

# CURRENT COLLIDER BOUNDS ON DARK MATTER

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In collaboration with Patrick Fox, Roni Harnik, and Joachim Kopp

Cornell Theory Seminar, 19 Oct 2011



# The talk is based on the following works

Missing Energy Signatures of Dark Matter at the LHC  
arXiv:1109.4398

LEP Shines Light on Dark Matter  
Phys. Rev. **D84**, 014028 (2011).

See also

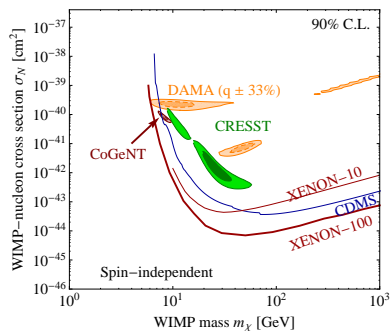
J. Goodman, M. Ibe, A. Rajaraman, W. Shepherd,  
T. M. P. Tait, A. M. Wijangco, and H. -B. Yu  
LHC Bounds on Interactions of Dark Matter  
arXiv:1108.1196

Constraints on Dark Matter from Colliders  
Phys. Rev. **D82**, 116010 (2010)  
Constraints on Light Majorana dark Matter from Colliders  
Phys. Lett. **B695**, 185-188 (2011)

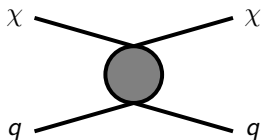
# Main question

How can colliders help to solve the  
(in-)direct detection anomalies?

# The Direct Detection bound



Ahmed et al. (10), Angle et al. (08), Kopp et al. (10)



Naively...

- It's a nice plot!
- It contains the information we need.
- Let's start to build a model!

# Well...wait a sec...

There's something I haven't told you...

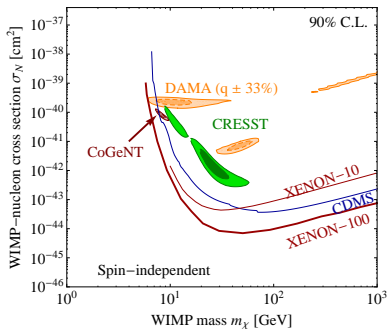
$$\frac{dR}{dE_R} = N_T \frac{\rho_0}{m_\chi} \int_{v_{\min}}^{v_{\text{esc}}} d^3v \frac{d\sigma}{dE_R} v f(v)$$

There is a lot of uncertainties hidden in this equation.

- DM density  $\rho_0 \sim 0.3 \text{ GeV cm}^{-3}$
- Recoil energy  $E_R = E_{\text{obv}} / \text{quenching } q_{\text{Na}} = 0.3 \pm 0.1, q_l = 0.09 \pm 0.03$
- Velocity distribution  $f(v)$  Maxwell-Boltzman
- Escape velocity  $v_{\text{esc}} \sim 650 \text{ km s}^{-1}$
- $v_{\min}$ , (in-)elastic scattering?
- Spin Independent  $\sigma$ , Spin Dependent  $\sigma(v)$ .
- XXXX

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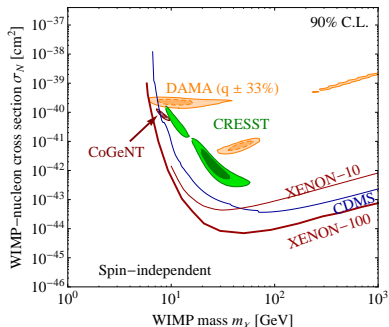
$$\frac{dR}{dE_R} = N_T \frac{\rho_0}{m_\chi} \int_{v_{\min}}^{v_{\text{esc}}} d^3v \frac{d\sigma}{dE_R} v f(v)$$

Recoil Energy  $E_R = E_{\text{obv}} / q$

Channeling may enhance  $q$ .

# Well...wait a sec...

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$$\frac{dR}{dE_R} = N_T \frac{\rho_0}{m_\chi} \int_{v_{\min}}^{v_{\text{esc}}} d^3v \frac{d\sigma}{dE_R} v f(v)$$

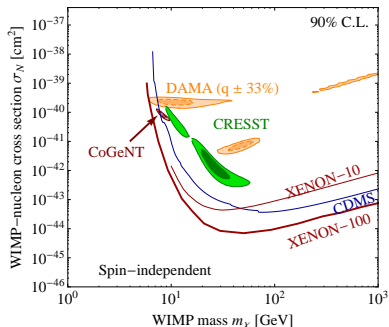
Local DM density  $\rho_0$

Velocity Distribution  $f(v)$

Depend on the Halo Structure

# Well...wait a sec...

There's something I haven't told you...



$$\frac{dR}{dE_R} = N_T \frac{\rho_0}{m_\chi} \int_{v_{\min}}^{v_{\text{esc}}} d^3v \frac{d\sigma}{dE_R} v f(v)$$

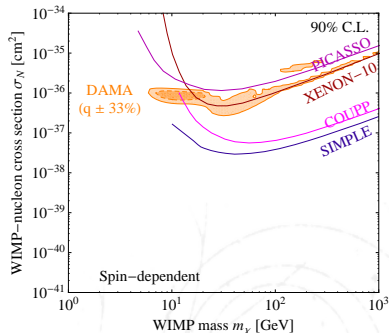
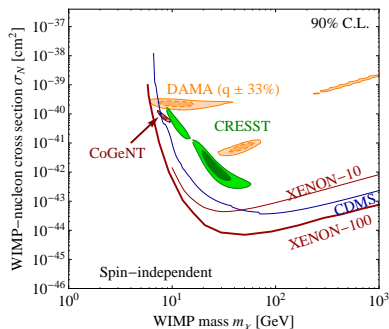
Minimum velocity  $v_{\min}$

Depend on if the scattering is  
(in-)elastic.



# More problems...

- Light DM is interesting, but hard to measure. ( $E_R$  threshold)
- The Spin Dependent bounds are bad. (velocity suppression)



Bernabei et al. (08), Angle et al. (08), Overlinde-Heider et al. (05), Behnke et al. (10), Girard et al. (11)

# Want to have a measurement...

- independent of **astrophysical** and **experimental** assumptions.
- good bounds on **light DM**.
- good bounds on **spin dependent** case.

Does this measurement exist?

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- independent of **astrophysical** and **experimental** assumptions.
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Does this measurement exist?

YES

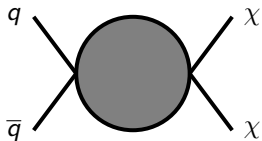
Collider Experiments

# 'Collider bounds' in this talk

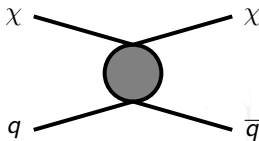
## Collider Bounds

The  $\sigma - m_\chi$  bounds given by constraining the effective couplings between DM/SM using **colliders**.

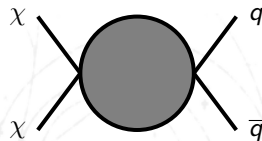
Collider



Direct



Indirect

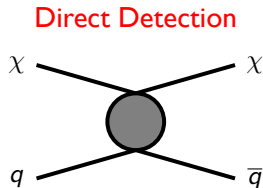
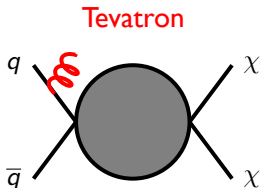


## Monojet @ Tevatron



- Y. Bai, P. J. Fox, and R. Harnik, **JHEP** **12**, 048 (2010)  
J. Goodman et al., Phys. Rev. **D82**, 116010 (2010)  
J. Goodman et al., Phys. Lett. **B695**, 185 (2011)

# DM in Monojet Searches



- Assume fermionic DM.
- 4-fermi interactions:

$$\mathcal{O}_V = \frac{(\bar{\chi}\gamma_\mu\chi)(\bar{q}\gamma^\mu q)}{\Lambda^2}$$

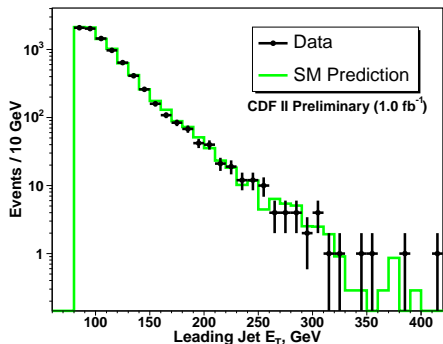
$$\mathcal{O}_S = \frac{(\bar{\chi}\chi)(\bar{q}q)}{\Lambda^2}$$

$$\mathcal{O}_A = \frac{(\bar{\chi}\gamma_\mu\gamma_5\chi)(\bar{q}\gamma^\mu\gamma_5q)}{\Lambda^2}$$

$$\mathcal{O}_t = \frac{(\bar{\chi}q)(\bar{q}\chi)}{\Lambda^2}$$

# Monojet @ Tevatron

- In search of Large Extra Dimension (ADD)
- New physics channels:  $q \bar{q} \rightarrow g G$ ,  $q g \rightarrow g G$ ,  $g g \rightarrow g G$ .
- Main Cuts: Jet  $E_T$  and  $\cancel{E}_T > 80$  GeV.
- Background: Jet + ( $Z \rightarrow \nu \bar{\nu}$ ,  $W \rightarrow \nu l$ ), QCD...

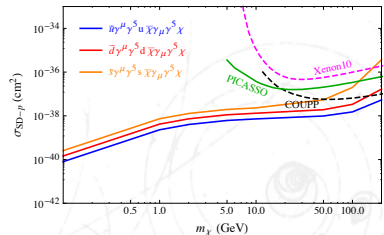
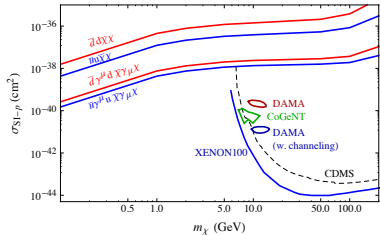
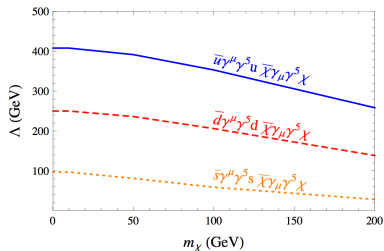
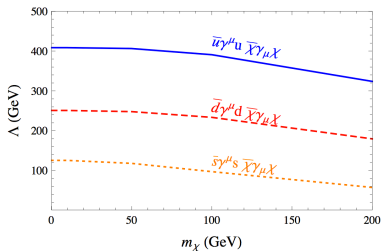


Luminosity:  $1 \text{ fb}^{-1}$

SM BG Events:  $8663 \pm 332$

Observed Events: 8449

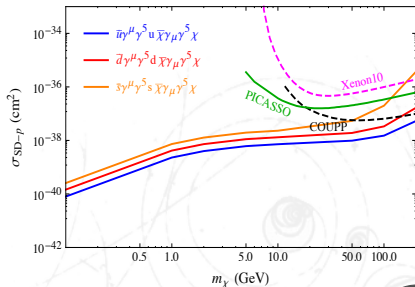
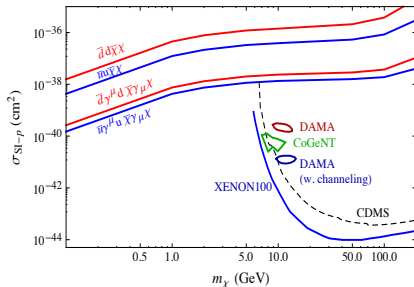
# Bounds from $q\bar{q} \rightarrow \text{Jet} + \chi\chi$





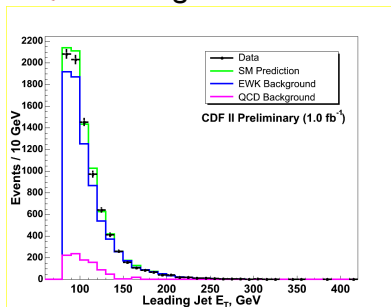
# This is what we want!

- Independent of **astrophysical** and **experimental** assumptions.
- Good bounds on **Light DM**.
- Good bounds on **spin dependent** couplings.



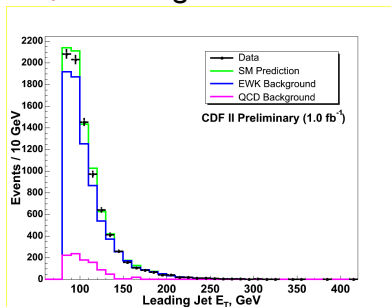
# Can we do better?

- The **MonoJet bound @ Tevatron** is limited by the theoretical uncertainty of the **QCD** background.



# Can we do better?

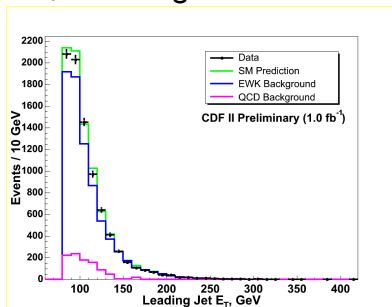
- The **MonoJet bound @ Tevatron** is limited by the theoretical uncertainty of the **QCD** background.



- Different process? **MonoPhoton Search at LEP**

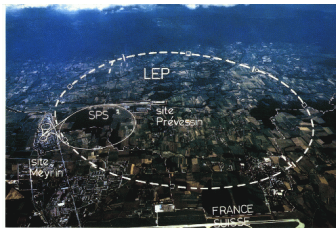
# Can we do better?

- The **MonoJet bound @ Tevatron** is limited by the theoretical uncertainty of the **QCD** background.



- Different process? **MonoPhoton Search at LEP**
- Higher jet  $P_T$ ? **The searches at LHC**

## MonoPhoton @ LEP



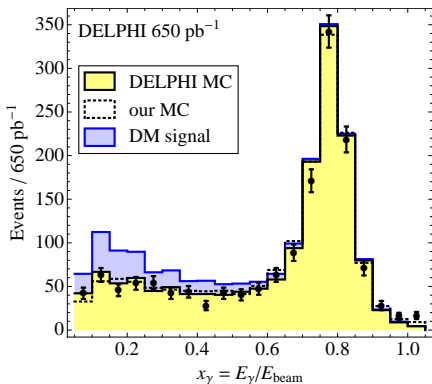
P. J. Fox, R. Harnik, J. Kopp, and YT, 1103.0240

With ILC

A. Birkedal, K. Matchev, and M. Perelstein, hep-ph/0403004

# Jet $\rightarrow$ Photon Tevatron $\rightarrow$ LEP

- In search of Large Extra Dimension (ADD)
- New physics channels:  $e\bar{e} \rightarrow \gamma G$

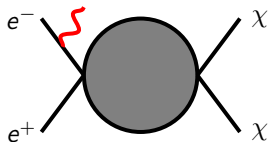


- Experiment: DELPHI
- $E_{\text{beam}}$ : 90 – 105 GeV
- Use the cuts in [1], ( $E_\gamma \gtrsim 10\text{GeV}$ ).
- Background:  $e^+e^- \rightarrow \gamma\nu\bar{\nu}$
- We use CompHEP.

[1] DELPHI Collaboration, hep-ex/0406019.

# Direct Detection Bound

- Assume DM particle is a **Dirac fermion**.
- Use **shape analysis** ( $\chi^2$ ) to constraint the size the coupling



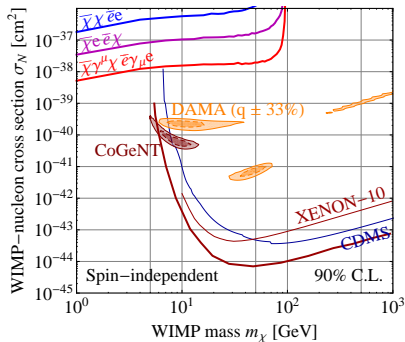
Need the coupling to quarks!

## Consider Two Possibilities:

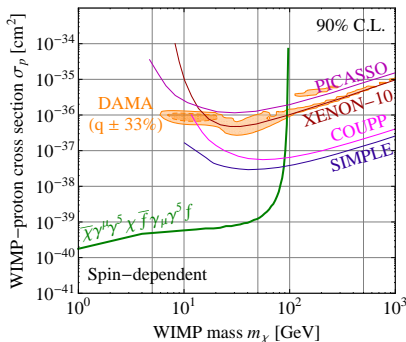
- **Equal Coupling:** to quarks and leptons.
- **Leptophilic:** coupling to leptons only.

# Equal couplings

Equal couplings to all SM fermions



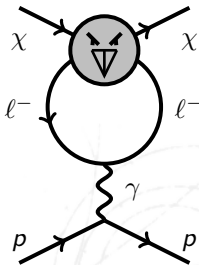
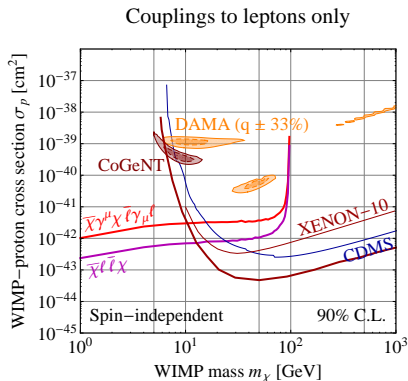
Equal couplings to all SM fermions





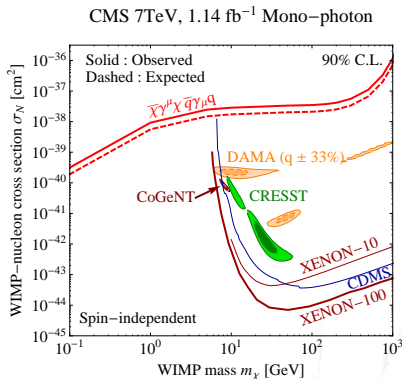
# Leptophilic: no direct coupling to $q$ 's

- Get **loop suppression**.  $\mathcal{O}_A, \mathcal{O}_S$  vanish at one loop.
- Leptophilic model proposed to explain DAMA or CoGeNT **is ruled out**.



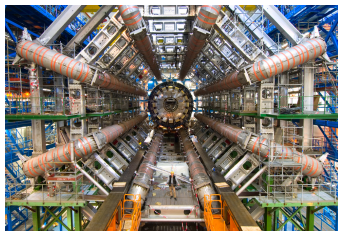
# MonoPhoton from LHC

## The CMS MonoPhoton search



# The higher energy search

## MonoJet @ LHC



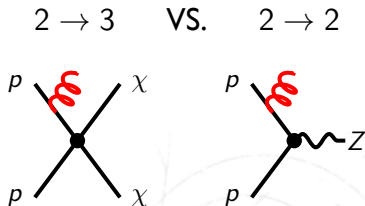
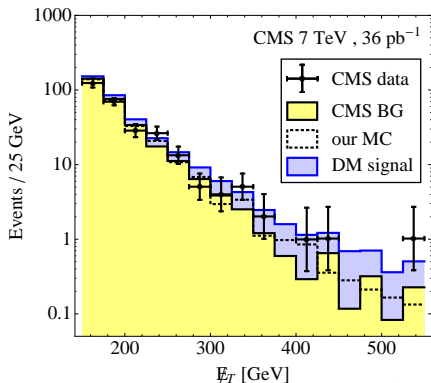
P. J. Fox, R. Harnik, J. Kopp, and YT, 1109.4398

A. Rajaraman, W. Shepherd, T.M.P. Tait, A.M. Wijangco ,  
1108.1196

# How to improve the bounds?

There are two ways we can go

- Getting **more data**.
- Looking at the **higher  $p_T$**  region.



The shapes are different!

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At the current stage

Optimizing the higher  $p_T$  search is more important!

We can get some idea from the following **Mono-Jet** searches:

- CMS  $36 \text{ pb}^{-1}$
- ATLAS  $1 \text{ fb}^{-1}$ : LowPt, HighPt and veryHighPt.

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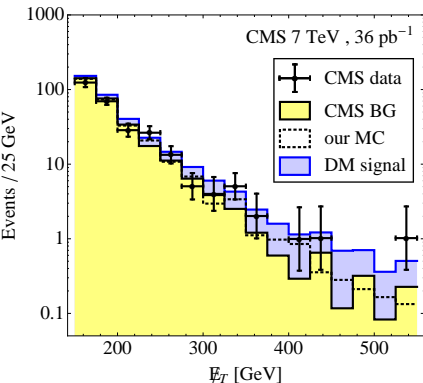
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- CMS  $36 \text{ pb}^{-1}$
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# Mono-Jet search at CMS

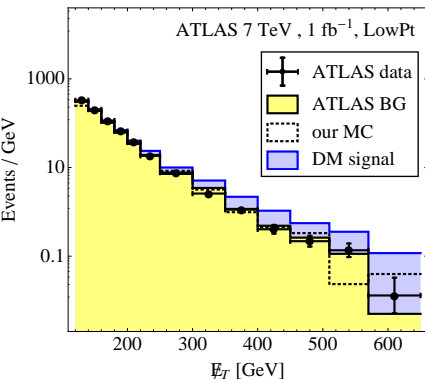
arXiv:1106.4775



- 7 TeV, 36 pb<sup>-1</sup>
- Search: Mono-Jet +  $\cancel{E}_T$ .
- Background:  
Jet + ( $Z \rightarrow \nu\nu$ ,  $W \rightarrow \nu\ell$ ).
- Main cuts:  
 $\cancel{E}_T > 150$  GeV,  $p_{T,j_1} > 110$  GeV.
- Result: 275 (297  $\pm$  45 for the BG).

# Mono-Jet search at ATLAS ( LowPt )

ATLAS-CONF-2011-096

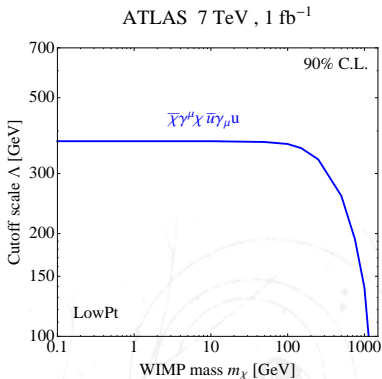
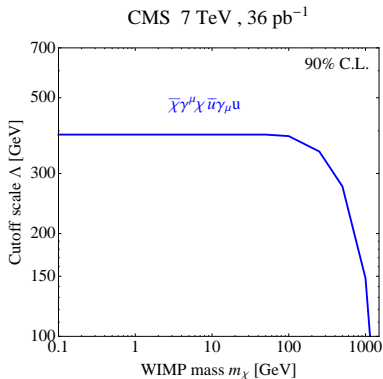


- 7 TeV, 1 fb<sup>-1</sup>
- Search: Mono-Jet +  $\cancel{E}_T$ .
- Background:  
Jet + ( $Z \rightarrow \nu\nu$ ,  $W \rightarrow \nu\ell$ ).
- Main cuts:  
 $\cancel{E}_T > 120$  GeV,  $p_{T,j_1} > 120$  GeV.
- Result: 15740 (15100  $\pm$  170  $\pm$  680).



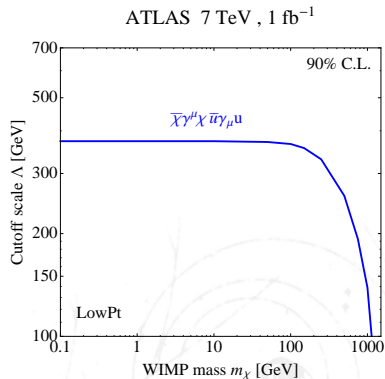
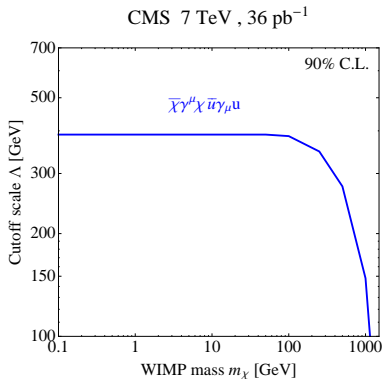
# Lower bound on the cutoffs

- Bound for vector operator  $\frac{(\bar{\chi}\gamma^\mu\chi)(\bar{u}\gamma_\mu u)}{\Lambda^2}$  from counting.



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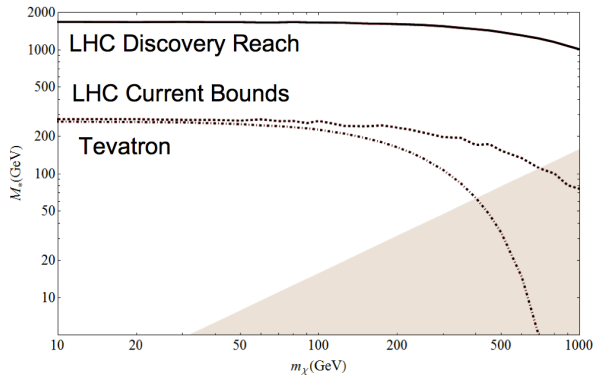
- Bound for vector operator  $\frac{(\bar{\chi}\gamma^\mu\chi)(\bar{u}\gamma_\mu u)}{\Lambda^2}$  from counting.



36 pb<sup>-1</sup>  $\rightarrow$  1 fb<sup>-1</sup> doesn't buy us much!

# ATLAS LowPt VS. CDF $1\text{fb}^{-1}$

A. Rajaraman, W. Shepherd, T. Tait, A. Wijangcoar (1106.4775)

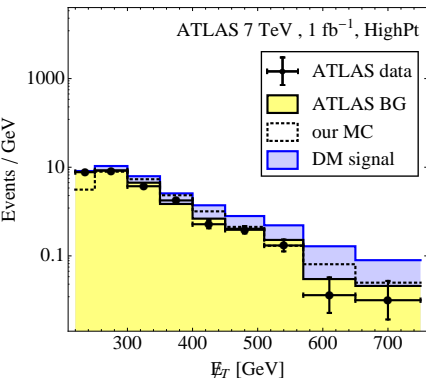


- $\frac{(\bar{\chi}\gamma^5\gamma^\mu\chi)(\bar{u}\gamma_\mu u)}{2M_*^2}$
- Majorana DM
- $2\sigma$  for Current Bounds.
- $5\sigma$  assuming  $100\text{fb}^{-1}$  for Discovery Reach.

# Mono-Jet search at ATLAS ( HighPt )

Go to the higher  $p_T$  region!

ATLAS-CONF-2011-096

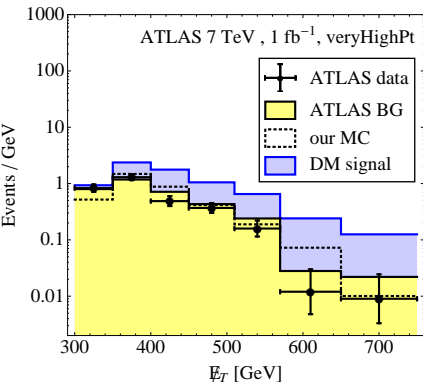


- 7 TeV,  $1 \text{ fb}^{-1}$
- Search: Mono-Jet +  $\cancel{E}_T$ .
- Background:  
Jet + ( $Z \rightarrow \nu\nu$ ,  $W \rightarrow \nu\ell$ ).
- Main cuts:  
 $\cancel{E}_T > 220 \text{ GeV}$ ,  $p_{T,j_1} > 250 \text{ GeV}$ .
- Result: 965 ( $1010 \pm 37 \pm 65$ ).

# Mono-Jet search at ATLAS ( veryHighPt )

Go to the higher  $p_T$  region!

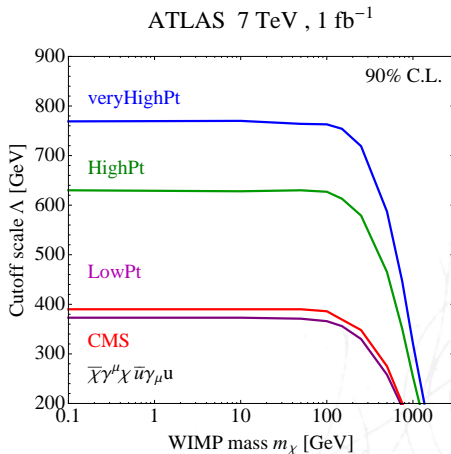
ATLAS-CONF-2011-096



- 7 TeV, 1 fb<sup>-1</sup>
- Search: Mono-Jet +  $\cancel{E}_T$ .
- Background:  
Jet + ( $Z \rightarrow \nu\nu$ ,  $W \rightarrow \nu\ell$ ).
- Main cuts:  
 $\cancel{E}_T > 350$  GeV,  $p_{T,j_1} > 300$  GeV.
- Result: 167 ( $193 \pm 15 \pm 20$ ).

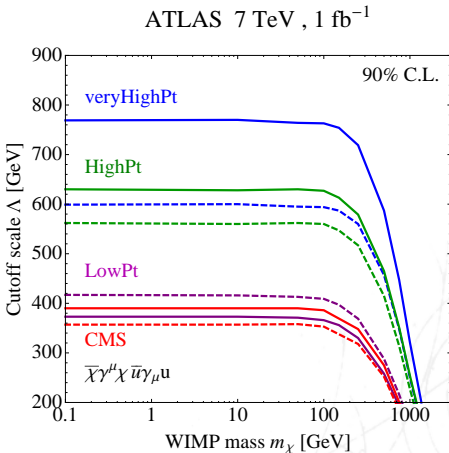
# Higher $p_T$ rocks!

- Current bounds: vector operator  $\frac{(\bar{\chi}\gamma^\mu\chi)(\bar{u}\gamma_\mu u)}{\Lambda^2}$  from counting.



# Higher $p_T$ rocks!

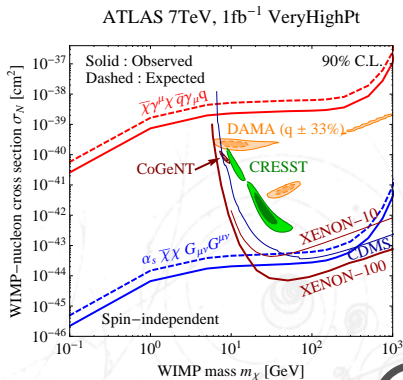
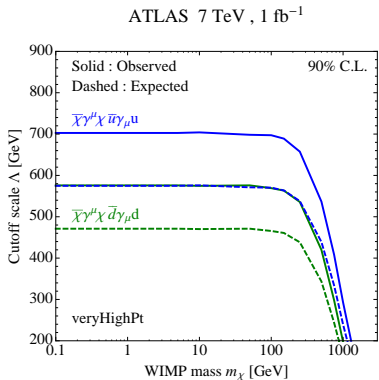
- Expected bounds: vector operator  $\frac{(\bar{\chi}\gamma^\mu\chi)(\bar{u}\gamma_\mu u)}{\Lambda^2}$  from counting.



# Bounds from higher $p_T$ searches

## Spin-independent case

- Using ATLAS  $1 \text{ fb}^{-1}$  **veryHighPt**.
- Direct detection bound for universal coupling  $q \in (u, d)$ .

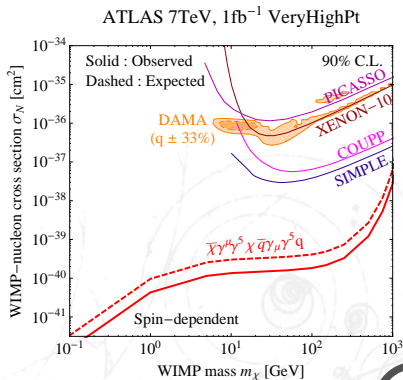
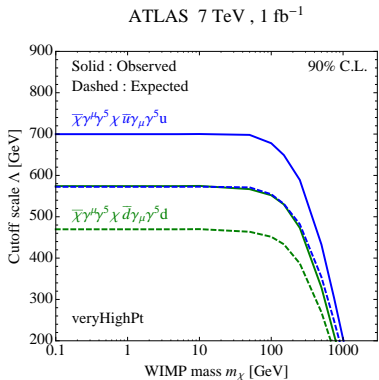




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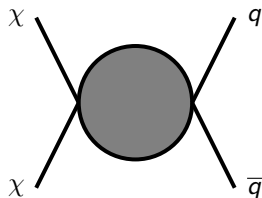
## Spin-dependent case

- Using ATLAS  $1 \text{ fb}^{-1}$  **veryHighPt**.
- Direct detection bound for universal coupling  $q \in (u, d)$ .





# Bounds for Indirect Detections

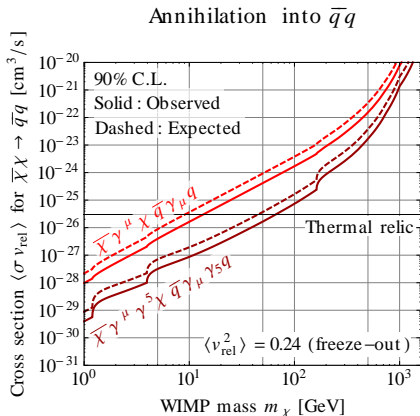


Two things to compare:

- **Thermal-relic** bound
- **Fermi observation** bounds.

# Comparing to the thermal relic bound

How to read the plot?



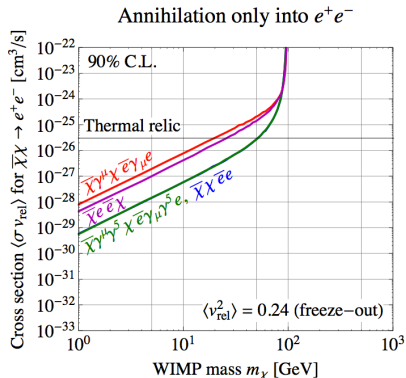
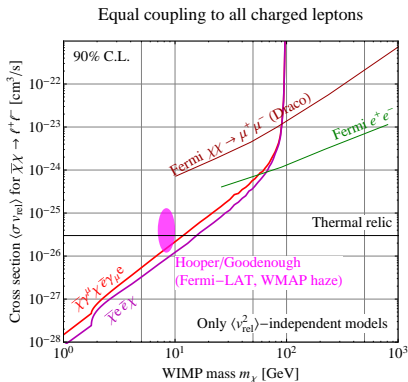
IF

- DM is a thermal relic.
- DM mainly annihilate into quarks.

THEN

- $m_\chi$  with  $\sigma v$  smaller than Thermal relic case is excluded!

# Bounds from LEP

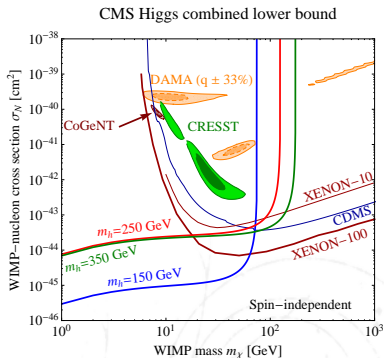
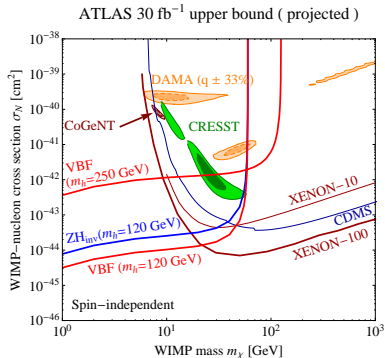


# Future Bound: Invisible Higgs Search



# Invisible-higgs search at LHC

When DM couples through higgs portal



# Conclusion

## Collider bounds are awesome!

- Can do what direct detections cannot do.
- Mono- $\gamma$  at LEP gives competitive bounds.
- MonoJet at LHC gives the best current bounds.
- Stringent bounds on DM annihilation.
- Many other interesting possibilities: DM coupling to Higgs, Light mediator,...



# Conclusion

Collider bounds are awesome.

- less dependence on astrophysical and experiemntal issues
- good Light DM and spin-dependent bound

Mono- $\gamma$  at LEP gives competitive bounds.

- rule out Leptophilic model explaining DAMA/CoGeNT.

MonoJet at LHC gives the best current bounds.

- Motivation for the high  $p_T$  search.
- Important constraints for the gluon and spin dependent couplings.

Colliders put stringent bounds on DM annihilation

- Strong constraints for thermal relic DM.
- Better bounds than Fermi for light DM.

Many other interesting bounds.

- Invisible Higgs search, light mediator,...

# Backup Slides



# Annihilation cross sections

$\sigma_S$  and  $\sigma_A$  are velocity suppressed:

$$\sigma_{SV_{rel}} = \beta (m_\chi^2 - m_\ell^2) v_{rel}^2,$$

$$\sigma_{VV_{rel}} = \frac{1}{6} \beta \left( 24(2m_\chi^2 + m_\ell^2) + \frac{8m_\chi^4 - 4m_\chi^2 m_\ell^2 + 5m_\ell^4}{m_\chi^2 - m_\ell^2} v_{rel}^2 \right),$$

$$\sigma_{AV_{rel}} = \frac{1}{6} \beta \left( 24m_\ell^2 + \frac{8m_\chi^4 - 22m_\chi^2 m_\ell^2 + 17m_\ell^4}{m_\chi^2 - m_\ell^2} v_{rel}^2 \right),$$

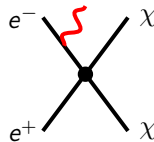
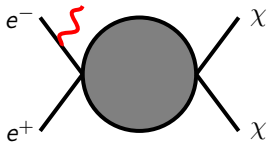
$$\sigma_{tV_{rel}} = \frac{1}{24} \beta \left( 24(m_\chi + m_\ell)^2 + \frac{(m_\chi + m_\ell)^2 (8m_\chi^2 - 16m_\chi m_\ell + 11m_\ell^2)}{m_\chi^2 - m_\ell^2} v_{rel}^2 \right),$$

$$\beta = \frac{1}{8\pi \Lambda^4} \sqrt{1 - \frac{m_\ell^2}{m_\chi^2}}.$$

# What happens if the mediator is light?

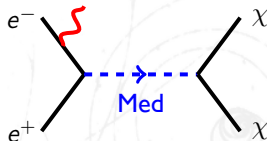
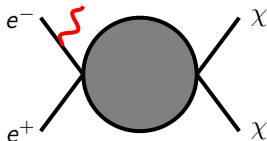
- When it is **heavy**, we consider **contact operators** only:

$$m_{\text{Med}} \gg 2 E_{\text{beam}}$$



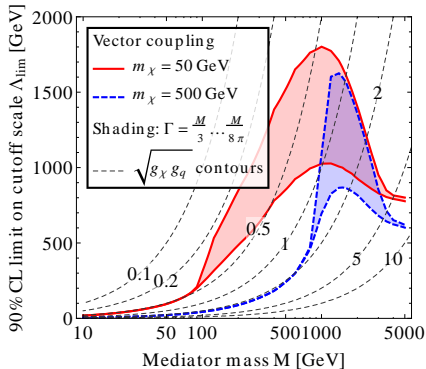
- When it can be **on-shell**, the kinematics is important:

$$m_{\text{Med}} \ll 2 E_{\text{beam}}$$

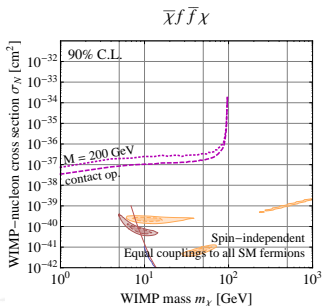
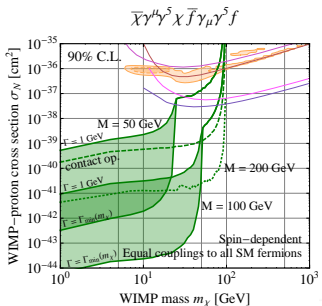
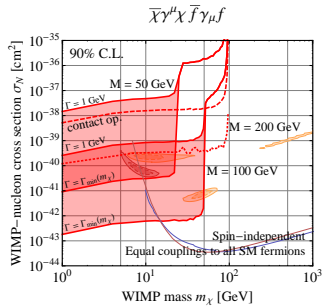
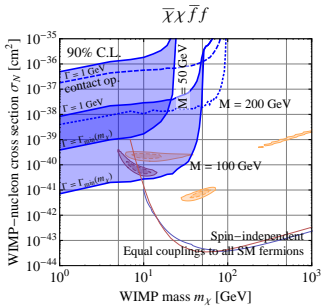


# Light DM @ LHC

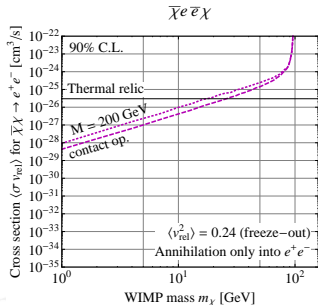
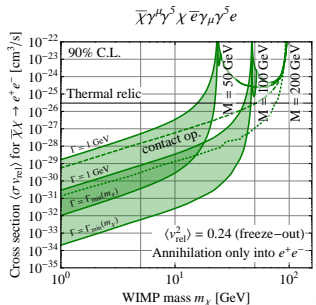
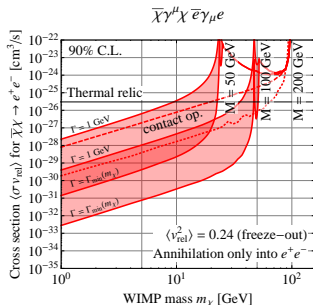
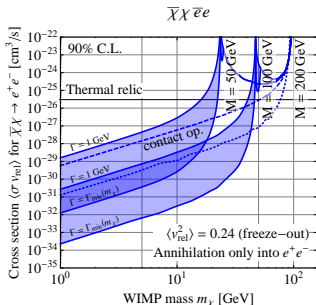
Cutoff bounds from ATLAS MonoJet veryHighPT



# Direct Detection w/ light mediator



# Indirect Detection w/ Light Mediators



# Few remarks about the loop calculation

(show this if people stay awake)

The **loop-suppressed** cross section is

$$\sigma_{1\text{-loop}} \simeq \frac{4\alpha^2 \mu_p^2}{18^2 \pi^3 \Lambda^4} \cdot \left[ \sum_{\ell=e,\mu,\tau} f(q^2, m_\ell) \right]^2$$

where  $f(q^2, m_\ell) =$

$$\frac{1}{q^2} \left[ 5q^2 + 12m_\ell^2 + 6(q^2 + 2m_\ell^2) \sqrt{1 - \frac{4m_\ell^2}{q^2}} \coth^{-1} \left( \sqrt{1 - \frac{4m_\ell^2}{q^2}} \right) - 3q^2 \ln \left( \frac{m_\ell^2}{\Lambda_{\text{ren}}^2} \right) \right]$$

- Take the most conservative case (the largest  $\sigma$ ):  
 $v_\chi = v_{\text{esc}} = 500 \text{ km/sec}$ , scattering angle  $180^\circ$ .
- This gives  $q^2 = -4\mu_p^2 v_\chi^2$ .
- Take the cutoff  $\Lambda_{\text{ren}}$  from the loop integral the same as the operator cutoff  $\Lambda$ .