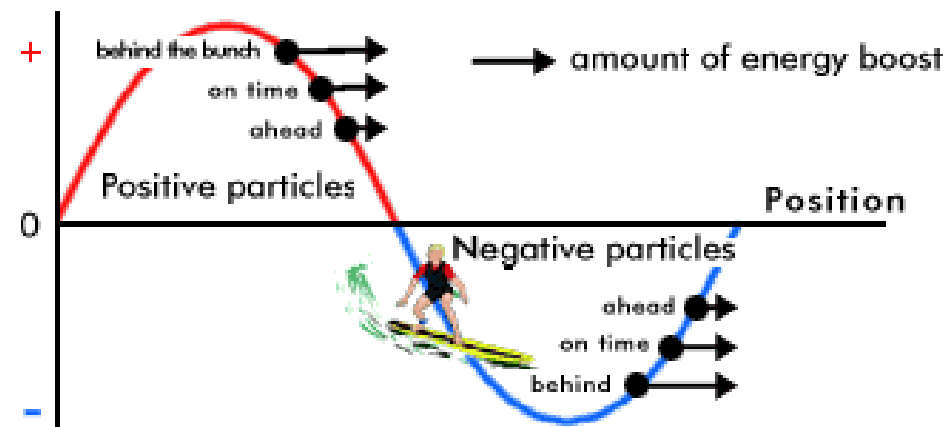


(toward the right)

Electric Field

(toward the left)

- 1930: Lawrence proposes the Cyclotron (before he develops a workable color TV screen)
- 1932: Lawrence and Livingston use a cyclotron for 1.25MeV protons and mention longitudinal (phase) focusing



NP 1939

Ernest O Lawrence

USA 1901-1958

- 1934: Livingston builds the first Cyclotron away from Berkely (2MeV protons) at Cornell (in room B54)



M Stanley Livingston

USA 1905-1986



The cyclotron frequency



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$$F_r = m_0 \gamma \omega_z v = qvB_z$$

$$\omega_z = \frac{q}{m_0 \gamma} B_z = \text{const}$$

Condition: Non-relativistic particles.

Therefore not for electrons.

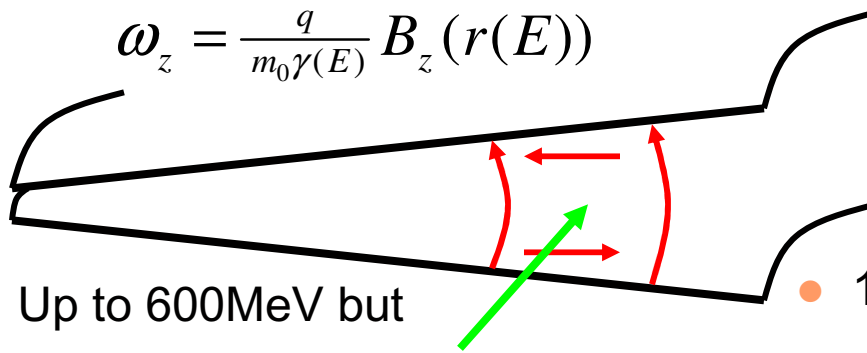
- The synchrocyclotron:

Acceleration of bunches with decreasing

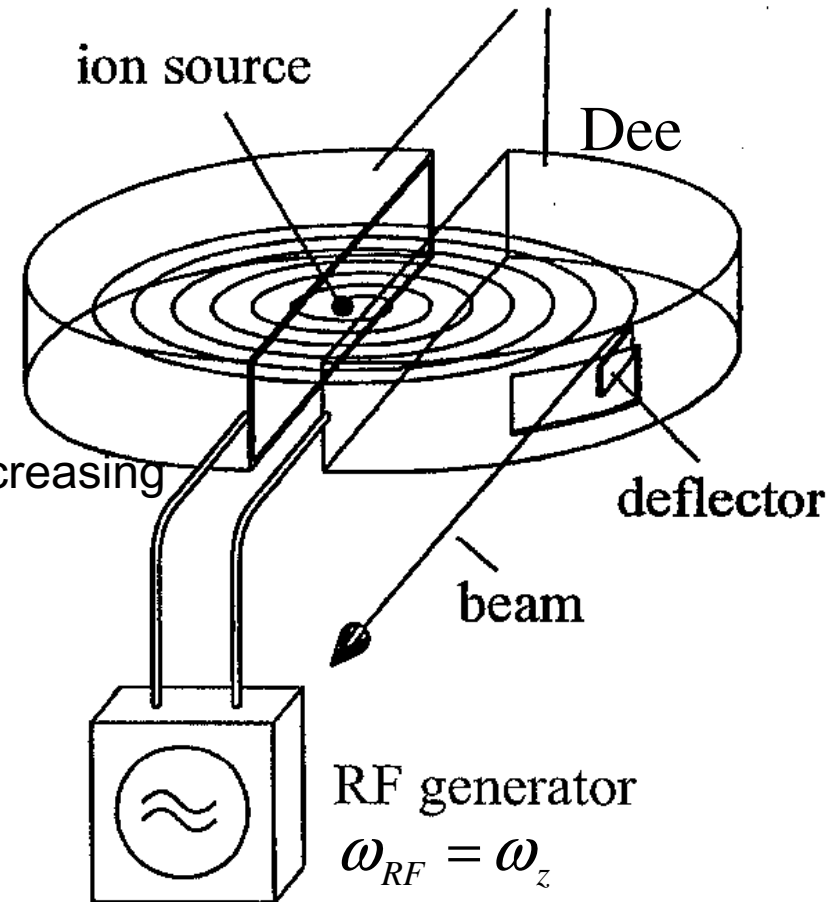
$$\omega_z(E) = \frac{q}{m_0 \gamma(E)} B_z$$

- The isocyclotron with constant

$$\omega_z = \frac{q}{m_0 \gamma(E)} B_z(r(E))$$



Up to 600MeV but
this vertically defocuses the beam



- 1938: Thomas proposes strong (transverse) focusing for a cyclotron



First Medical Applications



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- 1939: Lawrence uses 60' cyclotron for 9MeV protons, 19MeV deuterons, and 35MeV 4He . First tests of tumor therapy with neutrons via $d + t \rightarrow n + \alpha$
With 200-800keV d to get 10MeV neutrons.



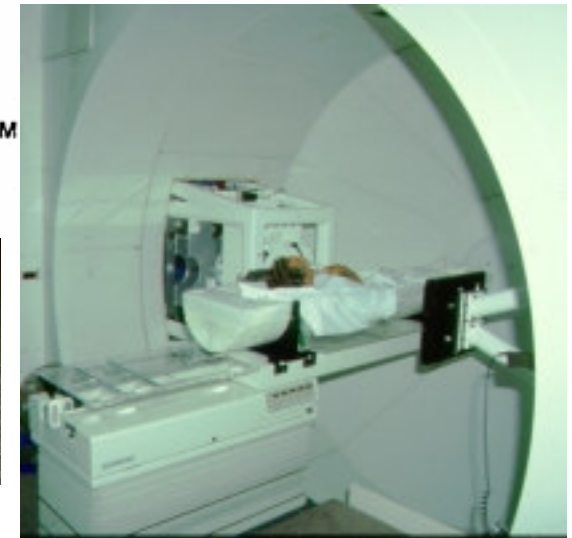
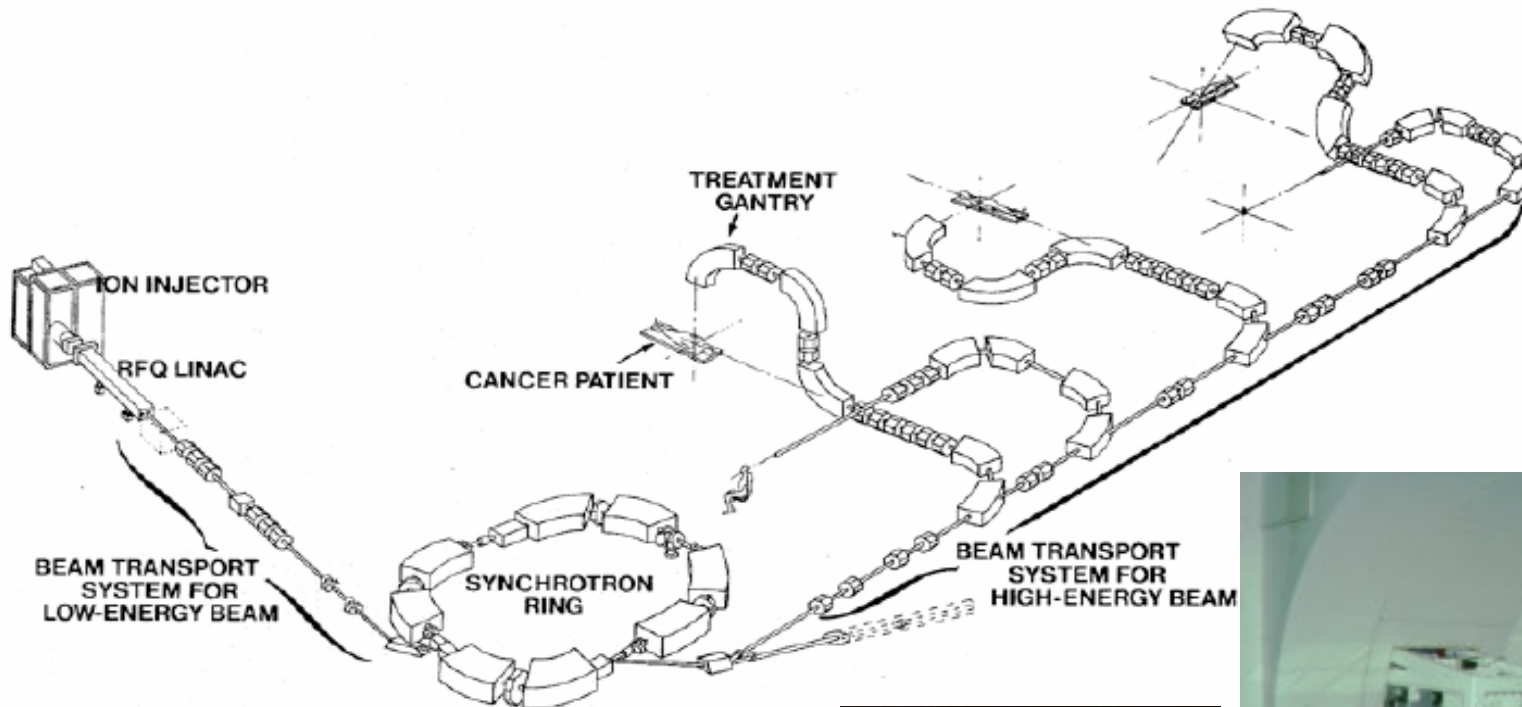


Modern Nuclear Therapy



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The Loma Linda proton therapy facility



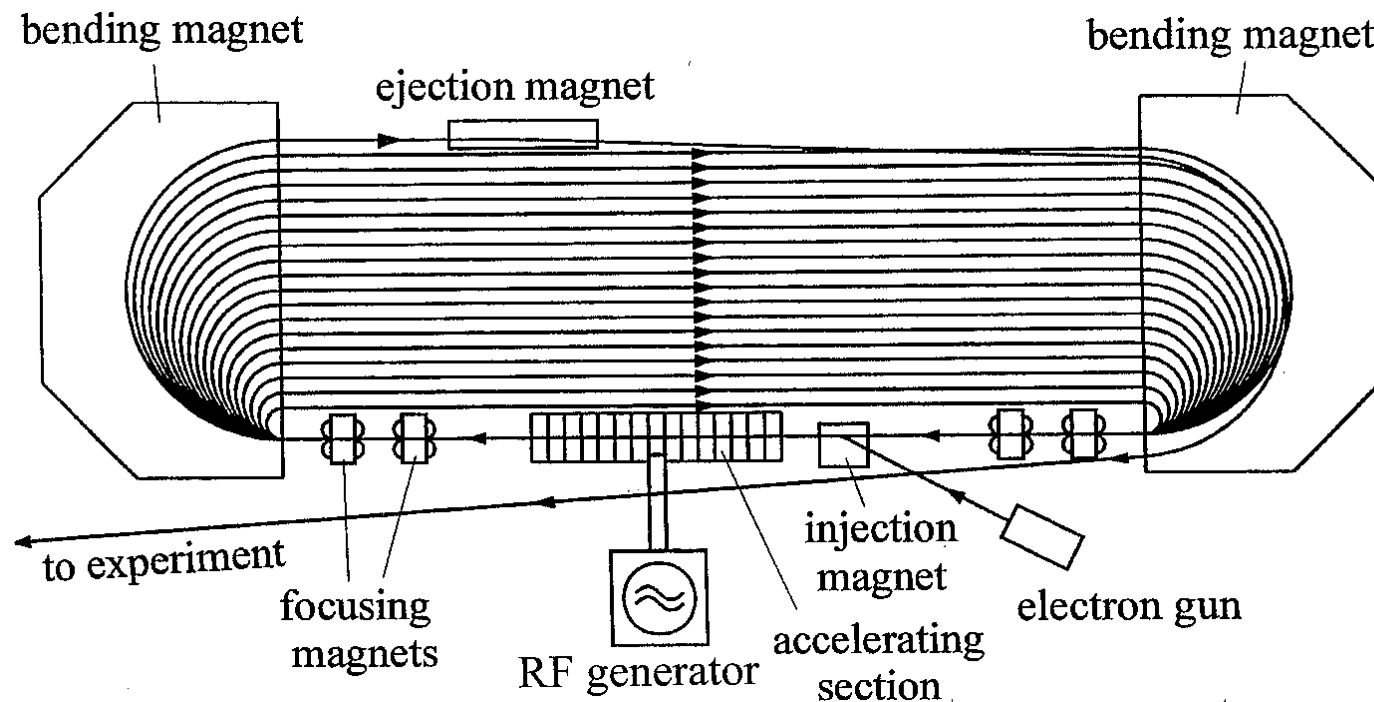


The microtron



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- Electrons are quickly relativistic and cannot be accelerated in a cyclotron.
- In a microtron the revolution frequency changes, but each electron misses an integer number of RF waves.



- Today: Used for medical applications with one magnet and 20MeV.
- Nuclear physics: MAMI designed for 820MeV as race track microtron.

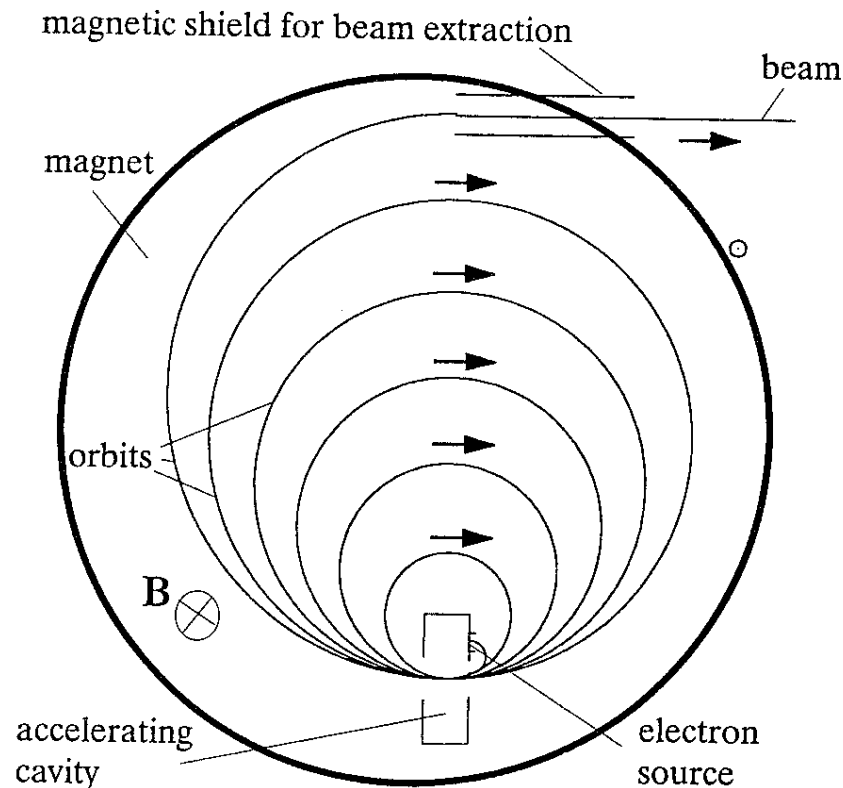


The microtron condition



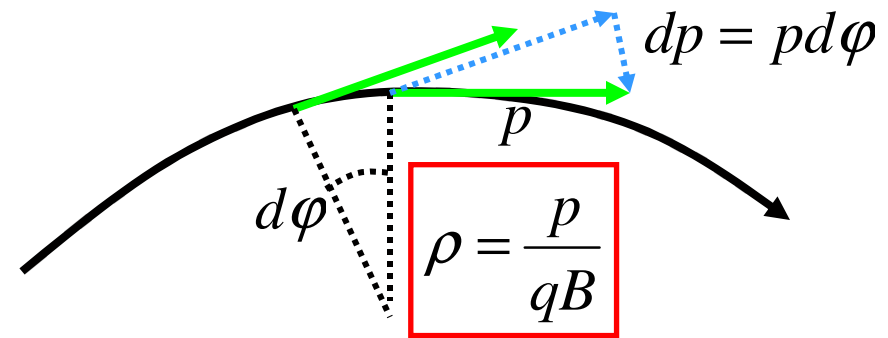
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- The extra time that each turn takes must be a multiple of the RF period.



$B=1\text{T}$, $n=1$, and $f_{\text{RF}}=3\text{GHz}$ leads to 4.78MeV
 This requires a small linear accelerator.

$$\frac{dp}{dt} = qvB \Rightarrow \rho = \frac{dl}{d\phi} = \frac{vdt}{dp/p} = \frac{p}{qB}$$



$$\Delta t = 2\pi \left(\frac{\rho_{n+1}}{v_{n+1}} - \frac{\rho_n}{v_n} \right)$$

$$= \frac{2\pi}{qB} (m_0 \gamma_{n+1} - m_0 \gamma_n) = \frac{2\pi}{qBc^2} \Delta K$$

$$\Delta K = n \frac{qBc^2}{\omega_{\text{RF}}} \quad \text{for an integer } n$$