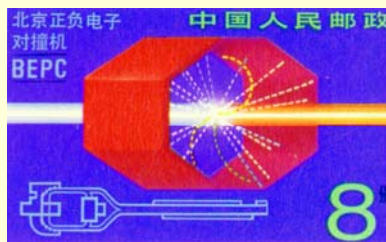


Leptonic and Semileptonic Charm Decays

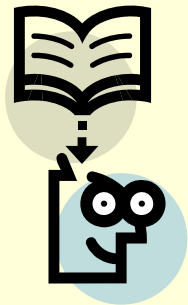
Hanna Mahlke
Cornell University

Heavy Quarks and Leptons
Munich, Germany
October 2006

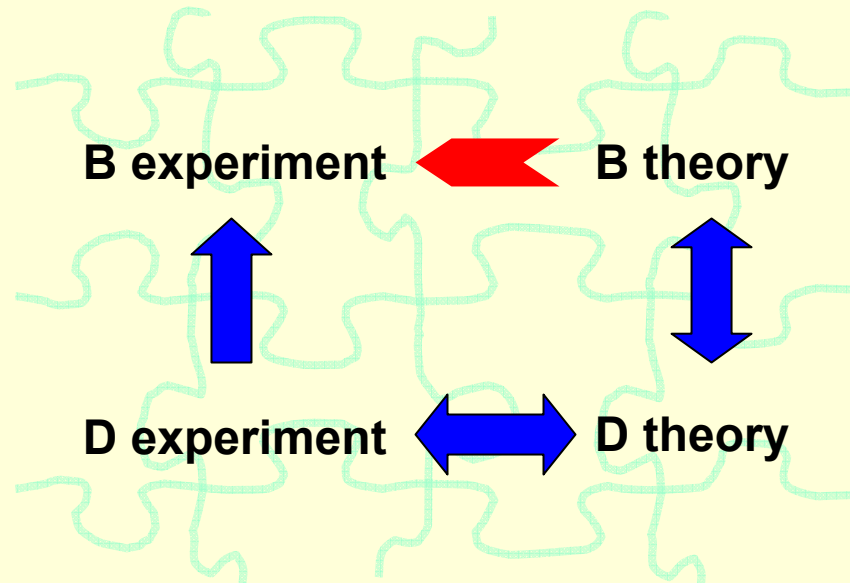
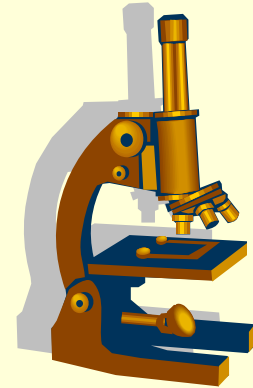


The Big Picture

In addition to being of interest in and of itself, experimental charm results thus have an impact on bottom results.



Theory's difficulties in calculating strong phenomena seriously hamper some measurements in the B sector that need such input, eg. V_{ub} from semileptonic or leptonic B decays, extraction of V_{td} from B^0 - $B^{0\text{bar}}$ mixing measurement.



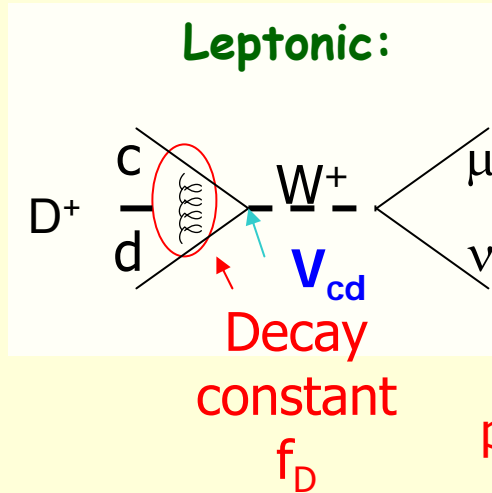
Both b and c are heavy quarks, similar methods apply, $b \leftrightarrow c$ transfer is “easy”.

The charm system provides stringent experimental tests of theoretical heavy quark tools at the percent level.

**This talk:
semileptonic
and leptonic
D decays**

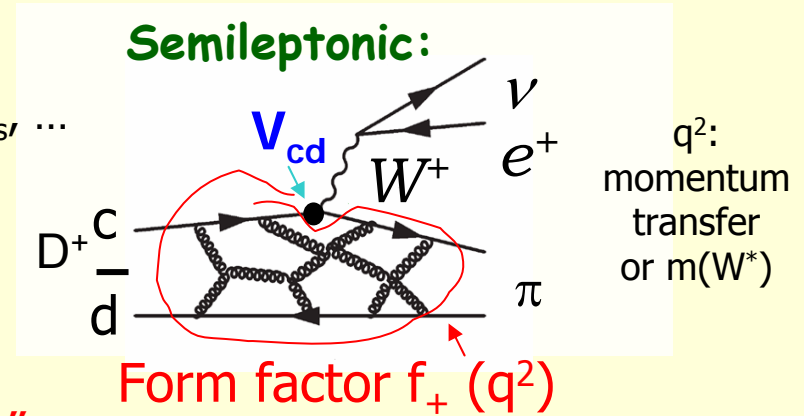
Overview: (Semi-)Leptonic Decays

Examples:



Similar for D_s , B , B_s , ...

Challenge:
understand QCD
portion in a "simple"
weak process



✓ $D^+ \rightarrow \mu \nu$

✓ $D_s^+ \rightarrow \mu \nu$

✓ $D^+ \rightarrow K/\pi/\rho/\eta/\eta'/\omega/K\pi\pi + \ell \nu$

✓ $D^+ \rightarrow \tau \nu$

✓ $D_s^+ \rightarrow \tau \nu$

✓ $D_s^+ \rightarrow \phi + e \nu$

✗ FCNC, LFV

* BR measurements
and/or

* Form factors ($K/\pi/\rho/\phi$)

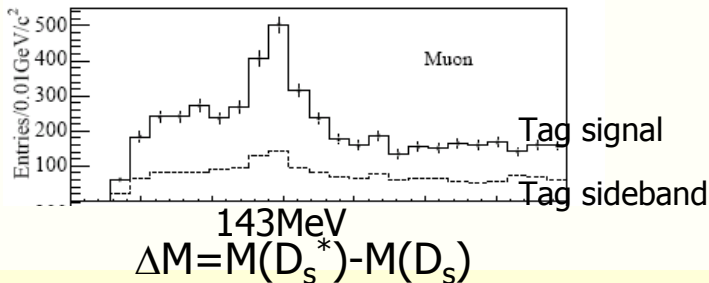
Experimental Issues for precision studies of $D[S] \rightarrow \ell\nu, h\ell\nu$ decays

B Factories:

- Use charm from $e^+e^- \rightarrow c\bar{c}$ (separate from $b\bar{b}$ through topological requirements)
- D from $D^{*+} \rightarrow \pi_S D^0$, D_S^+ from $D_S^{*+} \rightarrow \gamma D_S^+$, check $D_{(S)}^* - D_{(S)}$ mass difference
- Can tag, or not tag, “the other D”
- Normalization: mostly reference mode

BaBar
 $D_S \rightarrow \mu\nu$
 using
 tagged
 D_S events

hep-ex/
 0607094

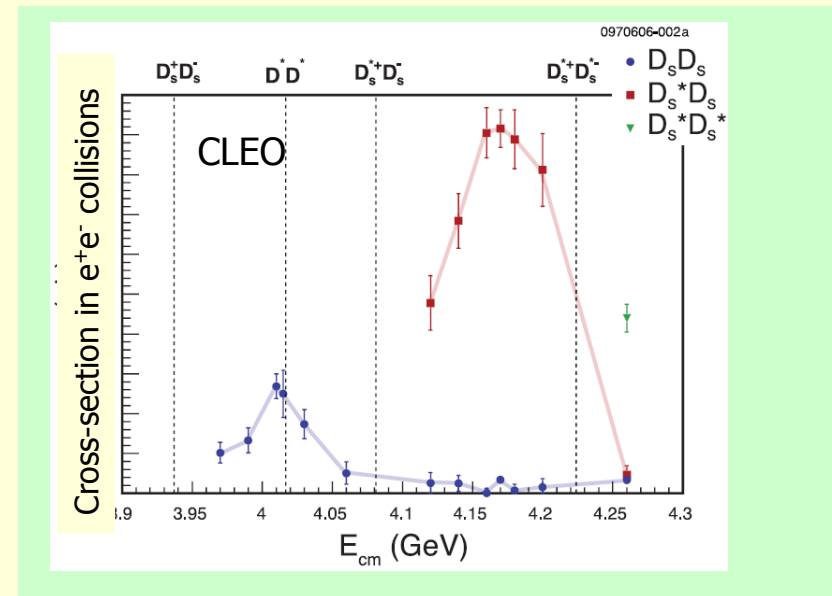


H. Mahlke, Cornell,
 HQL06

Charm (semi-)leptonic decays

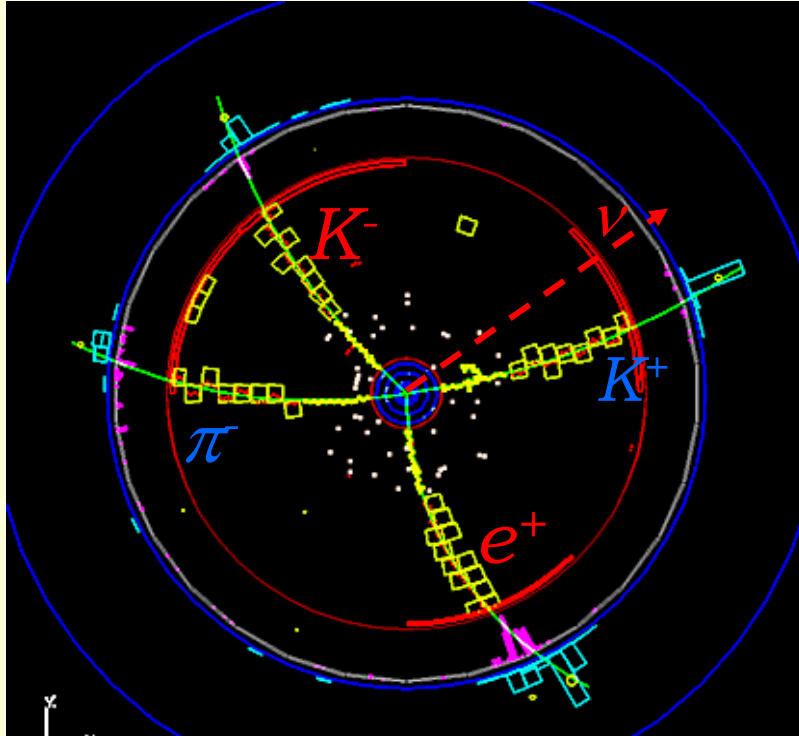
Running at charm threshold (CLEO-c, BES):

- Very clean event environment, well-defined kinematics
- D from $\psi(3770) \rightarrow D^+D^-$, $D^0D^0\bar{0}$;
 D_S from $e^+e^- \rightarrow D_S^*D_S \rightarrow \gamma D_S D_S$
- $DD^{\bar{0}}$ analyses mostly identify one D through a well-known decay mode (“tagged”), but untagged turned out to work very well, too
- Normalization: number of decays



Reconstruction of (semi)leptonic decays at $\psi(3770)$

281pb⁻¹: ~310k D⁺, ~160k D⁰ tags



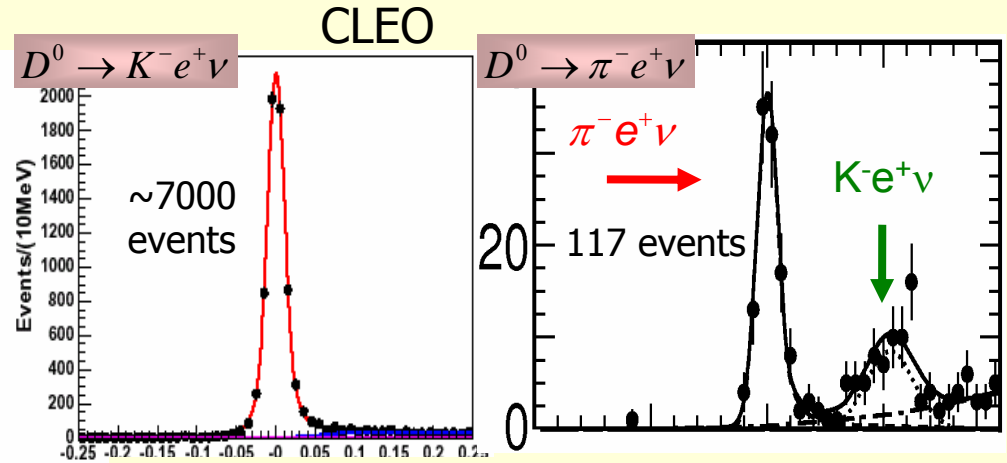
$$\psi(3770) \rightarrow D^0 \bar{D}^0$$

$$\bar{D}^0 \rightarrow K^+ \pi^-, D^0 \rightarrow K^- e^+ \nu$$

Tagging creates a single D beam of known 4-momentum.

H. Mahlke, Cornell,
HQL06

Charm (

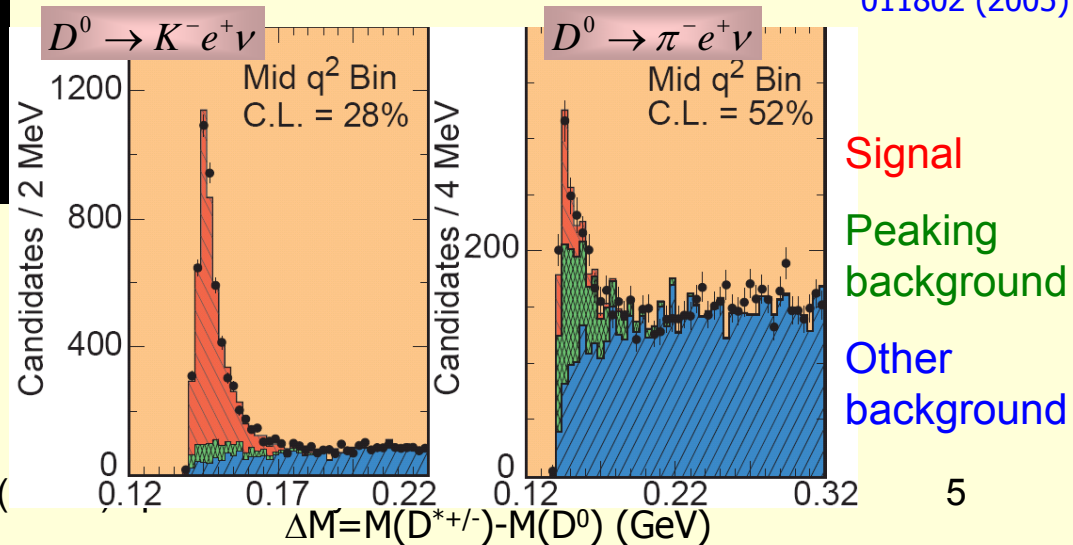


Signal events:

$$U = E_{\text{miss}} - |P_{\text{miss}}| = 0$$

Compare cleanliness at $\Upsilon(4S)$:

CLEO PRL94,
011802 (2005)



Signal
Peaking
background
Other
background

Leptonic Decays

$$D \rightarrow \mu \nu$$

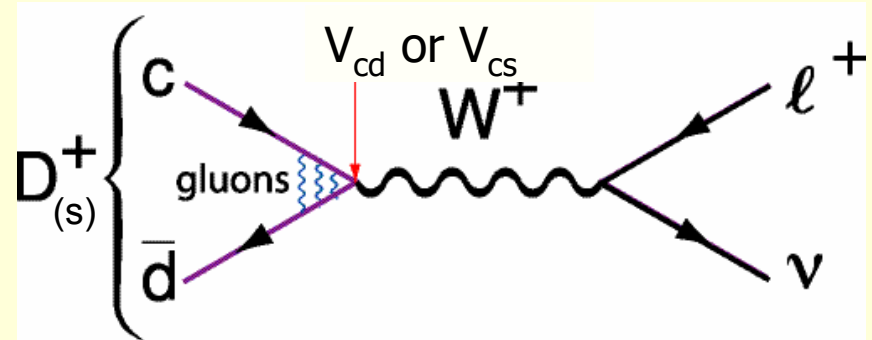
$$D \rightarrow \tau \nu$$

$$D_s \rightarrow \mu \nu$$

$$D_s \rightarrow \tau \nu$$

Leptonic Decays: $D_{(s)}^+ \rightarrow \ell^+ \nu$

- c and \bar{q} can annihilate, probability is \propto to wave function overlap
- Hadronic interaction described by decay constant f_D – challenge for theory
- Goals: 1) put calculations to the test, 2) check lepton universality



General case for pseudoscalars:

$$\Gamma(P^+ \rightarrow \ell^+ \nu) = \frac{1}{8\pi} G_F^2 f_P^2 m_\ell^2 M_P \left(1 - \frac{m_\ell^2}{M_P^2}\right)^2 |V_{Qq}|^2$$

Other mesons:

$f_\pi = 131.73 \pm 0.15 \text{ MeV}$ (0.1%),
 $f_K = 160.6 \pm 1.3 \text{ MeV}$ (0.8%)

Calculate, or measure if V_{Qq} is known

$\tau: \mu : e$ is 9.72:1:0.00002 for $P=D_s^+$
 2.65:1:0.00002 for $P=D^+$

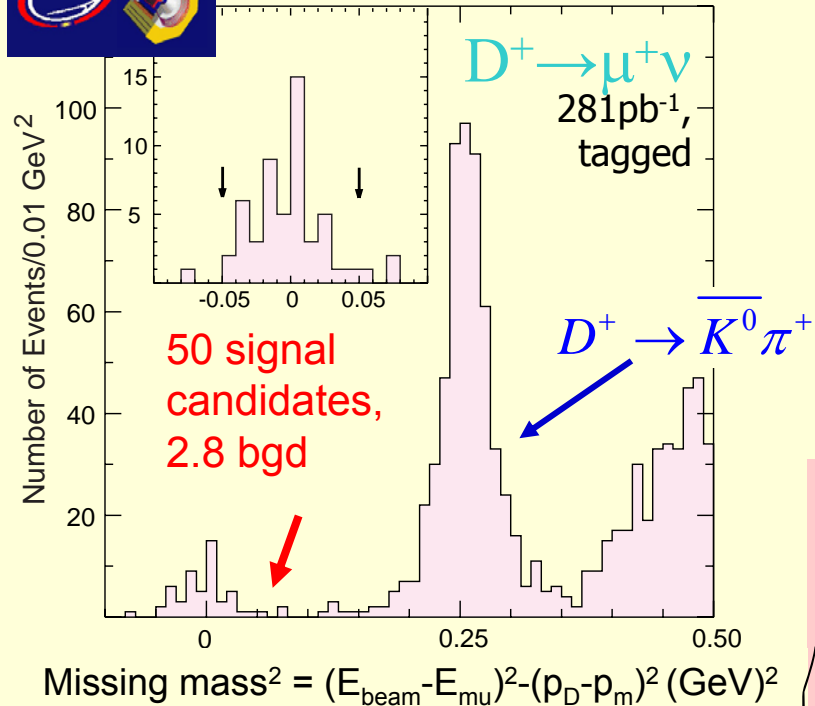
V_{cq} is $O(1)$ $P=D_s^+$
 $O(0.1)$ for $P=D^+$

τ most copiously produced, but is not stable
 $\Rightarrow \mu$ preferable experimentally, esp. for D^+

D_s^+ leptonic BR's larger than D^+
 (lifetimes only a factor of two apart)

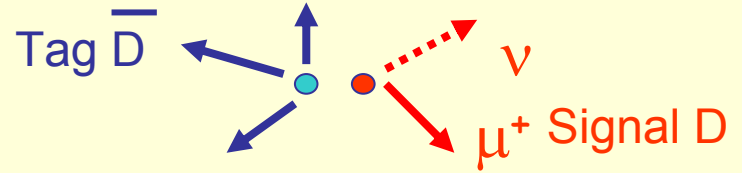
$D^+ \rightarrow \ell^+ \nu$ from experiment

(\Rightarrow BR \Rightarrow f_D)



Background:

$D^+ \rightarrow \pi^+ \pi^0$, $\tau^+ (\rightarrow \pi \nu) \nu$, $K_0 \pi^+$,
estimated from data or MC



Variations:

- * Similar technique applied to measure $D \rightarrow \tau \nu$ with $\tau \rightarrow \pi \nu$; 20 candidates on 11 background
- * Require e instead of μ
 \Rightarrow no candidates, upper limit set

$$\text{BR}(D \rightarrow \mu \nu) = (4.4 \pm 0.7 \pm 0.1) \times 10^{-4}$$

$$\text{BR}(D \rightarrow e \nu) < 2.4 \times 10^{-5} \quad \text{Times SM ratio: } 1 \times 10^{-8}$$

$$\text{BR}(D \rightarrow \tau \nu) < 3.1 \times 10^{-3} \quad 2 \times 10^{-3}$$

BES, 33 pb^{-1} , tagged (3 signal, 0.3 bgd):

$$\text{BR}(D \rightarrow \mu \nu) = (12^{+11}_{-5} \pm 1) \times 10^{-4}$$

With D^+ lifetime of $1.040 \pm 0.0007 \text{ ps}$, $|V_{cd}| = 0.2238 \pm 0.0029$

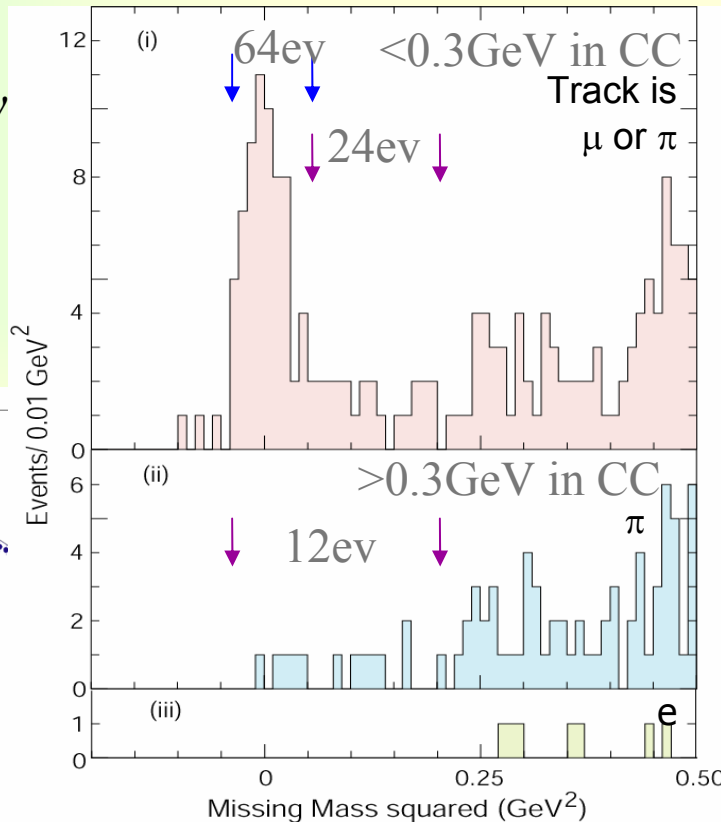
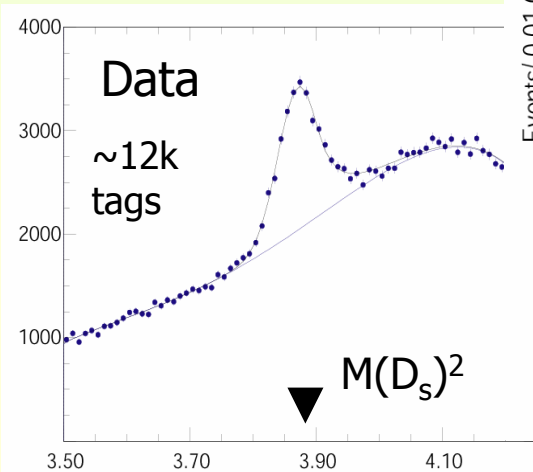
$$f_D = 222.6 \pm 16.7^{+2.8}_{-3.4} \text{ MeV} \quad (11\%)$$

$D_S^+ \rightarrow \mu^+ \nu$ and $\tau^+ \nu$ (1)

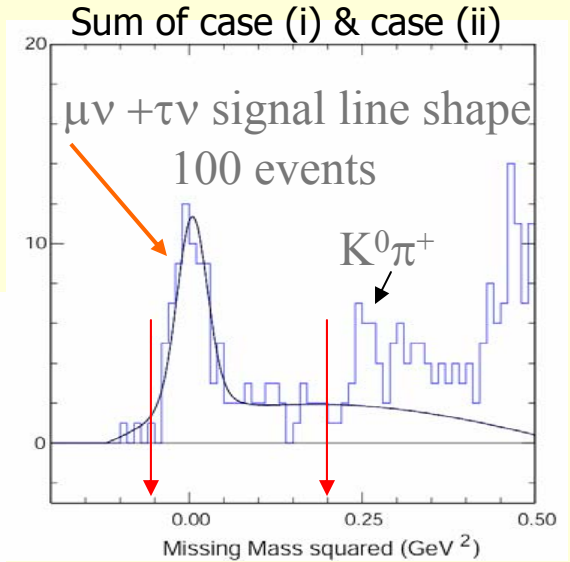
$\sim 200 \text{ pb}^{-1}$ at 4170 MeV, D_S tags, CLEO preliminary

$e^+e^- \rightarrow D_S^* D_S \rightarrow \gamma D_S D_S$, find...

... D_S tag,
 ... γ ,
 ... $D_S \rightarrow \mu \nu$ or $\tau(\rightarrow \pi \nu) \nu$
 or $e \nu$; distinguish
 by energy deposition
 in calorimeter



$$B(D_S^+ \rightarrow e^+ \nu) < 3.1 \times 10^{-4}$$



CLEO preliminary results using
 SM $\mu \nu / \tau \nu$ ratio of 1:9.72:

Combined fit for $\mu + \tau$

$$B(D_S^+ \rightarrow \mu^+ \nu) = (0.657 \pm 0.090 \pm 0.028)\%$$

$$B(D_S^+ \rightarrow \tau^+ \nu) = (7.1 \pm 1.4 \pm 0.3)\%$$

Combining μ and τ :

$$B^{\text{eff}}(D_S^+ \rightarrow \mu^+ \nu) = (0.664 \pm 0.076 \pm 0.028)\%$$

$$f_{D_S} = 282 \pm 16 \pm 7 \text{ MeV (6\%)}$$

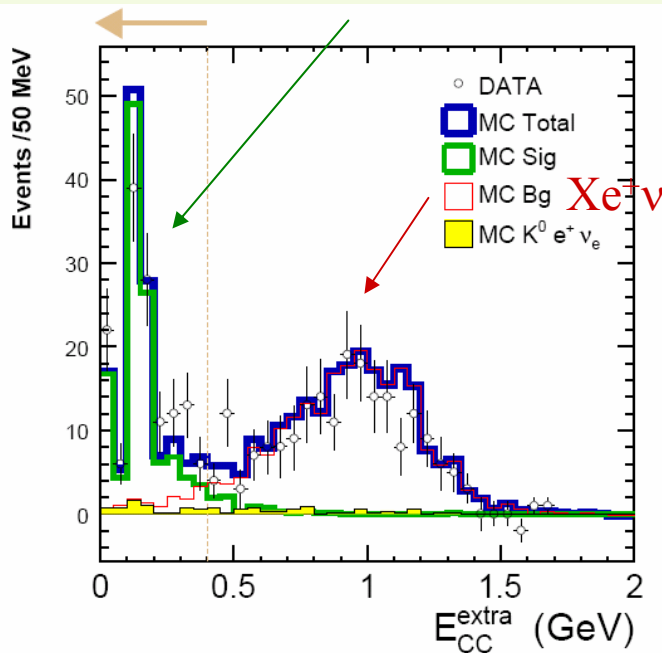
$$MM^{*2} = (E_{\text{CM}} - E_{D_S} - E_{\gamma})^2 - (\vec{p}_{D_S} - \vec{p}_{\gamma})^2$$

$B(D_S^+ \rightarrow \tau^+ \nu) \times B(\tau^+ \rightarrow e^+ \nu \nu) \sim 1.3\%$;
 “large” compared with
 expected $B(D_S^+ \rightarrow X e^+ \nu) \sim 8\%$

Signal candidates:

- (1) e^+ opposite D_S^- tag,
- (2) no other tracks,
- (3) Σ calorimeter energy < 400 MeV
 (don't care about the 140MeV photon)

$200\text{pb}^{-1}, D\text{Tagged at } 4170\text{MeV},$
 $e^+e^- \rightarrow D_S^* D_S^- \rightarrow \gamma D_S^+ D_S^-$



$$D_S^+ \rightarrow \tau^+ \nu \quad (2)$$

using $D_S^+ \rightarrow \tau^+ \nu, \tau^+ \rightarrow e^+ \nu \nu$

➤ **This analysis:**

$$B(D_S^+ \rightarrow \tau^+ \nu) = (6.3 \pm 0.8 \pm 0.5)\%$$

$$f_{D_S} = (278 \pm 17 \pm 12) \text{ MeV} \quad (7\%)$$

➤ **Recall from previous slide:**

$$B(D_S^+ \rightarrow \tau^+ \nu) = (7.1 \pm 1.4 \pm 0.3)\%$$

$$f_{D_S} = (282 \pm 16 \pm 7) \text{ MeV} \quad (6\%)$$

❖ **Combined:**

$$f_{D_S} = (280 \pm 12 \pm 6) \text{ MeV} \quad (5\%)$$

$$f_D = 222.6 \pm 16.7^{+2.8}_{-3.4} \text{ MeV} \quad (11\%):$$

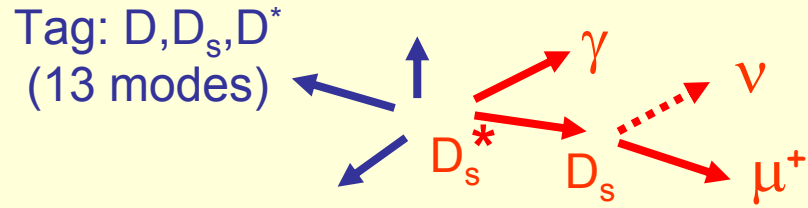
$$f_{D_S}/f_D = 1.26 \pm 0.11 \pm 0.03 \text{ CLEO} \quad (9\%)$$

$$f_{D_S}/f_D = 1.24 \pm 0.07 \text{ FNAL/MILC/HPQCD} \quad (6\%)$$

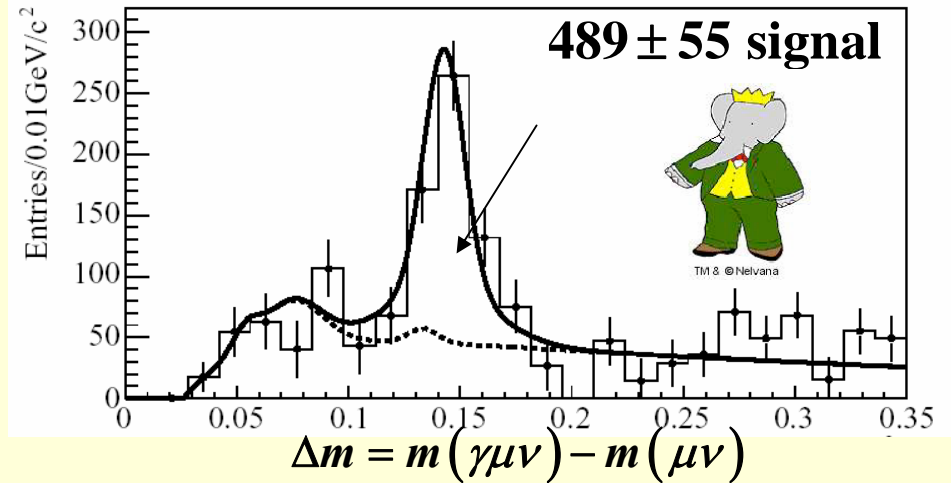
CLEO preliminary

BaBar $D_s \rightarrow \mu \nu$

- 230fb⁻¹ of data in the $\Upsilon(4S)$ region from $e^+e^- \rightarrow c\bar{c}$
- Use kinematic constraints: invariant masses, angle(muon, D_s)
- Peak in $m(D_s^*) - m(D_s) \sim 143$ MeV signifies decay chain
- ~50k charm tags, ~500 signal events
- Normalization: D_s^* production rate in $c\bar{c}$ fragmentation unknown; measure partial width ratio to $\phi\pi$



$$D_s^* \rightarrow \gamma D_s^+ \rightarrow \gamma (\mu \nu) \text{ at } \Upsilon(4S)$$



$$\frac{\Gamma(D_s^+ \rightarrow \mu^+ \nu)}{\Gamma(D_s^+ \rightarrow \phi \pi^+)} = 0.143 \pm 0.018 \pm 0.006$$

13% 4%

Largest sys:
bgd shape
parametrization

$$\text{BR}(D_s^+ \rightarrow \phi \pi^+) = (4.71 \pm 0.46)\% \text{ ("BaBar ave")}$$

$$\text{BR}(D_s^+ \rightarrow \mu^+ \nu) = (6.74 \pm 0.83 \pm 0.26 \pm 0.66) \times 10^{-3}$$

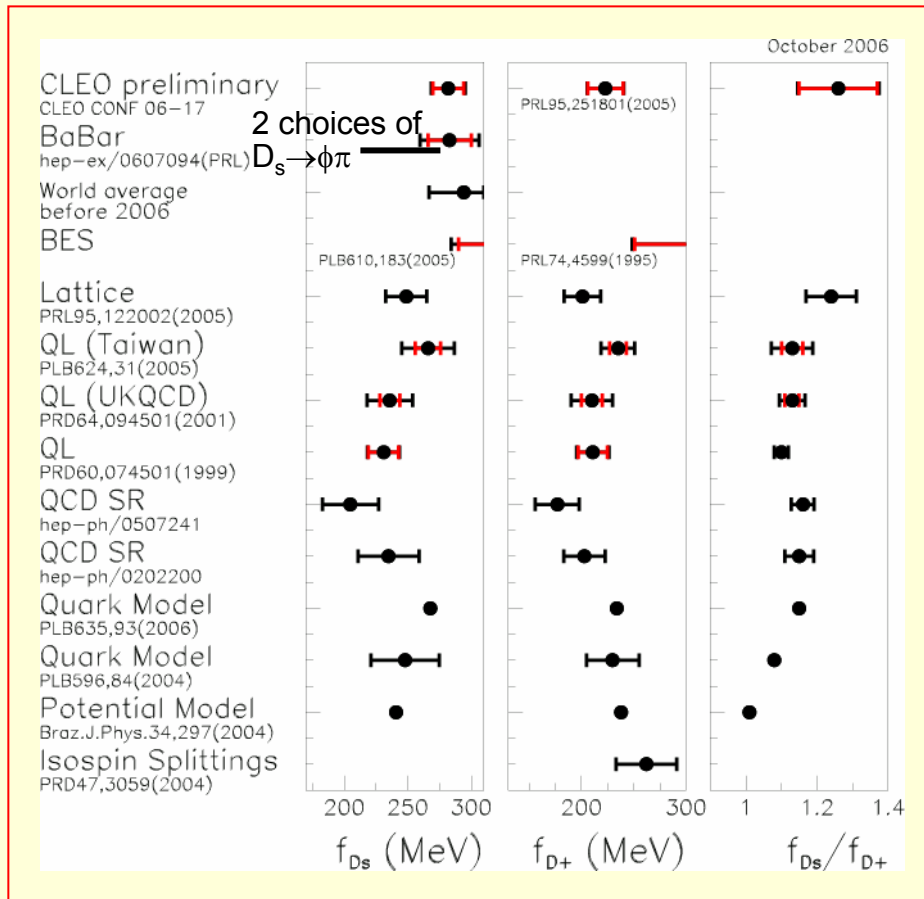
$$f_{D_s} = (283 \pm 17 \pm 7 \pm 14) \text{ MeV (8\%)}$$

$$\text{BR}(D_s^+ \rightarrow \phi \pi^+) = (3.6 \pm 0.9)\% \text{ (PDG04)}$$

$$\text{BR}(D_s^+ \rightarrow \mu^+ \nu) = (5.15 \pm 0.63 \pm 0.20 \pm 1.29) \times 10^{-3}$$

$$f_{D_s} = (248 \pm 15 \pm 6 \pm 31) \text{ MeV (14\%)}$$

Decay Constants, Summary



Leptonic charm decays:

$D \rightarrow \mu\nu$: fairly precise measurement of f_D (8%)

$D \rightarrow e, \tau\nu$: upper limits on BF

$D_s \rightarrow \mu\nu, \tau\nu$: two nice new measurements of f_{D_s} (5% CLEO, 8% BaBar)

Dominant errors are statistical (BaBar also normalization)
 \Rightarrow error reduction “easy”

Most precise calculations are matching the experimental precision, but systematics limited

Semileptonic Decays

$$D \rightarrow \phi \ell \nu$$

$$D \rightarrow \rho \ell \nu$$

$$D \rightarrow \pi \ell \nu$$

$$D \rightarrow \eta(\prime) \ell \nu$$

$$D \rightarrow \omega \ell \nu$$

$$D \rightarrow K \ell \nu$$

$$D \rightarrow K^* \ell \nu$$

$$D \rightarrow X \ell \nu$$

$$D \rightarrow K \pi \pi \ell \nu$$

$$D_s \rightarrow \phi \ell \nu$$

Topics:

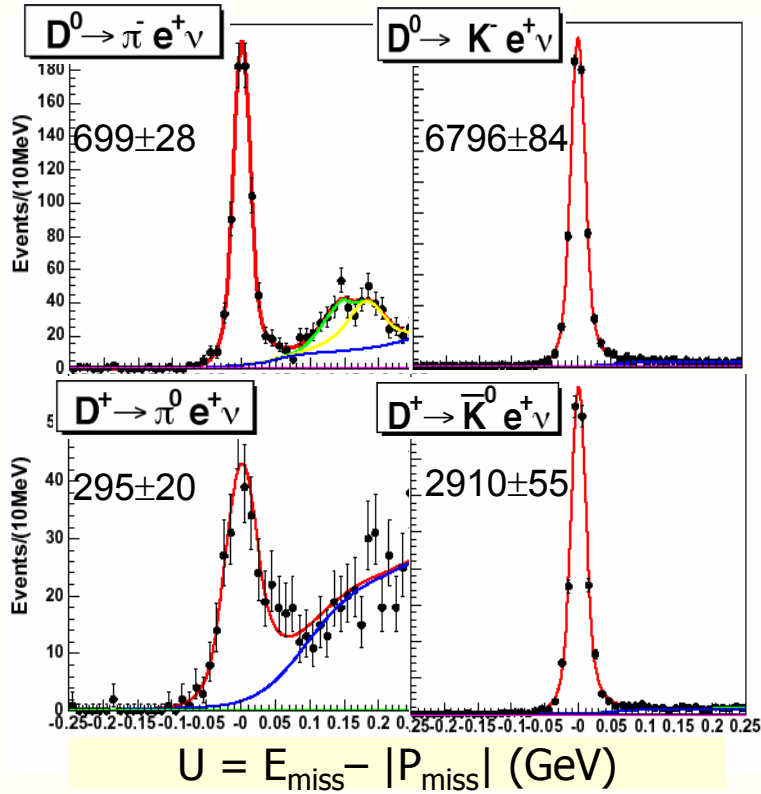
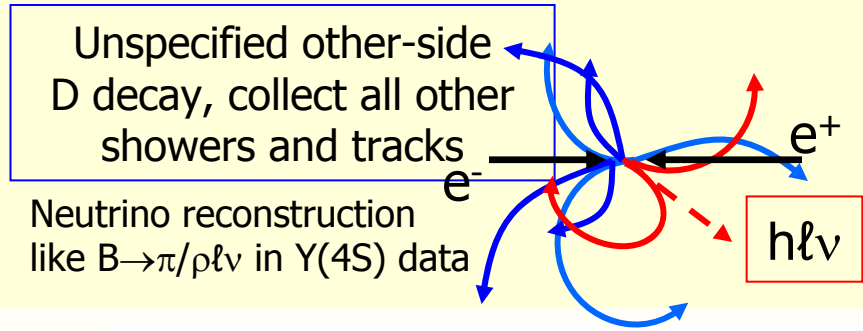
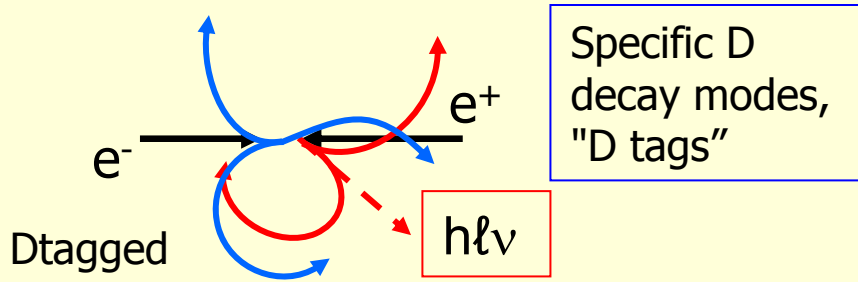
rare decays

precision BR

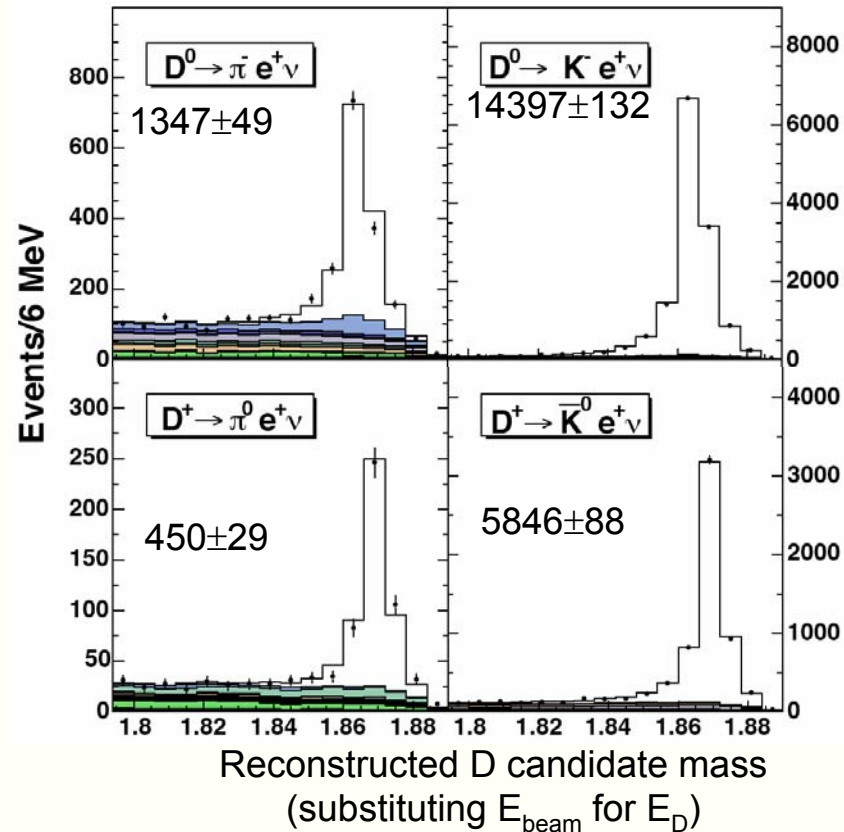
form factors

incl vs excl

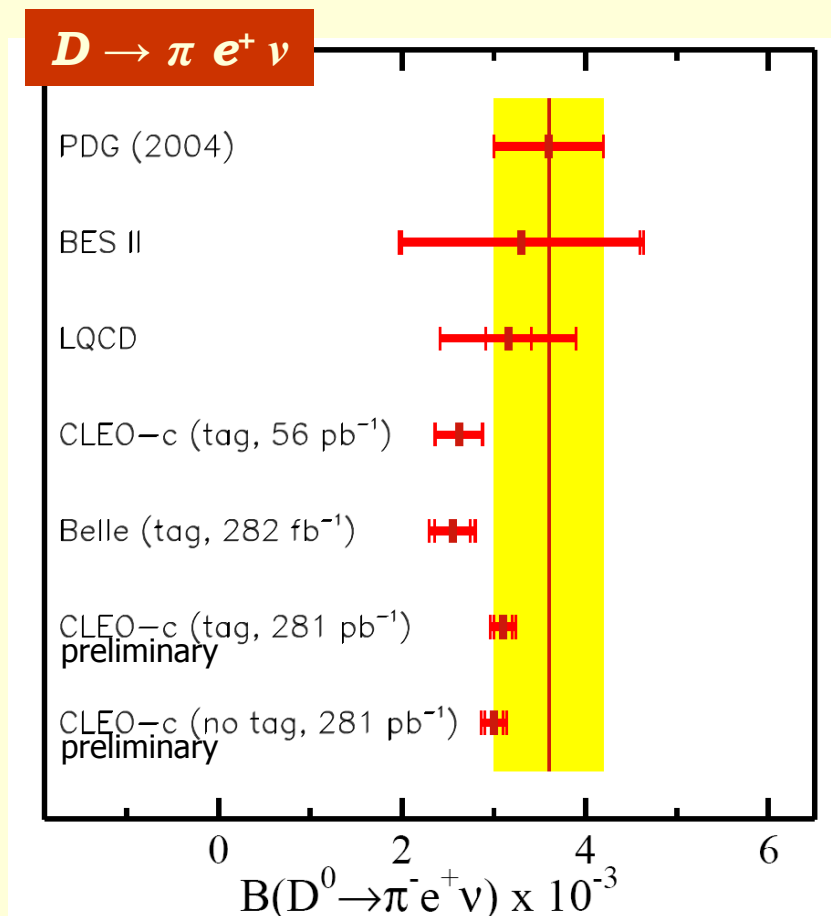
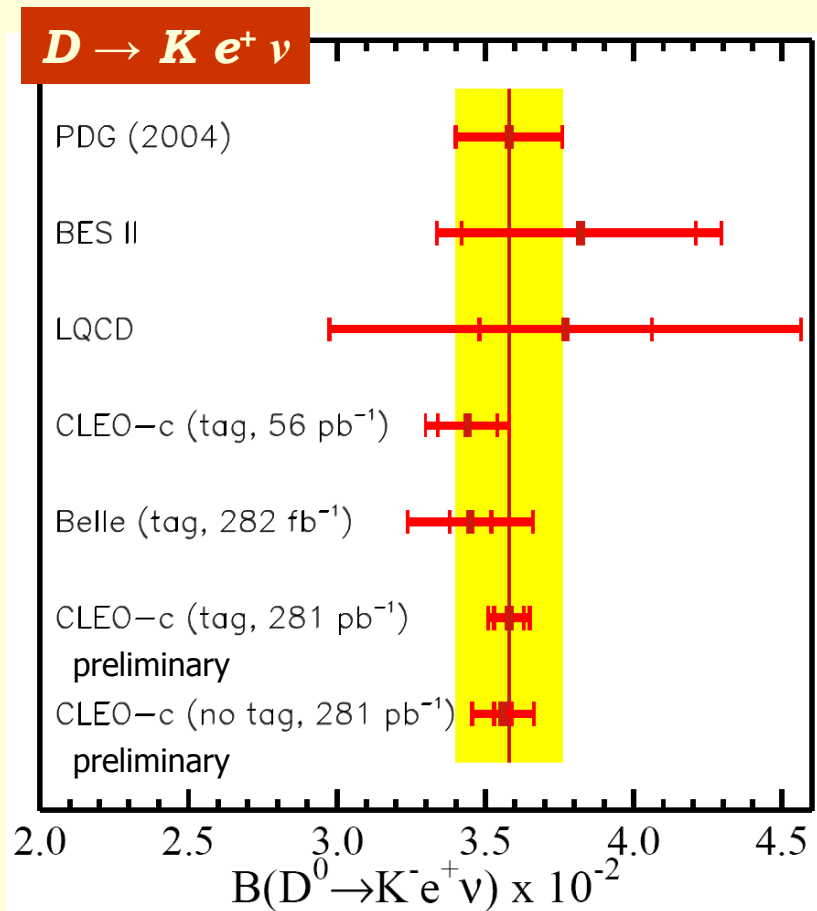
D → π/Keν Branching Fractions & Form Factors



281pb⁻¹,
plots,
caution:
samples
overlap!



D \rightarrow $\pi, K e \nu$ Branching Fractions Comparison



Good consistency between measurements.
LQCD precision lags experiment.

Rare semileptonic

CLEO
preliminary

$$D^+ \rightarrow \eta(\gamma\gamma)e^+\nu_e$$

32.7 ± 6.7

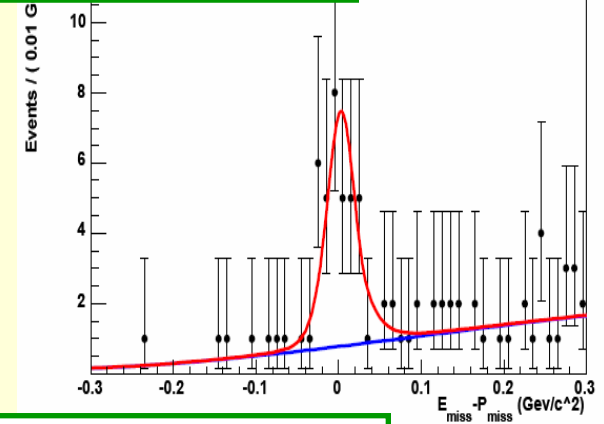
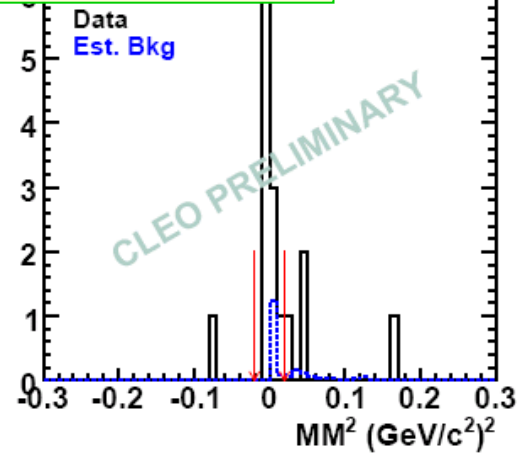
D decays

$D_{tagged}, 281\text{pb}^{-1}$

Mode	BR (10^{-4})
* $\eta e^+\nu$	$12.9 \pm 1.9 \pm 0.7$
** $\eta' e^+\nu$	< 3 (90%CL)
** $\phi e^+\nu$	< 2 (90%CL)
* $K^-\pi^+\pi^-e^+\nu$	$2.9^{+1.5}_{-1.0} \pm 0.5$
$K_1(1270)e^+\nu$	$2.2^{+1.4}_{-1.0} \pm 0.2$
*** $\omega e^+\nu$	$14.9 \pm 2.7 \pm 0.5$

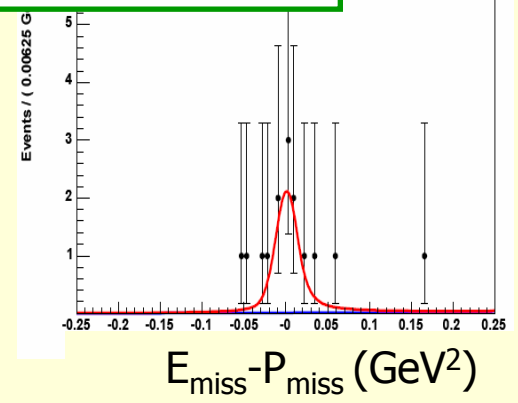
$$D^0 \rightarrow K^-\pi^+\pi^-e^+\nu_e$$

$8.5^{+4.5}_{-3.2}$



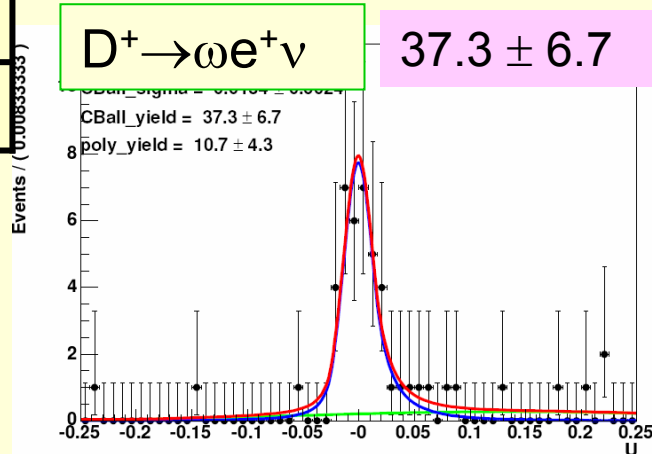
$$D^+ \rightarrow \eta(\pi^+\pi^-\pi^0)e^+\nu_e$$

13.3 ± 4.0



$$D^+ \rightarrow \omega e^+\nu$$

37.3 ± 6.7



* First observation

** Improved UL
(factor 100)

*** Error improved
by factor of two

Two predictions:

$$B(D^+ \rightarrow \eta [\eta'] e^+\nu) = \dots$$

$\dots 10 [1.6] \times 10^{-4}$

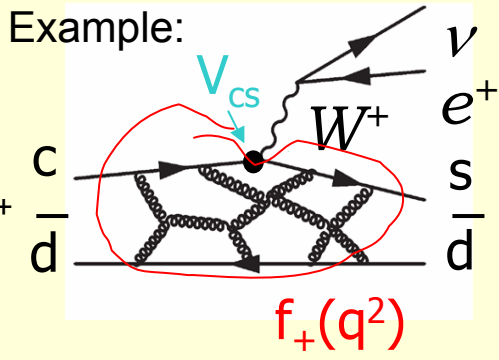
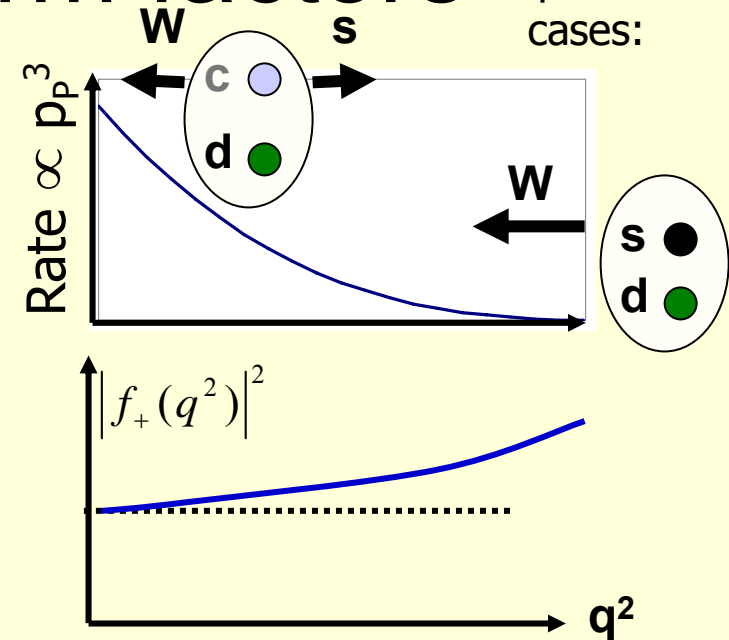
Fajfer & Kamenik, PRD71, 014020

$\dots 16 [5] \times 10^{-4}$

Scora & Isgur, RD52, 2783

Form factors

2 special cases:

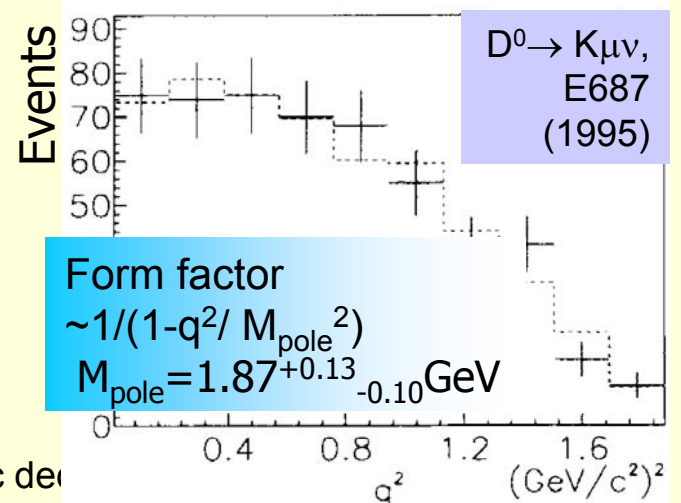


$$\frac{d\Gamma}{dq^2}(D \rightarrow \pi \ell \nu)$$

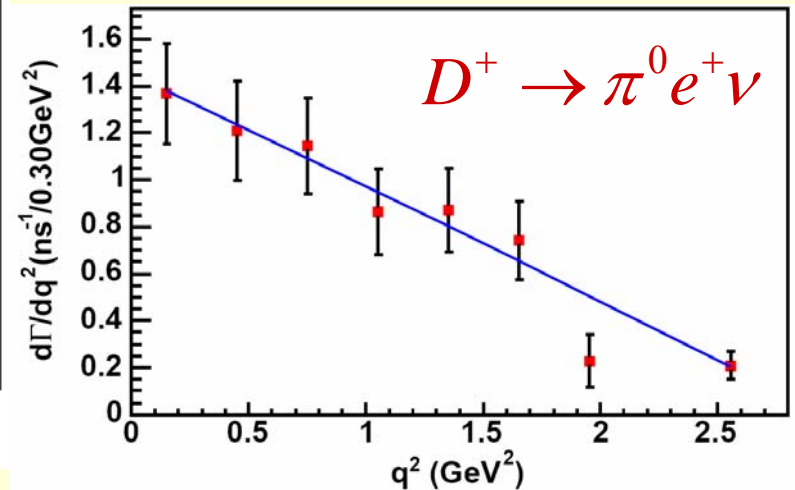
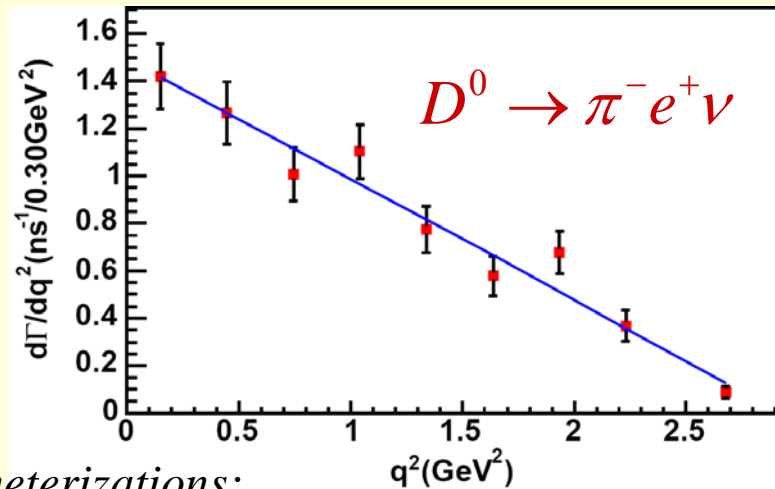
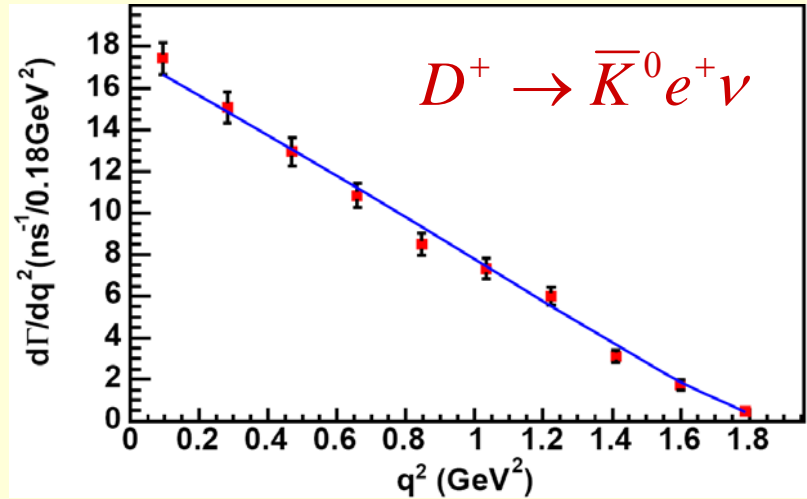
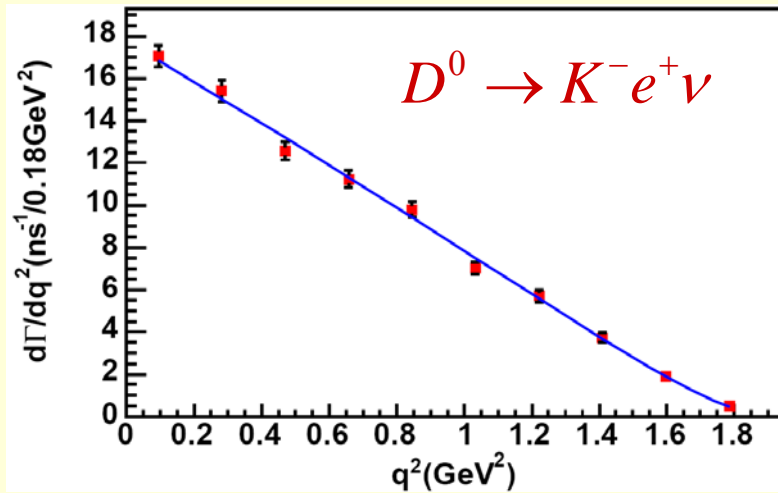
$$\propto |f_+(q^2)|^2 p_\pi^3 |V_{cd}|^2$$

$q^2 = m_{W^*}$: momentum transfer to the W^*
 $f_+(q^2)$: form factor function

- Cannot calculate from first principles
- Many different parametrizations on the market
- Quantities of interest: shape *and* normalization
- Experiment can only determine $V_{cq} \times f(0)$
- Unitarity constrains V_{cq} , hence stringent tests possible
- HQET links D and B decay
- q^2 resolutions down to $O(0.01 \text{ GeV}^2)$ have been achieved



E687, PLB 364, 127 (1995)

Form
factor
fit
plots

3 FF parameterizations:

Simple Pole
Model

$$f^+(q^2) = \frac{f^+(0)}{(1 - q^2/m_{pole}^2)}$$

+ Hill series expansion

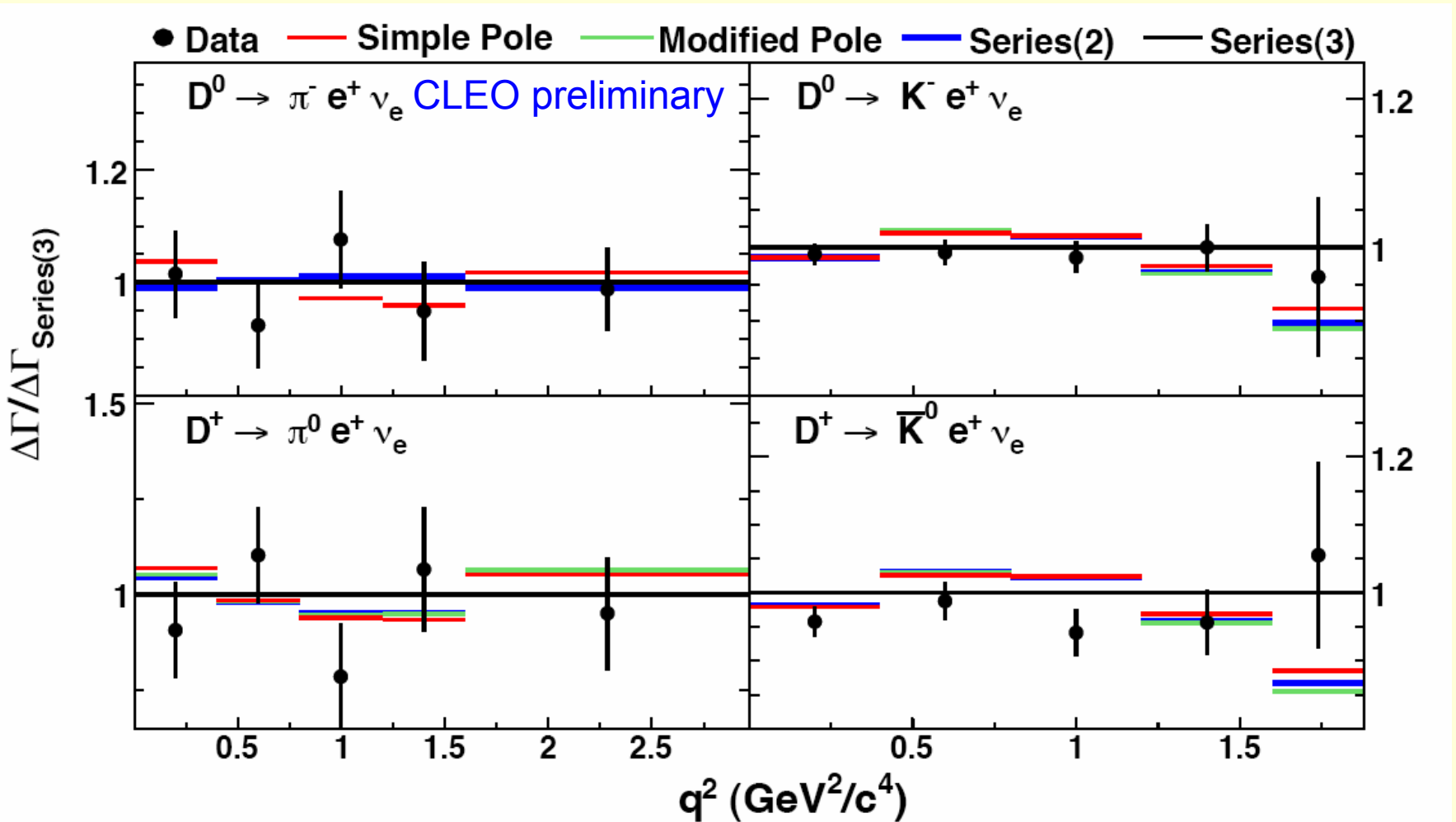
(Phys. Lett. B 633, 61 (2006))

Modified Pole
Model

$$f^+(q^2) = \frac{f^+(0)}{(1 - q^2/m_{pole}^2)(1 - \alpha q^2/m_{pole}^2)}$$

Tagged Modified Pole (BK) Model shown: 18

$D \rightarrow \pi/K e \nu$: Which Form Factor Parameterization?



All these models describe the data pretty well (except when forcing pole mass to nominal value in pole model).

Belle, BaBar, FOCUS

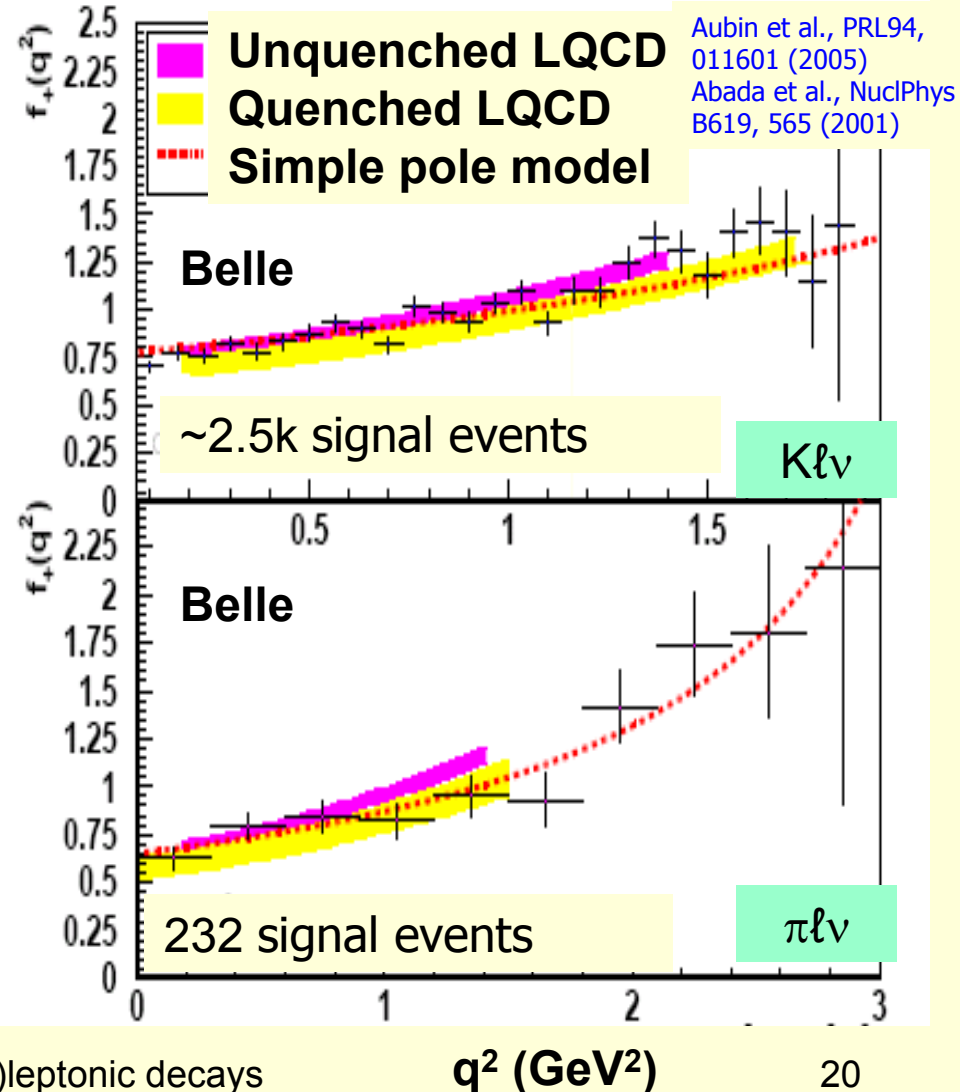
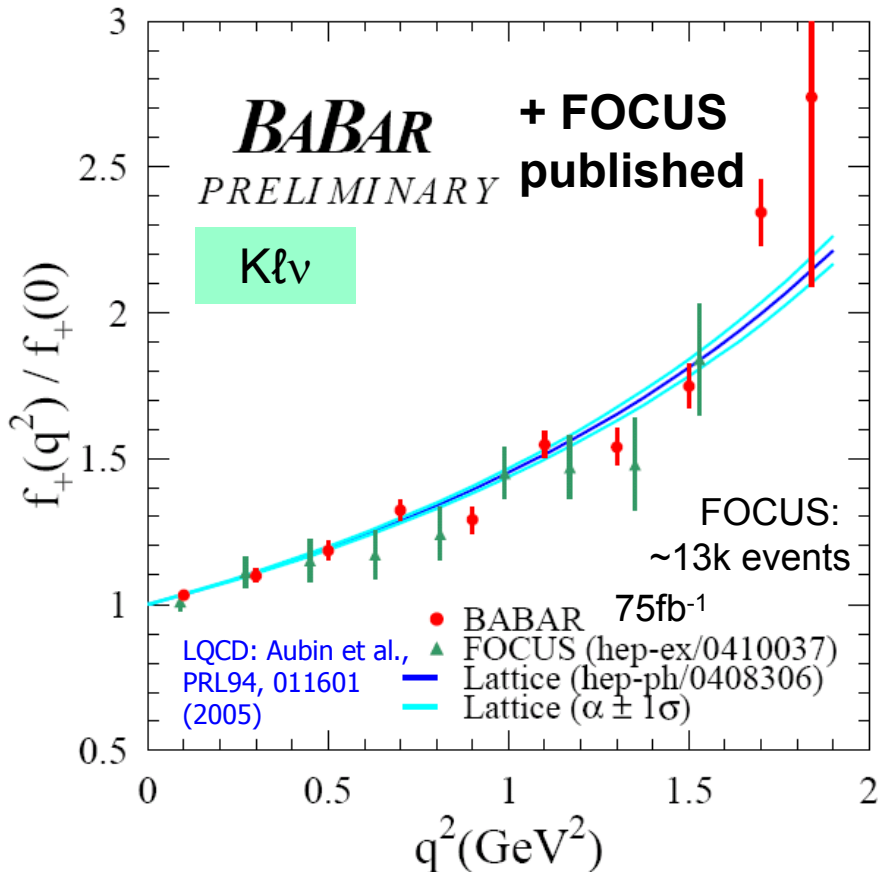
$D \rightarrow K, \pi \ell \nu$ form factors

BELLE: PRL 97, 061804 (2006) [hep-ex/0604049]

BaBar: hep-ex/0607077

FOCUS: PLB607, 233 (2005) [hep-ex/0410037]

Belle, 282fb^{-1} , fully reconstructed events, excellent q^2 resolution



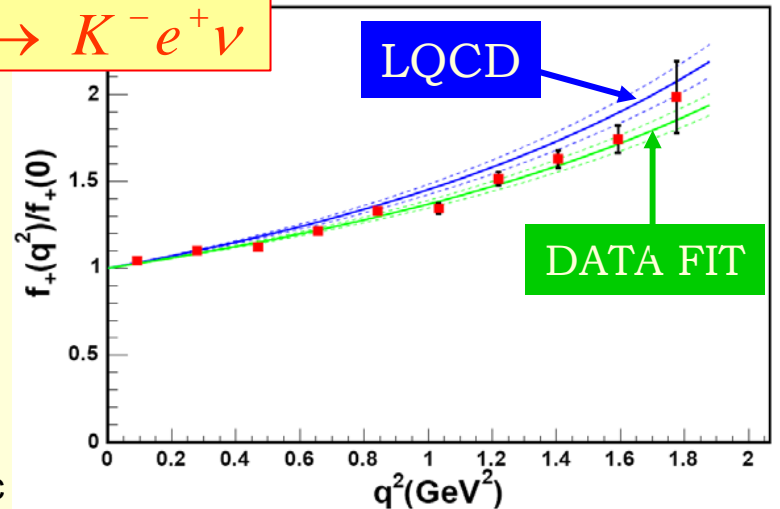
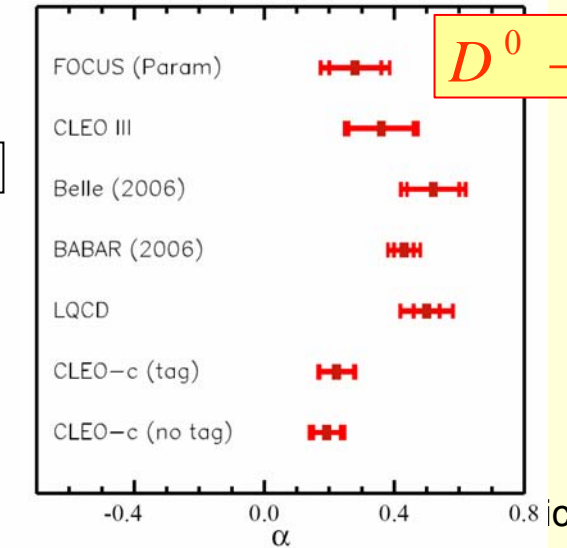
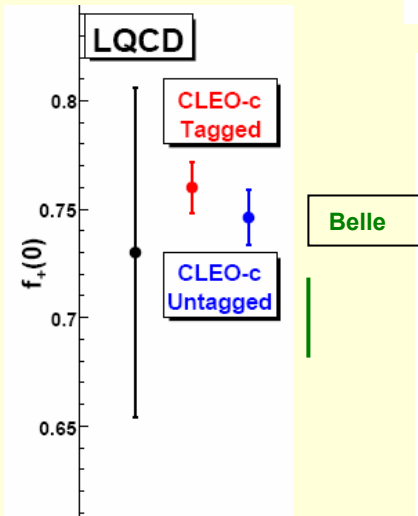
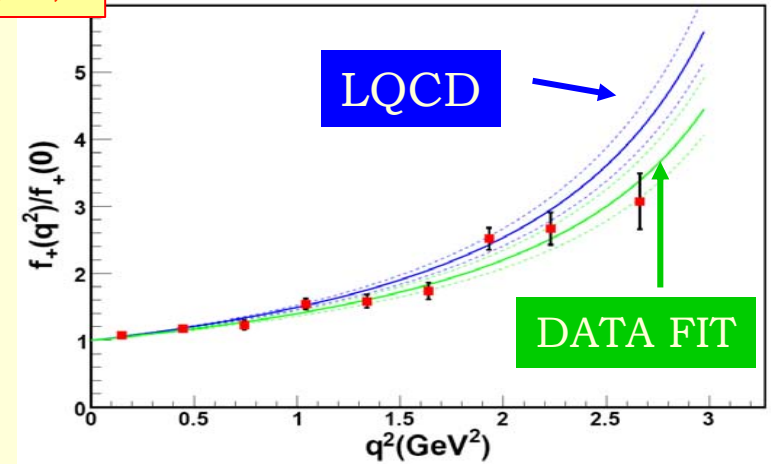
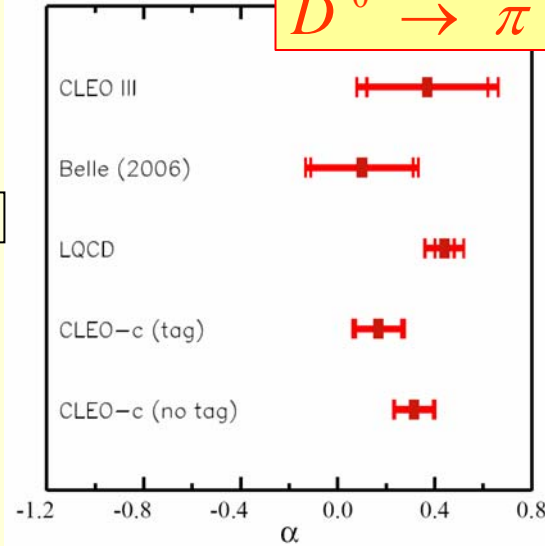
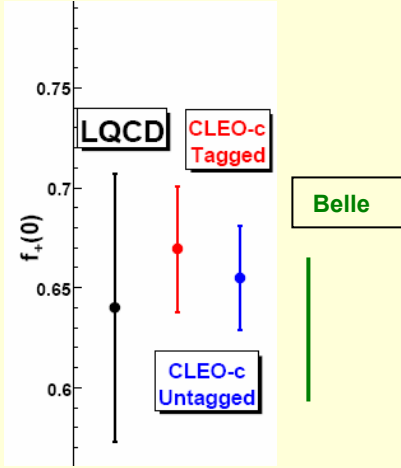
Form Factors as a Stringent Test of LQCD

Normalization $f_+(0)$

Shape; α

LQCD: PRL94,011601(2005)
 Belle: PRL 97, 061804 (2006)
 CLEO: preliminary

$D^0 \rightarrow \pi^- e^+ \nu$



V_{cs} and V_{cd} Precision

Experimental $|V_{cx}|f_+(0)$ from fits \oplus $f_+(0)$ from unquenched LQCD

$\Rightarrow |V_{cs}|$ and $|V_{cd}|$:

PRL 94, 011601 (2005)

Decay Mode	$ V_{cx} \pm (stat) \pm (syst) \pm (theory)$	PDG/HF Value
$D \rightarrow \pi e \nu$ (tagged)	$0.234 \pm 0.010 \pm 0.004 \pm 0.024$	
$D \rightarrow \pi e \nu$ (untagged)	$0.229 \pm 0.007 \pm 0.005 \pm 0.024$	0.224 ± 0.012
$D \rightarrow K e \nu$ (tagged)	$1.014 \pm 0.013 \pm 0.009 \pm 0.106$	
$D \rightarrow K e \nu$ (untagged)	$0.996 \pm 0.008 \pm 0.015 \pm 0.104$	0.976 ± 0.014

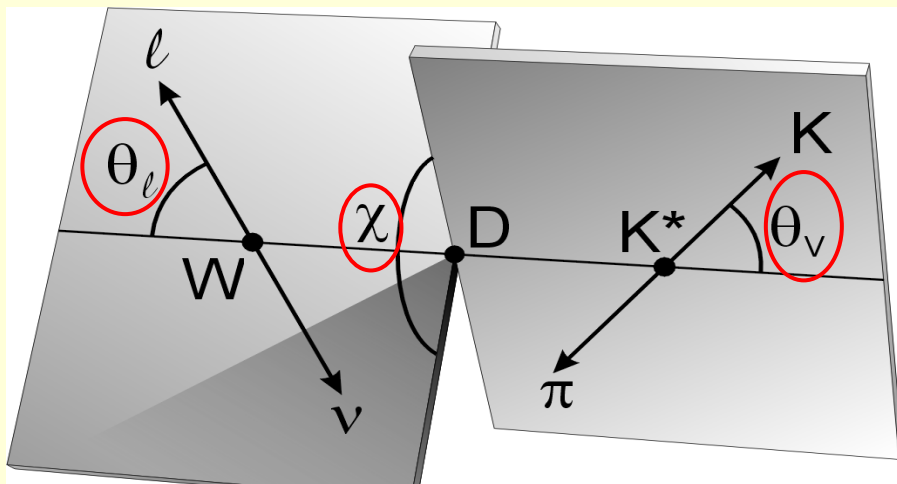
Tagged and untagged consistent.

40% of events are common to both analyses: DO NOT AVERAGE!

Uncertainties: experiment: $V_{cs} < 2\%$, $V_{cd} \sim 4\%$ / LQCD $f_+(0)$ prediction: 10%

V_{cs} ($W \rightarrow cs$ LEP) and V_{cd} (νN) well measured \Rightarrow good agreement between PDG(HF) and CLEO-c results primarily a check of the LQCD value for $f_+(0)$. Nevertheless, the most precise & robust V_{cs} & V_{cd} determinations using semileptonic decays to date.

D → Vector l ν Decay



“Traditional Method”:
 Rewrite $H_{\pm}(q^2)$, $H_0(q^2)$
 as functions of
 $A_1(q^2)$, $A_2(q^2)$, $V(q^2)$,
 spectroscopic pole dominance:

$$A_i(q^2) = \frac{A_i(0)}{1 - q^2/M_{A_i}^2} \quad V(q^2) = \frac{V(0)}{1 - q^2/M_V^2}$$

$$M_V = 2.1 \text{ GeV}$$

$$M_{A1} = M_{A2} = 2.5 \text{ GeV}$$

$$R_V = V(0)/A_1(0)$$

$$R_2 = A_2(0)/A_1(0)$$

Assume shape,
 end up with only
 two shape
 parameters.

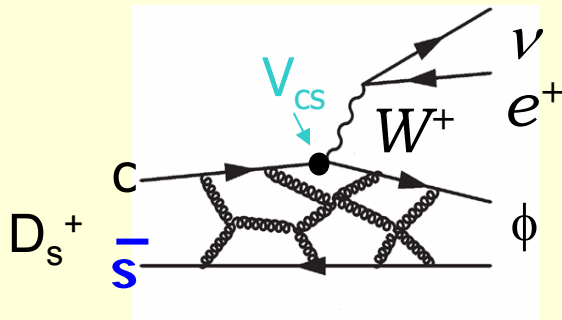
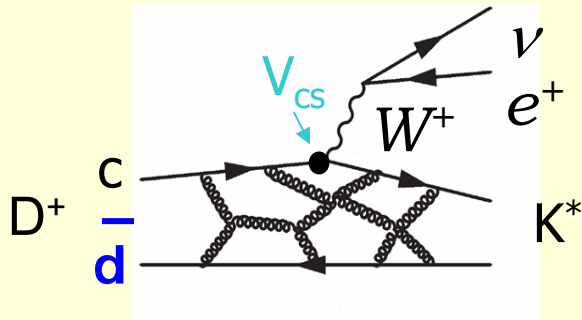
$$\int |A|^2 d\chi = \frac{1}{8} q^2 \left\{ \begin{array}{l} ((1 + \cos \theta_l) \sin \theta_\nu)^2 |H_+(q^2)|^2 |BW|^2 \\ + ((1 - \cos \theta_l) \sin \theta_\nu)^2 |H_-(q^2)|^2 |BW|^2 \\ + (2 \sin \theta_l \cos \theta_\nu)^2 |H_0(q^2)|^2 |BW|^2 \\ + 8 (\sin^2 \theta_l \cos \theta_\nu) H_0(q^2) h_0(q^2) \text{Re} \{ A e^{-i\delta} BW \} \\ + O(A^2) \end{array} \right.$$

Present in $K^* l \nu$; what
 about $\rho l \nu$? $\phi l \nu$?

$H_0(q^2)$, $H_+(q^2)$, $H_-(q^2)$ are helicity-basis form factors computable by LQCD
 A new factor $h_0(q^2)$ is needed to describe **s-wave interference piece**.

An earlier controversy

Expect form factor similarity:

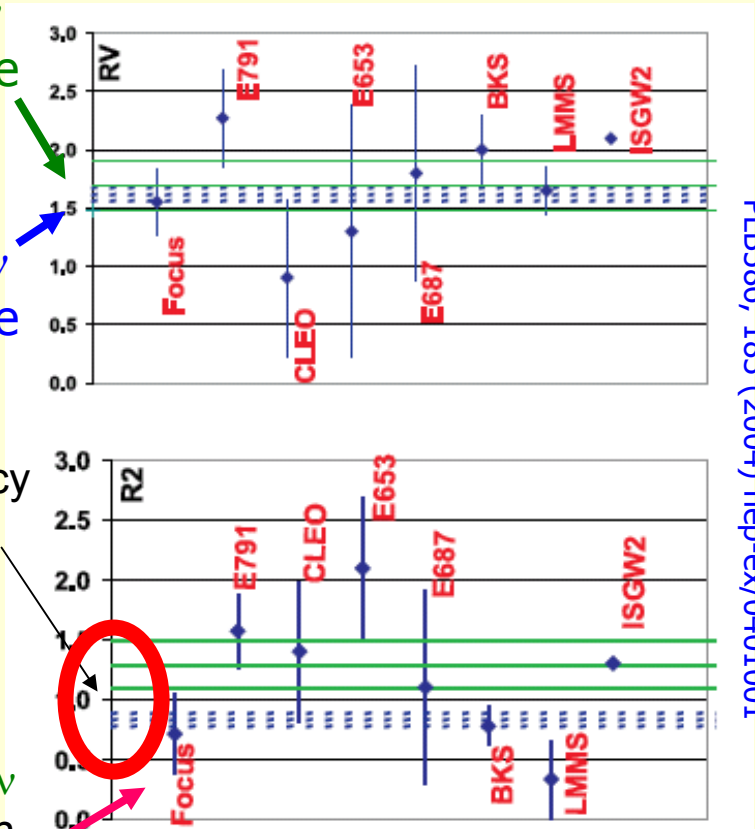


$D_s \rightarrow \phi l \nu$
world ave

$D \rightarrow K^* l \nu$
world ave

Discrepancy
for R_2 :

FOCUS $\phi l \nu$
agrees with
 $K^* l \nu$ world ave

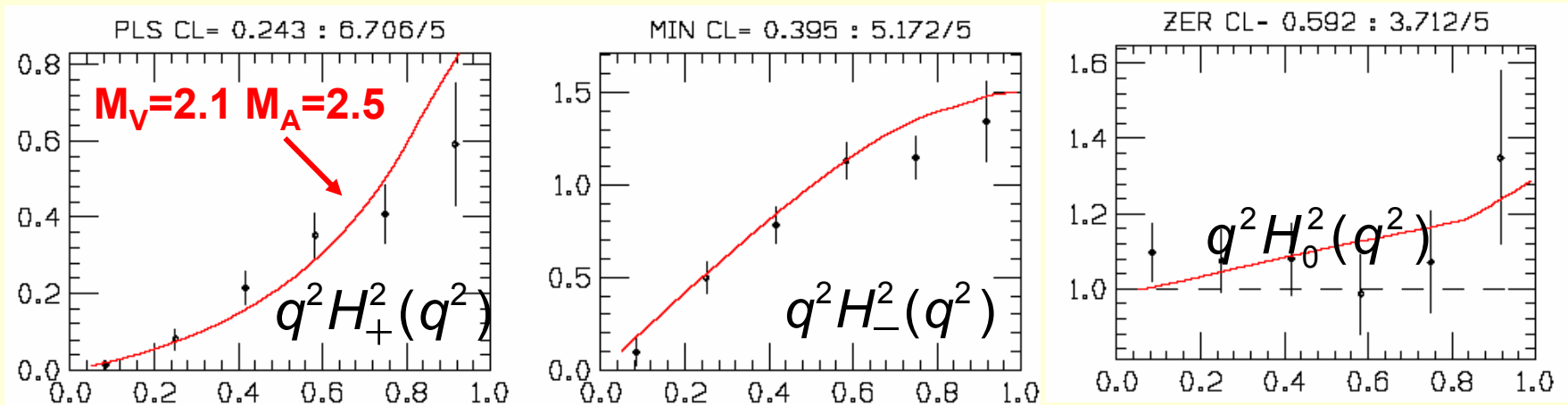


Resolved? Confirm?

$D^+ \rightarrow K^- \pi^+ e^+ \nu$ Form Factors

- data (281 pb⁻¹)
- overlay (not fit)

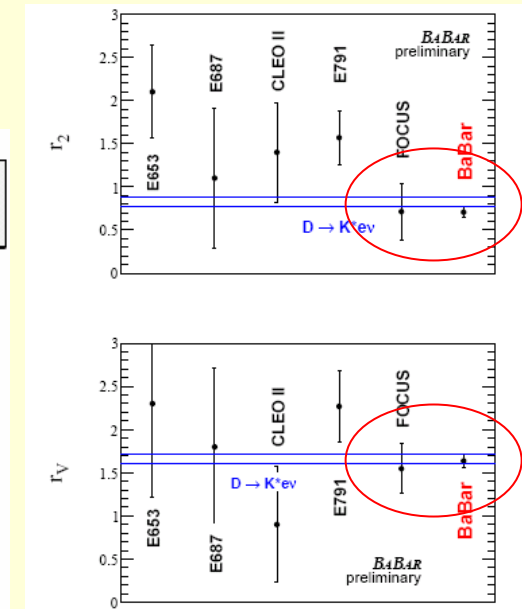
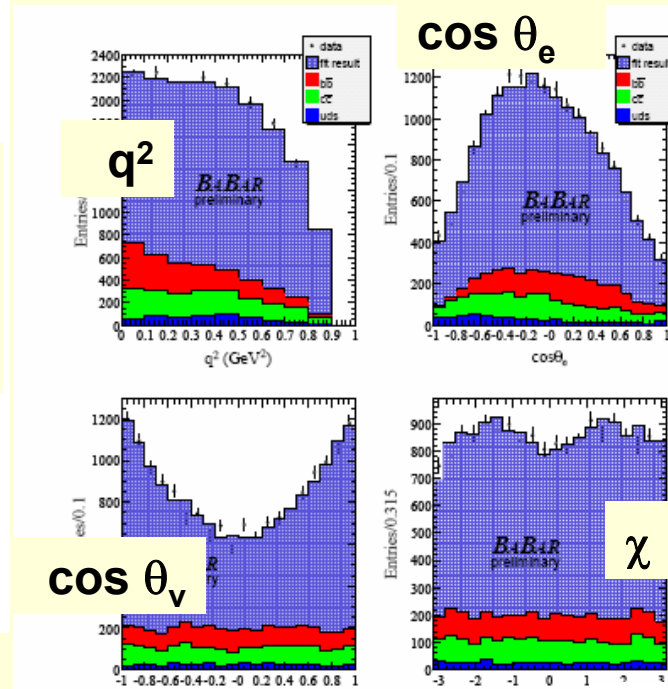
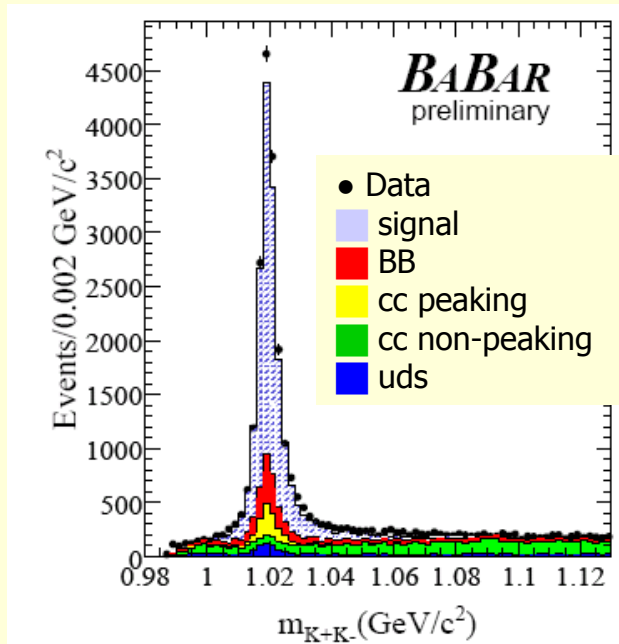
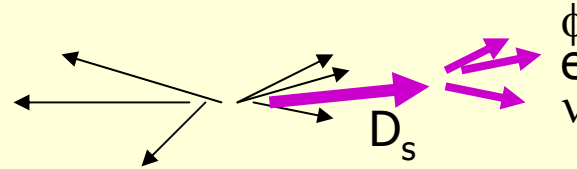
$H_0(q^2)$, $H_+(q^2)$, $H_-(q^2)$ are **helicity-basis form factors** computable by LQCD
 A new factor $h_0(q^2)$ is needed to describe **s-wave interference piece**.



Data fits spectroscopic poles and constant form factors equally well.
 No evidence for d- or f-wave contributions.

BaBar $D_s \rightarrow \phi e \nu$ form factors

$e^+e^- \rightarrow c\bar{c}$ from 78.5fb^{-1} ,
about 13k signal events



Fit in the simple pole
model, using $m_\nu=2.1\text{GeV}$

Table 6: Comparison between $D/D_s^+ \rightarrow V e^+ \nu_e$ decays.

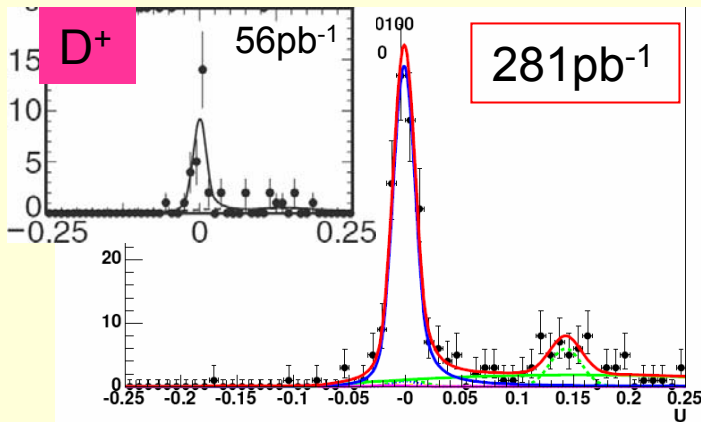
Parameter	$D_s^+ \rightarrow \phi e^+ \nu_e$ (this analysis)	$D \rightarrow K^* e^+ \nu_e$ (average value at FPCP06)
r_V	$1.636 \pm 0.067 \pm 0.038$	1.66 ± 0.06
r_2	$0.705 \pm 0.056 \pm 0.029$	0.827 ± 0.055

D → ρeν (BR+FF)

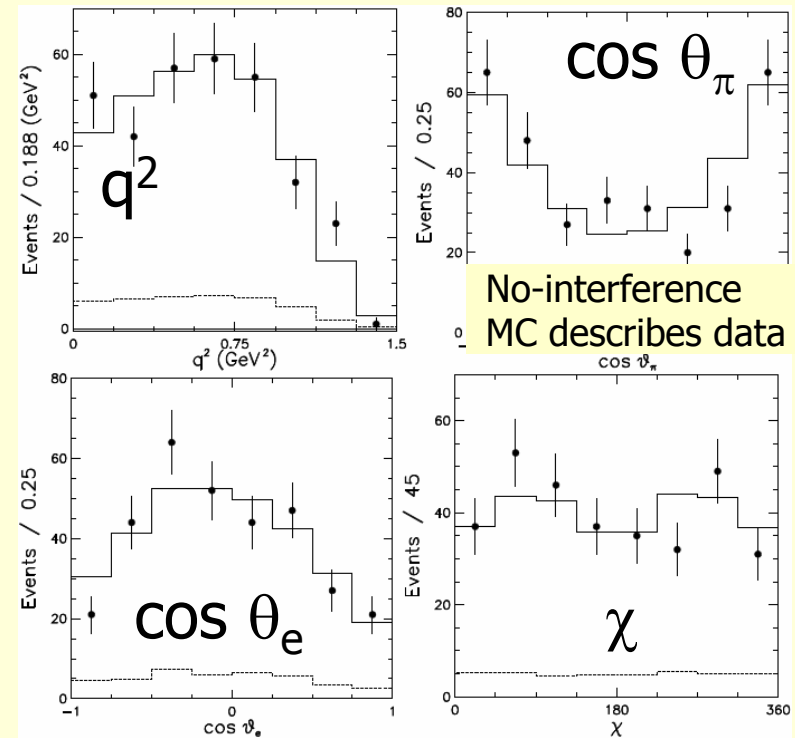
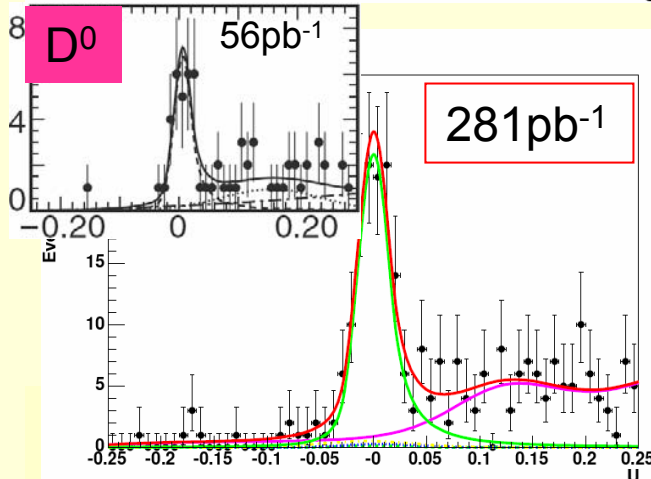
Interest: 1st measurement of FF in Cabibbo-suppressed charm PS → V decay

$$\frac{d\Gamma(B \rightarrow \rho e^+ \nu)}{dq^2} \propto \frac{|V_{ub}|^2}{|V_{ts}|^2} \quad \text{Need } D \rightarrow K^* e \nu \text{ and } D \rightarrow \rho e \nu \text{ FF}$$

Grinstein & Pirjol [hep-ph/0404250]



Fixed background shape and signal tails from MC



Line is projection for fitted R_V, R_2

$$B(D^0 \rightarrow \rho^- e^+ \nu) = (1.56 \pm 0.16 \pm 0.09) \times 10^{-3}$$

$$B(D^+ \rightarrow \rho^0 e^+ \nu) = (2.32 \pm 0.20 \pm 0.12) \times 10^{-3}$$

Isospin average:

$$\Gamma(D^0 \rightarrow \rho^- e^+ \nu) = (0.41 \pm 0.03 \pm 0.02) \times 10^{-2} \text{ ps}^{-1}$$

this analysis

$$\Gamma(D^0 \rightarrow \rho^- e^+ \nu) = (0.44 \pm 0.06 \pm 0.02) \times 10^{-2} \text{ ps}^{-1}$$

FOCUS PLB 637,32 (2006)

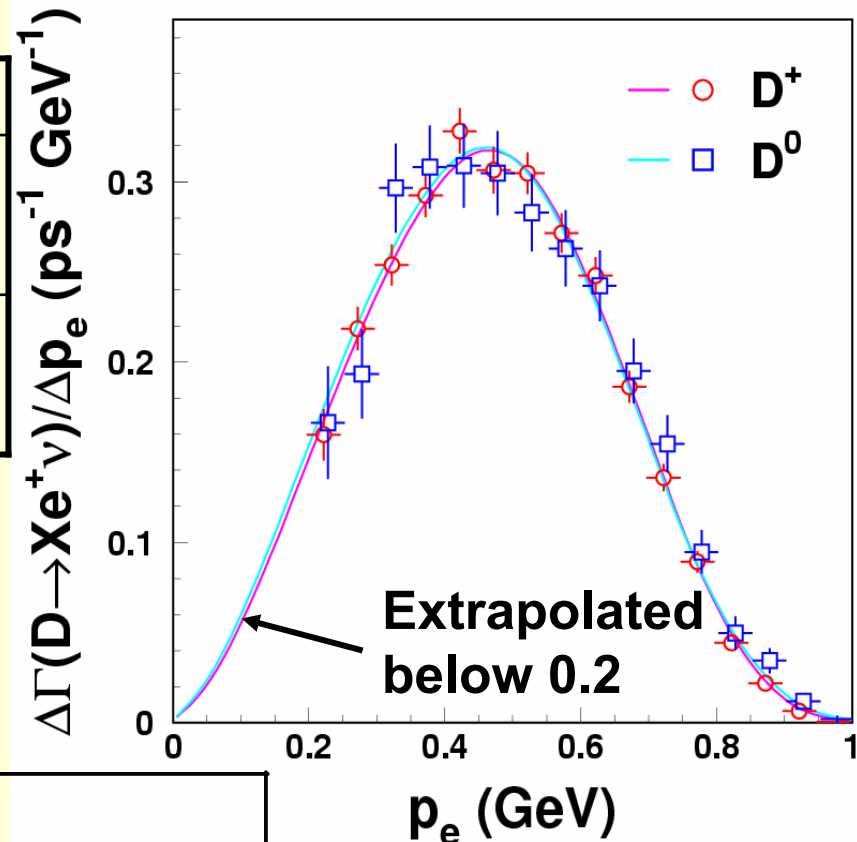
$$\text{Simultaneous fit to } D^+ \rightarrow \rho^0 e \nu, D^0 \rightarrow \rho^- e \nu$$

$$R_V = 1.40 \pm 0.25 \pm 0.03, R_2 = 0.57 \pm 0.18 \pm 0.06$$

Inclusive Semileptonic Results

mode	Branching Fraction
$D^0 \rightarrow Xe^+ \nu$	$(6.46 \pm 0.17 \pm 0.13)\%$
$\sum_i B_i (D^0 \rightarrow Xe^+ \nu)$	$(6.1 \pm 0.2 \pm 0.2)\%$
$D^+ \rightarrow Xe^+ \nu$	$(16.13 \pm 0.20 \pm 0.33)\%$
$\sum_i B_i (D^+ \rightarrow Xe^+ \nu)$	$(15.1 \pm 0.5 \pm 0.5)\%$

Consistent with the known exclusive modes saturating the inclusive branching fractions.



$$\frac{\Gamma_{D^+}^{SL}}{\Gamma_{D^0}^{SL}} = \frac{B_{D^+}^{SL}}{B_{D^0}^{SL}} \times \frac{\tau_{D^0}}{\tau_{D^+}} = 0.985 \pm 0.028 \pm 0.015$$

Consistent with isospin symmetry

Summary

Leptonic and semileptonic charm decays are a very active area of research:

- Insight into QCD phenomena that occur in charm as well as in bottom
- Experimental accuracy provides stringent tests for theoretical tools, to be applied in bottom physics
- A variety of experimental techniques explored, with great success

Conclusions:

- 1) The race between theory and experiment is still on.
- 2) It's all connected!

➤ **Leptonic decays:**
theory and experiment are at the same level of precision for f_D and f_{D_s} ;
most significant improvements:
experiment – statistics,
theory – systematics

➤ **Semileptonic decays:**

- Critical measurements of branching fractions and form factors for pseudoscalar and vector final state hadrons
- Consistency checks
- Much improved precision in normalization and shape