

### Extending the energy reach of CESR CESR-c and CLEO-c Physics

D.Rubin, Cornell University

- CLEO-c physics program
- Accelerator physics at low energy

## Physics Objectives

- Tests of LQCD
- Charm decay constants fD, fDs
- Charm absolute branching ratios
- Semi leptonic dcay form factors
- Direct determination of Vcd & Vcs
- ·QCD
- Charmonium and bottomonium spectroscopy
- ·Glueball search
- Measurement of R from 1 to 5GEV
- CP violation?
- Tau decay physics

### Measurements

Leptonic charm decays

$$D^- \rightarrow \ell^- V, D_S^- \rightarrow \ell^- V$$

Semileptonic charm decays

$$D \rightarrow (K,K^*) \ell \nu, D \rightarrow (\pi,\rho,\omega) \ell \nu, D \rightarrow (\eta,\varphi) \ell \nu,$$

Hadronic decays of charmed mesons

$$D \rightarrow K\pi, D^+ \rightarrow K\pi\pi$$

- Rare decays, D mixing, CP violating decays
- Quarkonia and QCD

## Heavy quark physics

- Precision of measured D branching fractions limit any result involving B -> D
- $(B \rightarrow Nsi K_s is the "gold plated" exception)$ Determination of CKM matrix elements and many theoretical (QCD) uncertainties weak interaction results limited by

## Example - theoretical limit

•  $B \rightarrow \pi \ell V$ 

Gives V\_ub in principle with uncertainty approaching 5% with 400 fb-1 from B-Factories

But form factor for u quark to materialize as  $\pi$ has 20% uncertainty

Lattice QCD ?
Lattice QCD is not a model Only complete definition of QCD Only parameters are alpha_s, and quark masses Single formalism for B/D physics, ψ/Y, glueballs , No fudge factors
<ul> <li>Recent developments in techniques for lattice calculations promise mass, form factors, rates within ~few %</li> <li>Improved discretizations (larger lattice spacing)</li> <li>Affordable unquenching (vacuum polarization)</li> </ul>
Critical need for detailed experimental data in all sectors to test the theory
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#### Lattice QCD

New theoretical techniques permit calculations at the and mixing amplitudes for few % level of masses, decay constants, semileptonic form factors

- Masses, decay constants electroweak form factors, charge Masses leptonic widths, electromagnetic for factors D,Ds,D\*,Ds\*,B,Bs,B\*,Bs\* and corresponding baryons light quark hadrons radii, magnetic moments and mixing angles for low lying  $\psi, Y$  family below D and B threshold and mixing amplitudes for any meson in
- Gold plated processes for every off diagonal CKM matrix element

#### Lattice QCD

Progress is driven by improved algorithms, (rather than hardware)

Until recently calculations are quenched, sea quark masses ->  $\infty$ (no vacuum polarization) -> 10-20% decay constant errors

Current simulations with

- Lattice spacing a=0.1fm
- realistic m<sub>s</sub>, and m<sub>u</sub>,m<sub>d</sub> ~m<sub>s</sub>/4

Require 3 months on 200 node PC cluster for 1% result

Lattice QCD
CLEO-c program will Precision measurements in $\psi, Y$ sector for which few $\%$
calculations possible of masses, fine structure, leptonic widths, electromagnetic transition form factors
Semileptonic decay rates for D, Ds plus lattice QCD • Vcd to few % (currently 7%)
<ul> <li>Vcs to few % (currently 12%)</li> <li>few % tests of CKM unitarity</li> </ul>
Leptonic decay rates for D,Ds plus lattice QCD give few % cross check
Glueball - need good data to motivate calculations
If theory and measurements disagree -> New Physics October 28, 2002 D. Rubin - Cornell



# Establish credibility of Lattice QCD

CLEO - c will provide precision measurements which lattice calculations can be checked of processes involving both b and c quarks against

Recent results from HPQCD+MILC collaborations

n<sub>f</sub> = 3, a=1/8fm

tune  $m_u = m_d, m_s, m_c, m_b$ , and  $\alpha_s$ using  $m_{\pi}$ ,  $m_k, m_{\psi}$   $m_{\gamma}$  and  $\Delta E_{\gamma}$ (1P-1S)

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.-p.1/??





### CLEO-c Run Plan

- $vs \sim 4100 MeV$  3 fb<sup>-1</sup>  $\psi(3770) - 3 \text{ fb}^{-1}$ ~ 1 fb<sup>-1</sup> each on  $\Upsilon_{1s}, \Upsilon_{2s}, \Upsilon_{3s}$ 30 million events, 6M tagged D decays  $1.5M D_s D_s$ , 0.3M tagged  $D_s$ (310 times Mark III) spectroscopy, matrix elements,  $\Gamma_{ee}$
- $\psi(3100) 1 \text{ fb}^{-1}$ l billion J/ψ (170 times Mark III, 20 times BES II) (480 times Mark III, 130 times BES II)

	Status	s Y Run	
	$\Upsilon_{ m 1s}$	$\Upsilon_{2\mathrm{s}}$	$\Upsilon_{3 m s}$
Target	950	500	1000
Actual	1090	×500	1250
Old	79	74	110 (pb <sup>-1</sup> )
Status	taken	in progress	processed
Analysis			
Disco	very? - D-st	tates, rare E1 trar	nsitions
Precis	sion - Ele	ctronic rates, ee, µ hadronic transiti	ų branching fractions, ons
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 $D_{s}D_{s}$ Pure DD, D<sub>s</sub>D<sub>s</sub> production Sample:  $\psi$ (3770) 3fb-1 (1 year) 3fb-1 (1 year) ~6M tagged D decays 30M events, ~0.3M tagged Ds 1-2M events

D -> Kπ tag. S/B ~5000/1 High net tagging efficiency ~20% D<sub>s</sub> -> φπ (φ-> KK) tag. S/B ~100/1







#### D+ -> μν

#### CLEO-c 3 fb-1 (3770) ~900 events

 $\delta V_{cd} f_D / V_{cd} f_D \sim (2 \pm .3 \pm .6)\%$ 



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0 1.860 1.865 1.870 1.870 1.875 1.880	:	ſ	C <sup>s</sup> , Ai
	10	v Л	
	0.7	7.2	D⁺ -> K⁻π+π+
Cano 58   	0.6	2.4	<b>D<sup>0</sup>-&gt; Κ</b> <sup>-</sup> π+
didates /	( B/B%)	( B/B%)	
D- tag	CLEO-c	PDG	Mode
$\sigma = 1.2 \text{ MeV/c}^2$			nodes
$\begin{array}{c c} 1500 & & & & \\ D^+ + K & \pi^+ \pi^+ & \text{Double Tags} \end{array}$	r other	t of D tags fo	3r = # of X/#
1.855 1.860 1.865 1.870 1.875 M (D) (GeV/c <sup>2</sup> )			double tags
	with	ute Br(D->X)	Measure absol
	tag modes	d in hadronic .	No background
s / 0.5 MeV	nents	Measure	Fraction
$\frac{1}{200} + \frac{1}{200} + \frac{1}$	Inching	agged Bro	Double To
D <sup>0</sup> → K <sup>−</sup> π <sup>+</sup> Double Tags			

	Semilepton	ic decays
Rate ~  V <sub>cj</sub>  ² Low backgrou	f(q²) ² ınd and high rat	.е
Mode	PDG	CLEO-c
	( B/B%)	( B/B%)
D <sup>0</sup> -> K <i>t</i> v	GI	2
<b>D</b> <sup>0</sup> -> π <i>t</i> ν	16	2
<b>D</b> + -> π <i>l</i> ν	48	2
<b>D</b> <sub>s</sub> -> φλν	25	ω
Vcd and Vcs Form facto	s to ~1.5% r slopes to few	% to test theory

## More tests of lattice QCD

 $\Gamma(D \rightarrow \pi h) / \Gamma(D^{+} \rightarrow h)$  independent of  $V_{cd}$ 

 $\Gamma(D_s \rightarrow \varphi h) / \Gamma(D_s \rightarrow h)$  independent of  $V_{cs}$ 

Test QCD rate predictions to 3.5-4%

Having established credibility of theory

 $D^0 \rightarrow \pi e^+ v$  gives  $\delta V_{cd} / V_{cd} = 1.7\%$  (now 7%)  $D^0 \rightarrow K e^+ v$  gives  $\delta V_{cs} / V_{cs} = 1.6\%$  (now 11%)



J/\ Radiative decays

### CLEO-c physics summary

Precision measurement of Leptonic widths and EM transitions **D** branching fractions in  $\Upsilon$  and  $\psi$  systems

Search for exotic states

-> Tests of lattice QCD

D Mixing D CP violation Tau physics R scan

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- Cornell	Electrons Positrons Horizontal Electron In Positron Ir			
25	Separators njection Point njection Point	14:301801-002		

#### CESR-c IR

Summer 2000, replace 1.5m REC permanent magnet final focus quadrupole with hybrid of pm and superconducting quads

Intended for 5.3GeV operation but perfect for 1.5GeV as well



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**Beam-beam effect** 

- $^\circ$  In collision, beam-beam tune shift parameter ~  ${
  m I_b}/{
  m E}$
- Long range beam-beam interaction at 89 parasitic crossings ~  $I_b/E$ (and this is the current limit at 5.3GeV)

Single beam collective effects, instabilities

- Impedance is independent of energy
- Effect of impedance ~I/E

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nomentum	~ time to radiate away all n	Damping time 1
si mr	so that transverse momentu av and motion is dambed	design orbit
ly along	g cavities restore energy on	RF accelerating
'aalatea ∆P/P	nets, synchrotron photons r rticle momentum ΔP <sub>+</sub> /P <sub>+</sub> =	parallel to par
-	it (P <sub>†</sub> /P)	to design orb
transverse	ricles have some momentum .	Circulating part
		Damping
	and emittance	Radiation damping a
	inergy dependence	CESR-c E

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damping time	Longer dai
Reduced beam-beam limit	• Rec
less tolerance to long range beam-beam effects	• Les
Aultibunch effects, etc.	• Mul
lower injection rate	• Low
, E²B² = E4/ρ² at fixed bending radius	Power ~ Ei
/E ~ E³	1/τ ~ P/E
t 1.9GeV, τ ~ <mark>500ms</mark>	so at 1.
on damping	Radiation
ESR at 5.3 GeV, an electron radiates ~1MeV/turn	In CESF
t ~ 5300 turns (or about <mark>25ms</mark> )	~> t ~
CESR-c Energy dependence	CE

#### Emittance

- Closed orbit depends on energy offset  $x(s) = \eta(s)\delta$
- Energy changes suddenly with radiation of synchrotron photon
- Particle begins to oscillate about closed orbit generating emittance
- Lower energy -> fewer radiated photons and lower photon energy
- Emittance  $\varepsilon \sim E^2$

Emittance

$$L \sim I_B^2 / \sigma_x \sigma_y = I_B^2 / (\epsilon_x \epsilon_y \beta_x \beta_y)^{1/2}$$
  
 $T_z / \epsilon_z$  limiting change density

- Then T(mey) and I are deriving
- Then I(max) and L ~  $\epsilon_x$

CESR (5.3GeV),  $\epsilon_x = 200$  nm-rad CESR (1.9GeV),  $\epsilon_x = 30$  nm-rad

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# Damping and emittance control with wigglers



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#### In a wiggler dominated ring Then 18m of 2.1T wiggler CESR-c Energy dependence $\epsilon \sim B_w L_w$ $1/\tau \sim B_w^2 L_w$ σ<sub>E</sub>/E ~ (B<sub>w</sub>)<sup>1/2</sup> nearly independent of length -> τ ~ 50ms -> 100nm-rad < < < < 300nm-rad (B<sub>w</sub> limited by tolerable energy spread)

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7-pole, 1.3m 40cm period, 161A, B=2.1T

Superconducting wiggler



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October 28, 2002	$\Delta y' = -\frac{B_0^2 L}{2(E_0/ce)^2} \left( y - \frac{E_0^2 L}{2(E_0/ce)^2} \right)^2 \left( y - \frac{E_0^2 L}{2(E_0/ce)^2} \right$	Vertical kick ~ $\theta$ B <sub>z</sub>	$\vartheta = \frac{ceB_0}{E_0} \frac{\lambda_w}{2\pi}$	$B_z = -B_0 \sinh k_w y \sin h$	Optics ef
D. Rubin - Cornell	$+\frac{2}{3}\left(\frac{2\pi}{\lambda}\right)^2 y^3 + \dots$				fects - Idec
38					al Wiggler

#### Finite width of poles leads to horizontal nonlinearity Cubic nonlinearity ~ $(1/\lambda)^2$ Vertical focusing effect is big, $\Delta Q \sim 0.1/wiggler$ But is readily compensated by adjustment of nearby quadrupoles We choose the relatively long period -> $\lambda$ = 40cm **Optics effects - Ideal Wiggler**

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 $\sigma_{E}/E[\%]$ 

 $\varepsilon_{\rm x}$ [mm-mrad]

Number of wigglers

Wiggler length[m]

Bunch length[mm]

Bunch spacing[ns]

Bunches/train

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Linear Optics

 $\beta_{h}^{*}[m]$ 

 $\beta^*_{v}[mm]$ 

Beam energy[GeV]

Number of trains

 $\mathcal{O}_{\mathbf{v}}$ 

## 7 and 8 pole wiggler transfer functions



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## Wiggler Beam Measurements

First wiggler installed 9/02 Beam energy = 1.84GeV

-Optical parameters in IR match CESR-c design

-Measure and correct betatron phase and transverse coupling

 Measurement of lattice parameters (including emittance) in good agreement with design



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## Wiggler Beam Measurements

- Reduced damping time (X 1/2) -> increased injection repitition rate
- Measurement of betatron tune vs displacement consistent with bench measurement and calculation of field profile









### Wiggler Status

Second wiggler is ready for cold test

-Anticipate installation of 5 additional wigglers (and CLEO-c vertex detector) Spring 03

-Remaining 8 wigglers installed late 03

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β<sub>x</sub>\* [cm] ş ξ. í⊌ [mA/bunch] **B**w [Tesla] T<sub>X,Y</sub> [msec] I<sub>beam</sub> [mA/beam] ε<sub>x</sub> [nm-rad] **α<sub>E</sub>/E₀** [×10<sup>3</sup>] Luminosity [+10<sup>30</sup>] Beam Energy [GeV] 1.ចច 5 69 0.75 0.028 0.035 50 230 21 130 2.8 8 0.04 0.81 0.036 ö ទ្ធ 4.0 1.88 5 2.1 220 8 2 2 3 1.75 <mark>5</mark>2 0.79 0.034 0.04 230 5 1 500 5 215 22 0.03 0.06 1.8 1.2 0.64 370 ω Ω 00 0 1250 220

CESR-c design parameters

### Energy Calibration

### Collide $I_T \sim 12 \text{ mA}$ and scan

Identification of  $\psi(\text{2S})$  yields calibration of beam energy



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Linear OpticsAres  
Except for wigglers - very similar to 5.3 GeV opticsWiggler focusing is exclusively vertical  
$$\frac{1}{f_v} \sim \left(\frac{B_0}{E}\right)^2 L$$
=0.073 m<sup>-1</sup> for B\_0=2.1T, L=1.3m and E=1.88 GeV  
For typical  $\beta_v \rightarrow \Delta Q_v \sim 1.2$  for 14 wigglersIn CESR all quadrupoles are independent and the strong  
localized vertical focusing is easily compensated  
 $(1.5 - > 2.5 \text{ GeV})$ October 28, 2002

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 $\sigma_{E}/E[\%]$ 

 $\varepsilon_{\rm x}$ [mm-mrad]

Number of wigglers

Wiggler length[m]

Bunch length[mm]

Wiggler Peak Field[T]

Accelerating Voltage[MV]

Bunch spacing[ns]

Bunches/train

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Linear Optics

Lattice parameters

 $\beta_{h}^{*}[m]$ 

Crossing angle[mrad]

 $\beta^*_{v}[mm]$ 

Beam energy[GeV]

 $\mathcal{O}_{\mathbf{v}}$ 

 $\mathcal{O}$ 

Number of trains

• But the larger excursion of wiggling orbit yields greater sensitivity to horizontal roll off	<ul> <li>Longer period results in weaker cubic nonlinearity</li> </ul>	Finite pole width $\rightarrow$ roll off in vertical field with horizontal displacement	$\Delta y' = -\frac{B_0^2 L}{2(B\rho)^2} \left( y + \frac{2}{3} \left( \frac{2\pi}{\lambda} \right)^2 y^3 + \dots \right)$	Wiggler cubic nonlinearity scales inversely as square of period	Dynamic Aperture
We need to determine optimum period and required field uniformity	<ul> <li>But the larger excursion of wiggling orbit yields greater sensitivity to horizontal roll off</li> <li>We need to determine optimum period and required field uniformity</li> </ul>	<ul> <li>Longer period results in weaker cubic nonlinearity</li> <li>But the larger excursion of wiggling orbit yields greater sensitivity to horizontal roll off</li> <li>We need to determine optimum period and required field uniformity</li> </ul>	<ul> <li>Finite pole width → roll off in vertical field with horizontal displacement</li> <li>Longer period results in weaker cubic nonlinearity</li> <li>But the larger excursion of wiggling orbit yields greater sensitivity to horizontal roll off</li> <li>We need to determine optimum period and required field uniformity</li> </ul>	$\Delta y' = -\frac{B_0^2 L}{2(B\rho)^2} \left( y + \frac{2}{3} \left( \frac{2\pi}{\lambda} \right)^2 y^3 + \right)$ Finite pole width $\rightarrow$ roll off in vertical field with horizontal displacement • Longer period results in weaker cubic nonlinearity • But the larger excursion of wiggling orbit yields greater sensitivity to horizontal roll off We need to determine optimum period and required field uniformity	<ul> <li>Wiggler cubic nonlinearity scales inversely as square of period</li> <li>Δy' = - B<sub>0</sub><sup>2</sup>/2(Bρ)<sup>2</sup> (y + 2/3(2π)<sup>2</sup> y<sup>3</sup> +)</li> <li>Finite pole width → roll off in vertical field with horizontal displacement</li> <li>Longer period results in weaker cubic nonlinearity</li> <li>But the larger excursion of wiggling orbit yields greater sensitivity to horizontal roll off</li> <li>We need to determine optimum period and required field uniformity</li> </ul>
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PM x-ray wigglers in CESR provide opportunity to test understanding of dynamics

Wiggler Nonlinearity
$$\Delta y' = -\frac{B_0^2 L}{3(B\rho)^2} \left(\frac{2\pi}{\lambda}\right)^2 a\beta$$
 $\Delta Q/a \sim \frac{\Delta y'}{y} \beta$  $\Delta Q/a \sim \frac{\Delta y'}{y} \beta$ CHESS/eastCHESS/westCHESS/eastCHESS/westPeriod[cm]20Cubic nonlinearity[m-2]27 $27$ 42 $42$ 14(11.9) = 167 $\beta_{v}^{2>}[m^2]$ 29Detuning ( $\Delta Q$ /mm)29292224

Detuning of the pair of x-ray wigglers in CESR at 1.84GeV, is approximately twice that of 14 CESRc wigglers

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