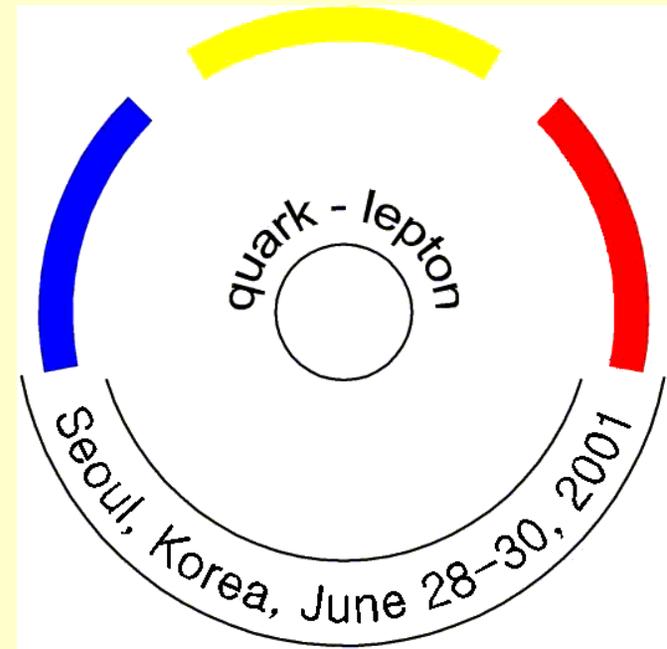


CKM Status & Prospects

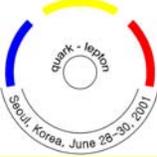


Brian K. Heltsley, Cornell University
Physics In Collision, June 29, 2001

- **CKM Basics**
- **Experimental Status – b emphasis**
 - CPV, B_d & B_s mixing, $b \rightarrow cl\nu$, $b \rightarrow ul\nu$
 - Novel approach to V_{cb}
- **Global fitting**
- **CKM, QCD, & CLEO-c**
- **Prospects**



Cabibbo-Kobayashi-Maskawa Quark Mixing



- **Lagrangian (weak charged current) :**

$$L_W = -\frac{g}{\sqrt{2}} \bar{u}_{Li} \gamma^\mu V_{ij} \bar{d}_{Lj} W_\mu^+ + h.c.$$

- V_{CKM} : 3×3 , UNITARY ($V^\dagger V = I$)

- Each V_{ij} has a real part + imag phase

$$V_{CKM} = \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix}$$

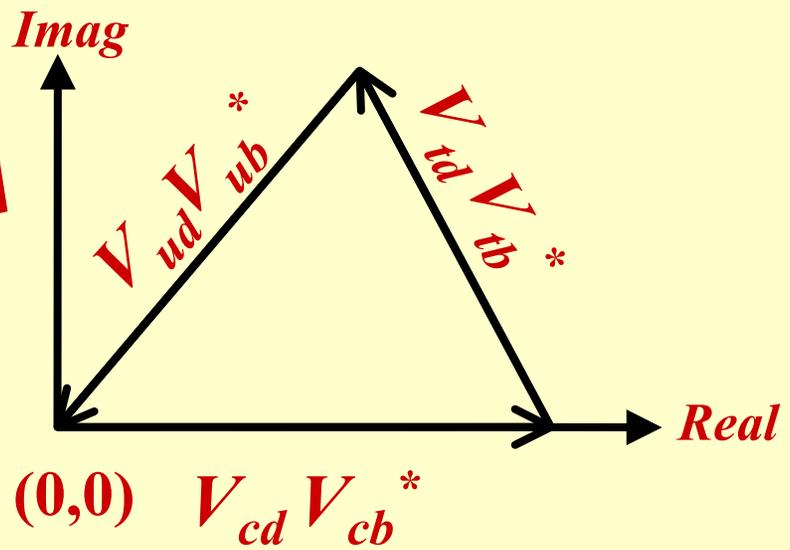
$\not{CP} \Leftrightarrow 3 \text{ gen's \& } \geq 1 \text{ imag phase} \neq 0$

The Unitarity Triangle(s) (UT)

● The sum for each 0 in I is a triangle in the real-complex plane

● Phase convention: $(V_{cd} V_{cb}^*)$ is real

→ $V_{ud}V_{ub}^* + V_{cd}V_{cb}^* + V_{td}V_{tb}^* = 0$



$V_{ud}V_{us}^* + V_{cd}V_{cs}^* + V_{td}V_{ts}^* = 0$

$V_{us}V_{ub}^* + V_{cs}V_{cb}^* + V_{ts}V_{tb}^* = 0$

...

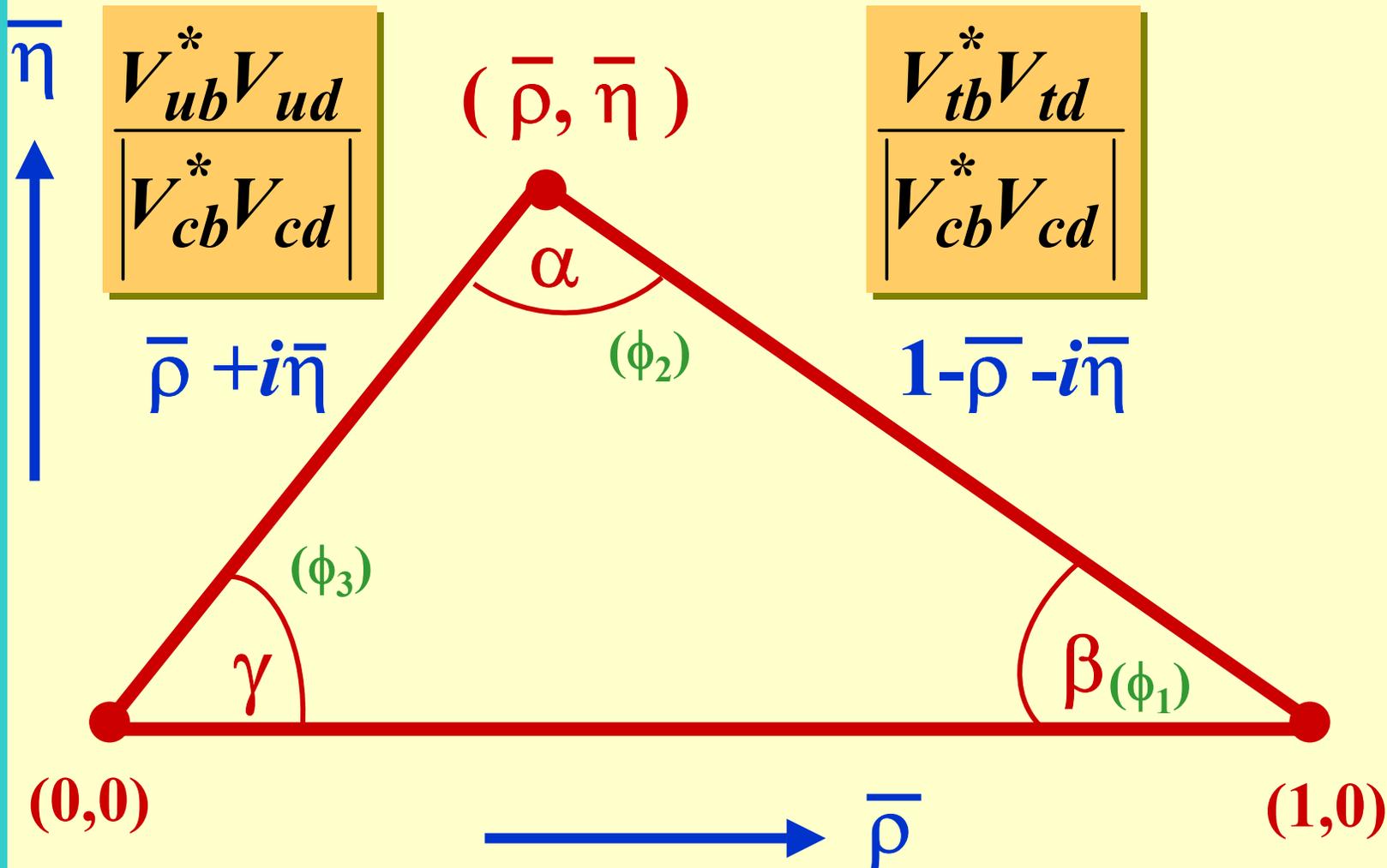
CKM parameterizations

- **Wolfenstein (original).** Expand in λ^2 , with $\lambda = \sin \theta_C = 0.22$.
- **To $O(\lambda^4) \sim 10^{-3}$:**
- **Buras: slight changes attain $O(\lambda^6) \sim 10^{-4}$**
- $\lambda, A, \bar{\rho}, \bar{\eta}$
- $J = \text{triangle area} \propto \text{CPV}$

$$\left(\begin{array}{ccc} 1 - \frac{\lambda^2}{2} & \lambda & A\lambda^3(\rho - i\eta) \\ -\lambda & 1 - \frac{\lambda^2}{2} & A\lambda^2 \\ A\lambda^3(1 - \rho - i\eta) & -A\lambda^2 & 1 \end{array} \right) \left(\begin{array}{ccc} 1 - \frac{\lambda^2}{2} & \lambda & A\lambda^3(\rho - i\eta) \\ -\lambda - iA^2\lambda^5\eta & 1 - \frac{\lambda^2}{2} & A\lambda^2 \\ A\lambda^3(1 - \bar{\rho} - i\bar{\eta}) & -A\lambda^2 - iA\lambda^4\eta & 1 \end{array} \right)$$

$$\bar{\rho} = \rho \left(1 - \frac{\lambda^2}{2} \right), \quad \bar{\eta} = \eta \left(1 - \frac{\lambda^2}{2} \right)$$

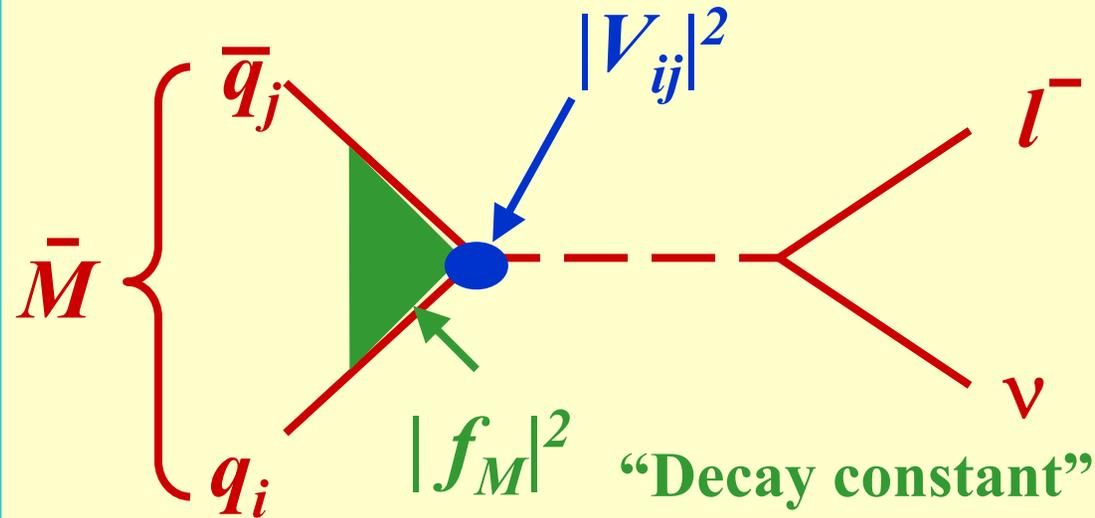
SM Unitarity Triangle



Just 4 parameters?!

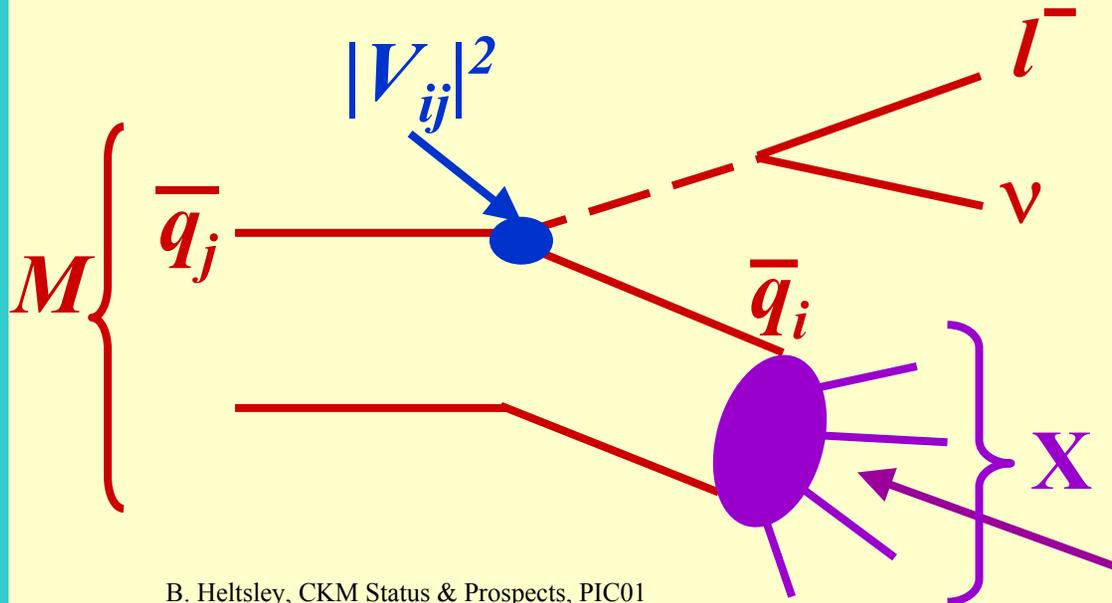
- **Just four parameters: $\lambda, A, \bar{\rho}, \bar{\eta}$**
- **Measure them as fundamental constants of nature – “metrology”**
 - Now, semi-leptonic decays & mixing provide best access
- **With a rich diversity of quark decays, can overconstrain them – “global fit” to data**
- **Inconsistencies seen at any level means **New Physics** outside SM**
- **BUT, hadrons, not q 's, are detected**

CKM \Leftrightarrow QCD in (Semi)Leptonic Decay



Leptonic

Small BR's

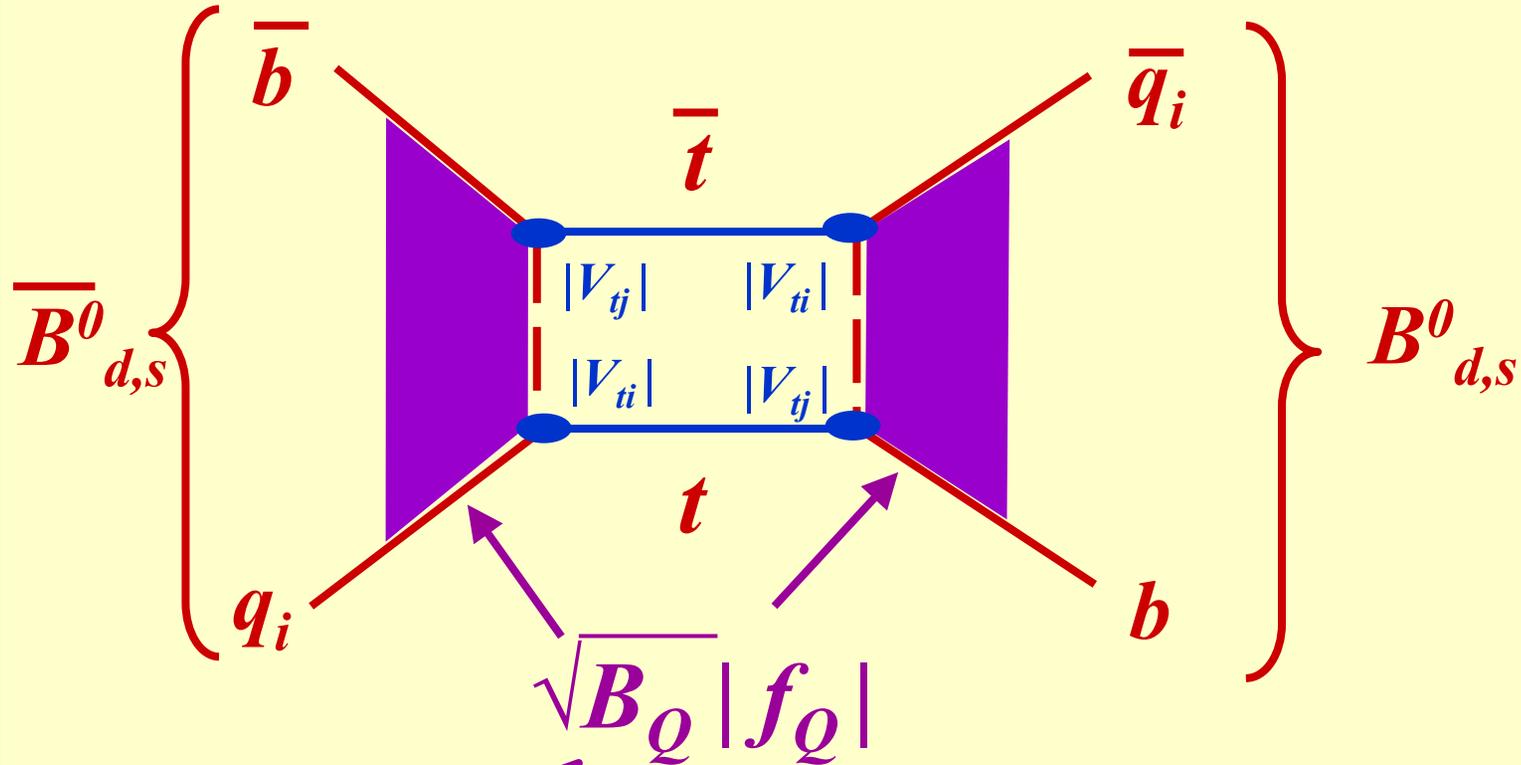


Semi-Leptonic

Incl. ν s Excl.

“Form factor”

CKM \Leftrightarrow QCD in B_d, B_s Mixing



“Bag parameter”

$\Delta m_{d,s}$ sets oscillation rate

$\sim |V_{ij}|$ (accuracy) [*=assumes Unitarity]

<p><i>ud</i>: β-decay</p> <p>0.1%</p> <p>0.9739 ± 0.0009</p>	<p><i>us</i>: $K \rightarrow \pi e \nu$</p> <p>1.1%</p> <p>0.2200 ± 0.0025</p>	<p><i>ub</i>: $b \rightarrow u l \nu$ &</p> <p>17% $B \rightarrow \pi(\rho) l \nu$</p> <p>$0.0035 \pm 0.0006$</p>
<p><i>cd</i>: $\nu d \rightarrow l c \rightarrow l l X$</p> <p>6%</p> <p>0.224 ± 0.014</p>	<p><i>cs</i>: $D \rightarrow K e \nu$,</p> <p>6% $W \rightarrow X_c X$</p> <p>0.97 ± 0.06</p>	<p><i>cb</i>: $b \rightarrow c l \nu$,</p> <p>7% $B \rightarrow D l \nu$</p> <p>0.041 ± 0.003</p>
<p><i>td</i>: B_d mixing</p> <p>19% $D_s \rightarrow \mu \nu$</p> <p>0.0083 ± 0.0016</p>	<p><i>ts</i>: B_s mixing</p> <p>25%*</p> <p>0.04 ± 0.01 *</p>	<p><i>tb</i>: $t \rightarrow b l \nu$</p> <p>15%*</p> <p>0.99 ± 0.15 *</p>

Experiment \Leftrightarrow Theory



CP-violating parameter from K decay:

$$\varepsilon_K = C_\varepsilon B_K \lambda^6 \bar{\eta} [C_1 A^2 \lambda^4 (1 - \bar{\rho}) + C_2 + C_3] \Rightarrow \textit{hyperbola}$$

$(b \rightarrow u lv) / (b \rightarrow c lv)$

$$|V_{ub} / V_{cb}|^2 = \lambda^2 (\rho^2 + \eta^2) \Rightarrow \textit{circle @ (0,0)}$$

B_d -mixing frequency = mass difference

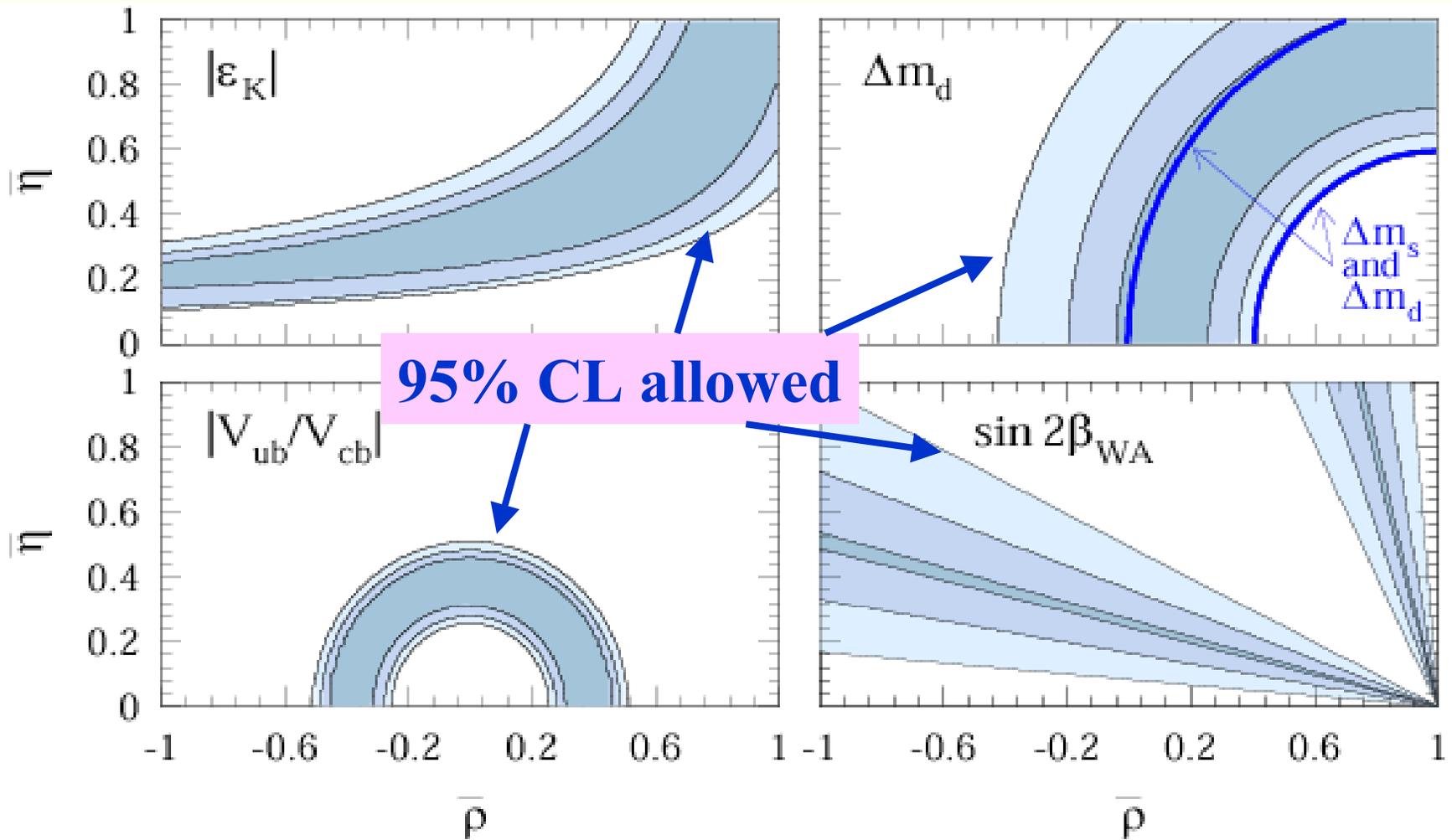
$$\Delta m_d = C_d B_d f_{B_d}^2 A^2 \lambda^6 [(1 - \bar{\rho})^2 + \bar{\eta}^2] \Rightarrow \textit{circle @ (1,0)}$$

B_s -mixing frequency:

$$\Delta m_s \propto B_s f_{B_s}^2 A^2 \lambda^4$$

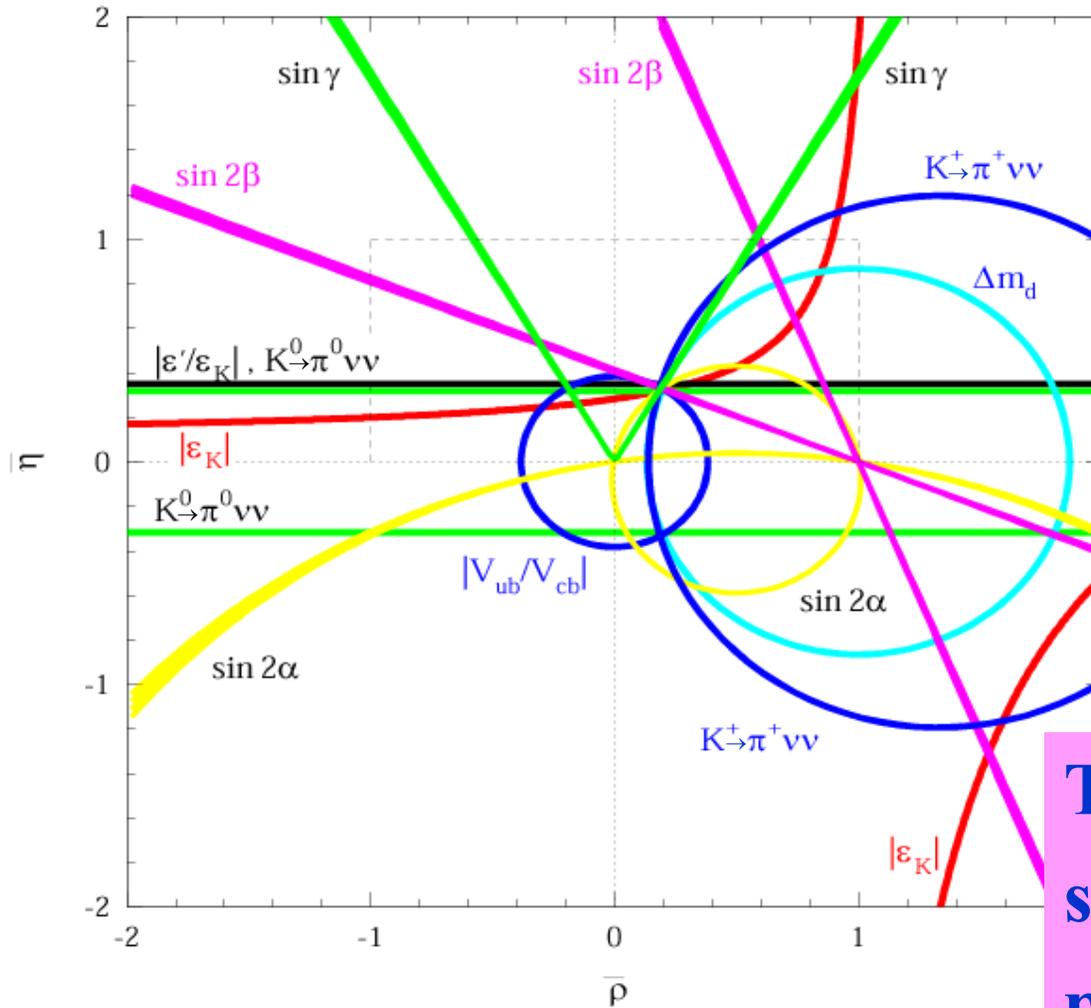
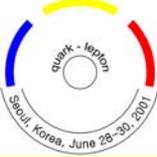
$$\frac{\Delta m_d}{\Delta m_s} = \frac{m_d}{m_s} \frac{\lambda^2}{\xi^2} [(1 - \bar{\rho})^2 + \bar{\eta}^2] \Rightarrow \textit{circle @ (1,0)}, \quad \xi = \frac{f_{B_s} \sqrt{B_s}}{f_{B_d} \sqrt{B_d}}$$

UT Constraints



From A. Hocker, et al. hep-ph/0104062

More UT Constraints



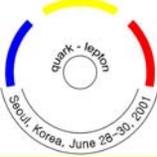
α, β, γ constrained
from 2-body hadronic
 B -decays (rare):
 $B \rightarrow \pi\pi, K\pi, \rho\pi, DK, J/\Psi K$

Help from (rare)
 $K \rightarrow \pi \nu \nu$ after 2005

Today mixing &
semi-leptonic decays
provide best precision

From A. Hocker, et al. hep-ph/0104062

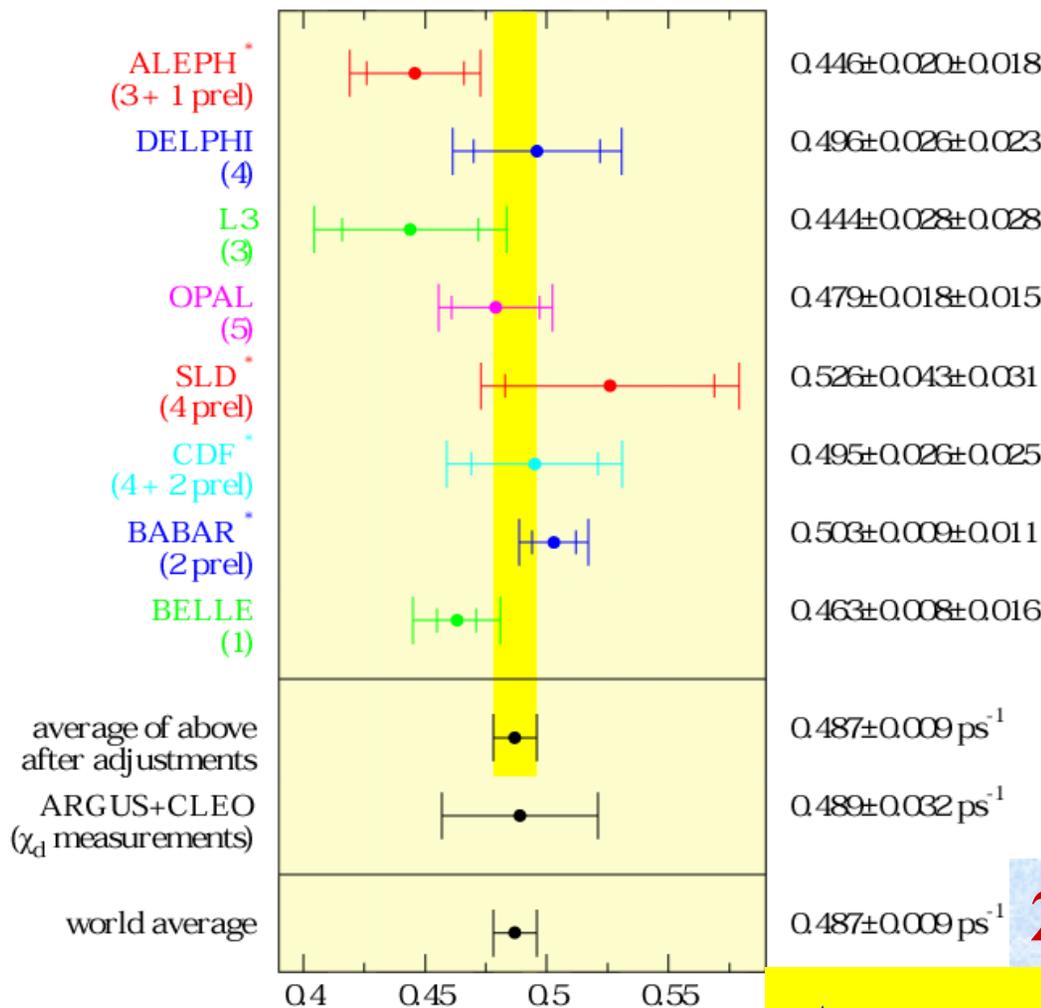
$\sin 2\beta$



- 0.34 ± 0.21 BaBar
- 0.58 ± 0.34 Belle
- 0.79 ± 0.43 CDF
- 0.84 ± 0.93 ALEPH
- 3.2 ± 2.0 OPAL

● **World Average: 0.48 ± 0.16**

B_d Mixing: Δm_d



Measured in two ways:

- χ method: t -integrated $B^0 B^0$ vs $B^0 \bar{B}^0$; e.g. dileptons

- direct, t -dependent observation of $B^0 \Leftrightarrow \bar{B}^0$ oscillations by flavor tagging as a fcn of decay lengths

2% error

LEP Working Group

Δm_d (ps^{-1})

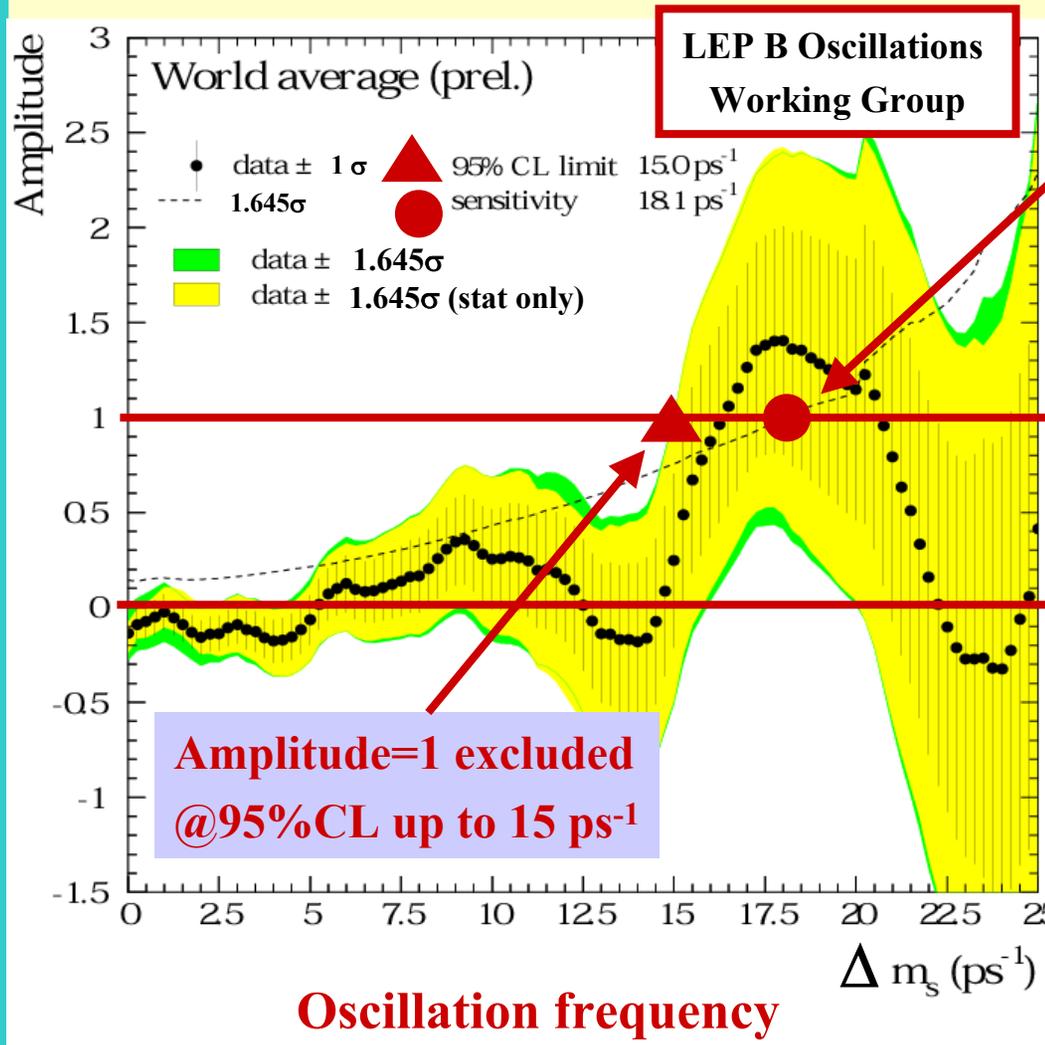
$$\Delta m_d \cong 1/\tau_B$$

B_s Mixing



- B_s too heavy to be produced @ $\Upsilon(4S)$
 - LEP, SLC, Tevatron
- Near maximal mixing observed
 - $\Delta m_s \gg 1/\tau$ unlike B_d
 - Oscillations not yet definitively seen due to large frequency; hard to measure
 - Only get **lower limit** on Δm_s , even when combining all expmts

Δm_s World Average



Sensitivity to exclude
Amplitude=0 @95%CL
at 18.1 ps⁻¹

Yes oscillation

No oscillation

Amplitude=1 excluded
@95%CL up to 15 ps⁻¹

$\Delta m_s > 15 \text{ ps}^{-1}$

Inclusive $b \rightarrow c l \nu$



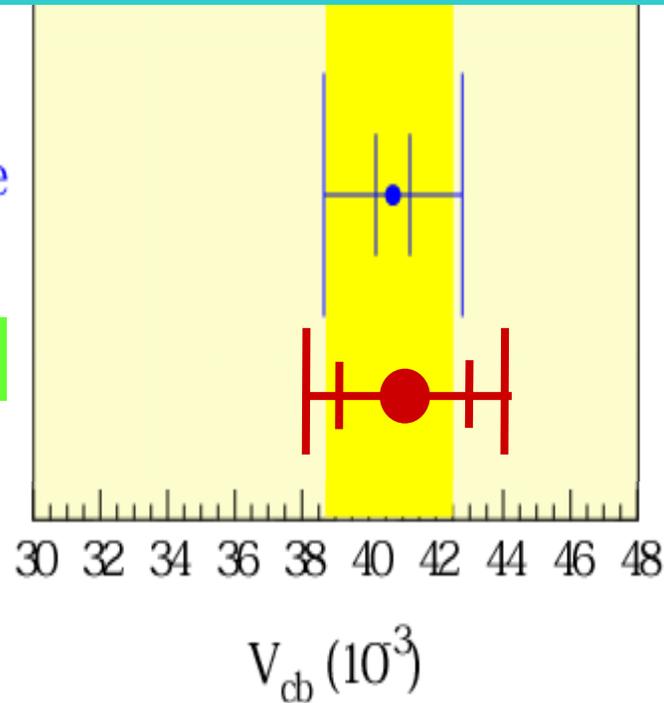
- $|V_{cb}|^2 = h(\mu, m_b) \times \Gamma(b \rightarrow c l \nu)$
 $= h(\mu, m_b) \times BR(b \rightarrow c l \nu) / \tau_b$
- $h(\mu, m_b)$ from Heavy Quark Expansion
 - Perturbative & non-perturbative pieces
 - Quark-hadron duality assumption: integrated over enough charm bound states & enough phase space, the inclusive hadronic result will match quark-level
 - No consensus on uncertainty in assumption

Inclusive $b \rightarrow c l \nu$



LEP V_{cb} Inclusive

CLEO V_{cb} Incl



5%? common theoretical error

Exclusive $V_{cb} : B \rightarrow D^* l \nu$



● Experiments measure

$$\frac{d\Gamma}{dw} = \frac{G_F^2}{48\pi^3} g(w) F_{D^*}^2(w) |V_{cb}|^2$$

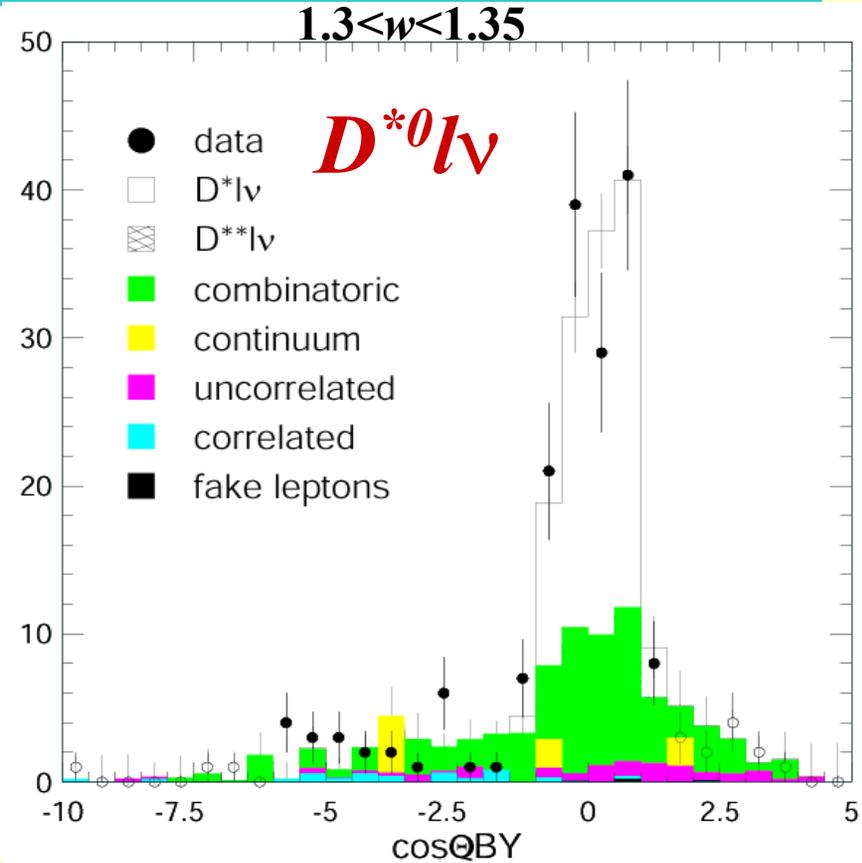
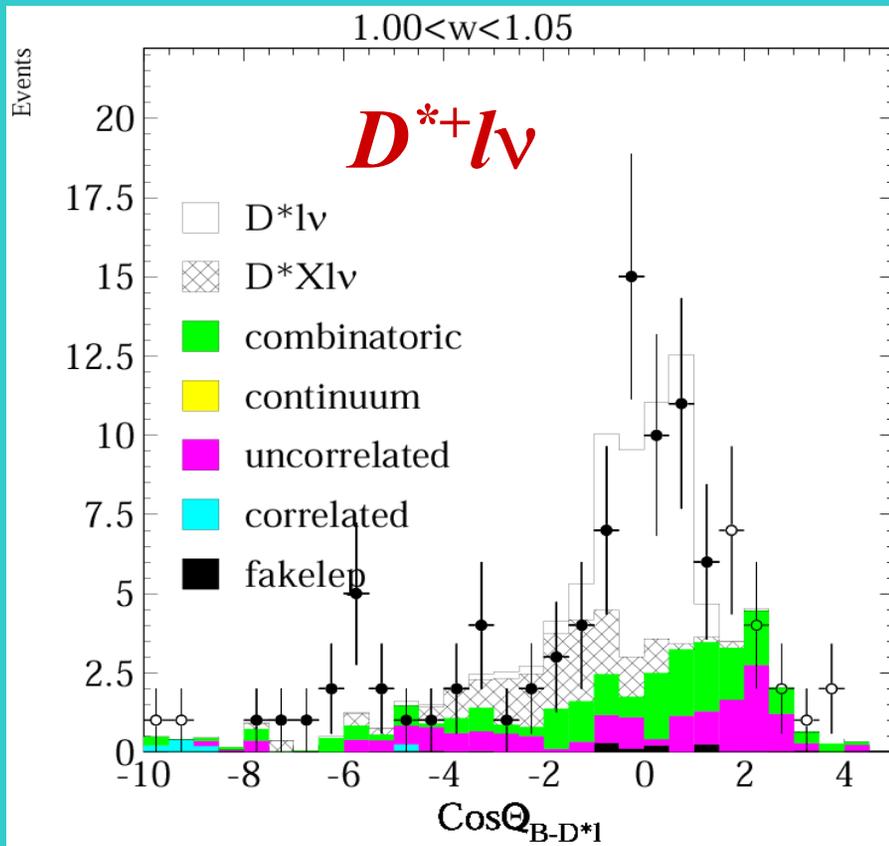
Form Factor

$w = (m_B^2 + m_{D^*}^2 - q^2) / (2m_B m_{D^*}) = D^* \text{ boost in } B \text{ rest-frame}$
 $1 < w < 1.5$; $g(w)$ is a known function with $g(1) = 0$

● HQET: $F(1) \rightarrow 1$ for $m_b \rightarrow \infty$; $(1/m_b)^n$ corr'ns

- $F_{D^*}(1) = 0.88 - 0.95$: HQET, LQCD
- Nearly linear in w : measure curvature: parameter “ ρ^2 ”
- Extrapolate data to $w=1$ (where phase space $\rightarrow 0$)
- Experimental results usually quoted as $F_{D^*}(1)|V_{cb}|$

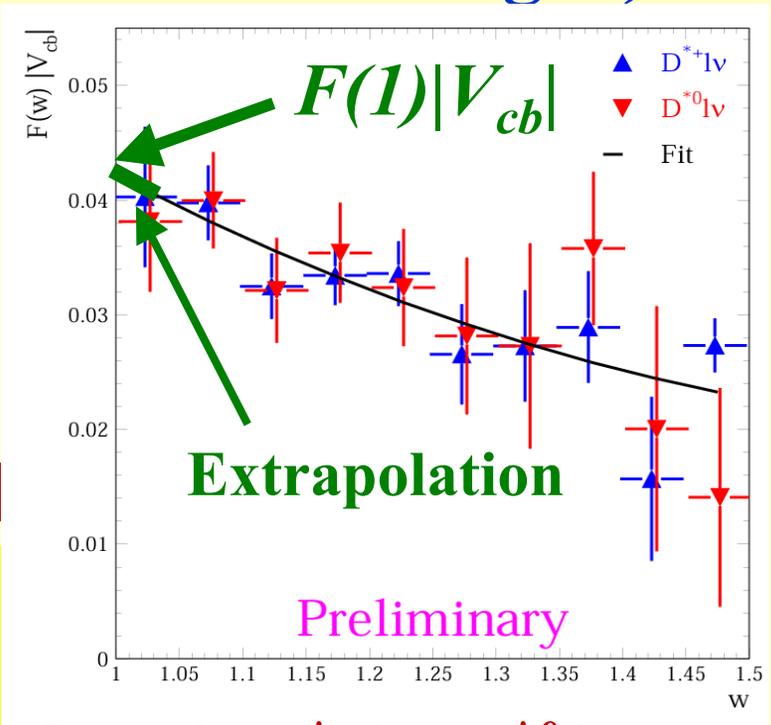
w fits: $B \rightarrow D^* l \nu$ examples



Kinematic variable distinguishing $D^* l \nu$ $D^* X l \nu$

$|V_{cb}|$ from $B \rightarrow D^* l \nu$

- w msd: $\sigma_w(\text{CLEO}) = 0.03$; $\sigma_w(\text{LEP}) \geq 0.07$
- Fit each w -bin for $(B \rightarrow D^* l \nu + D^* X l \nu + \text{bgds})$
- CLEO limit: $\varepsilon(\text{slow } \pi)$
- LEP limit: $D^* X l \nu$ level
 - Model of Leibovich, *et al.*
PRD 57, 308 (1997)
 - CLEO measures it, sees less



CLEO $D^{*+} l \nu, D^{*0} l \nu$

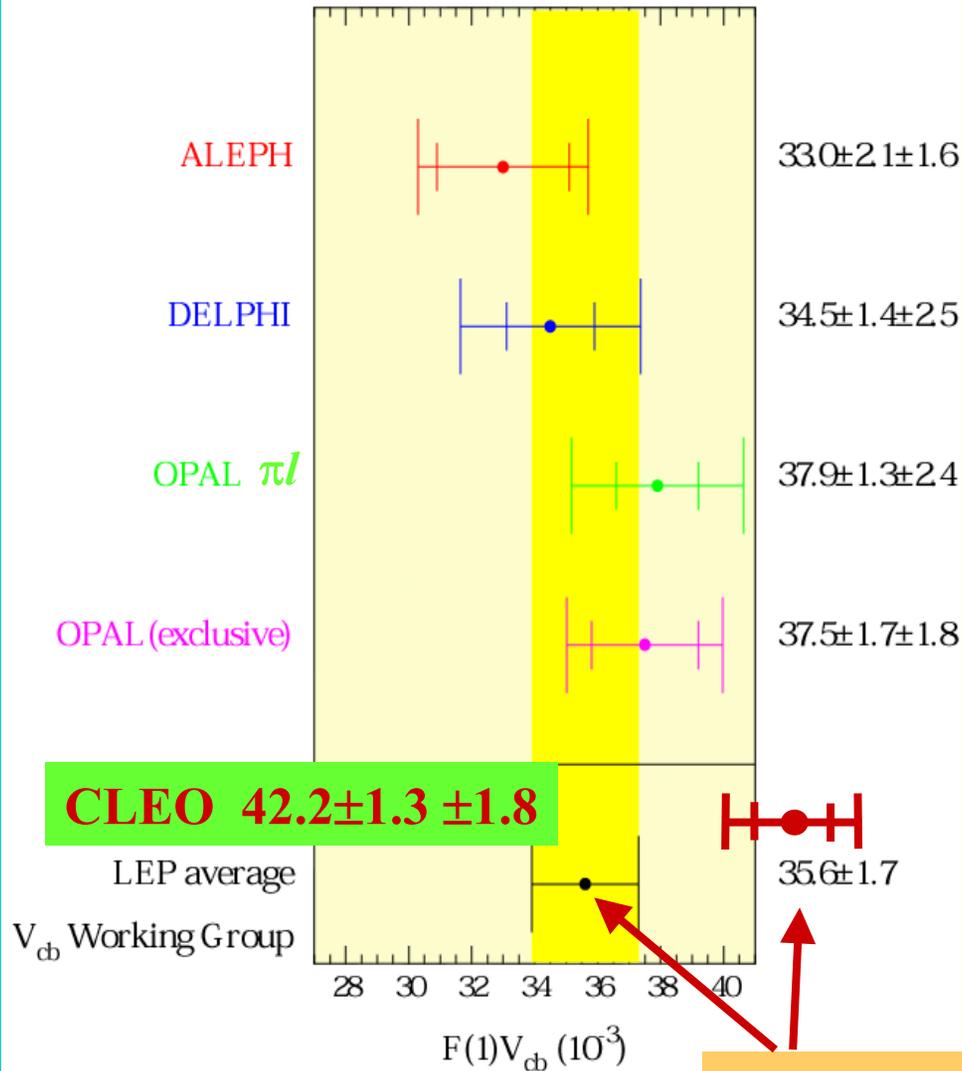
CLEO 2001

$$F(1)|V_{cb}| = (42.2 \pm 1.3 \pm 1.8) \times 10^{-3}$$

$$\rho^2 = 1.61 \pm 0.09$$

5% total error on $F(1)|V_{cb}|$

V_{cb} Exclusive Averages



CLEO fits both a smaller $D^* X l \nu$ AND a larger ρ^2 than LEP, & both are correlated with $F_{D^*}(1)|V_{cb}|$

When taking out $F(1)$,

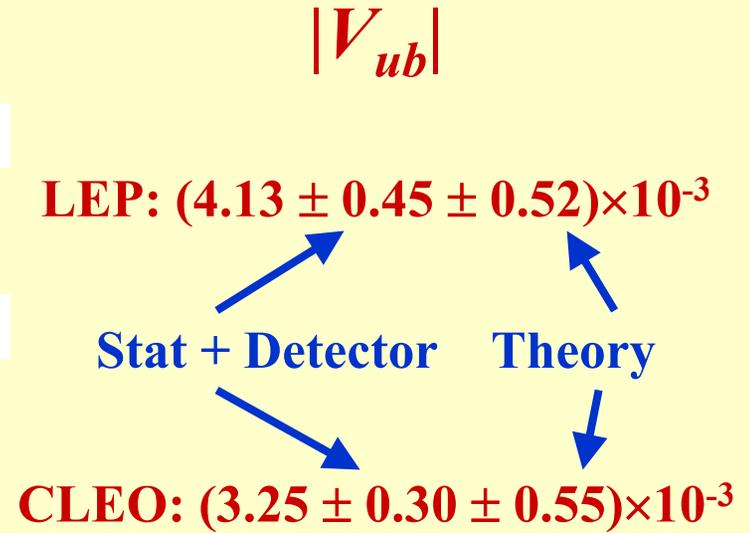
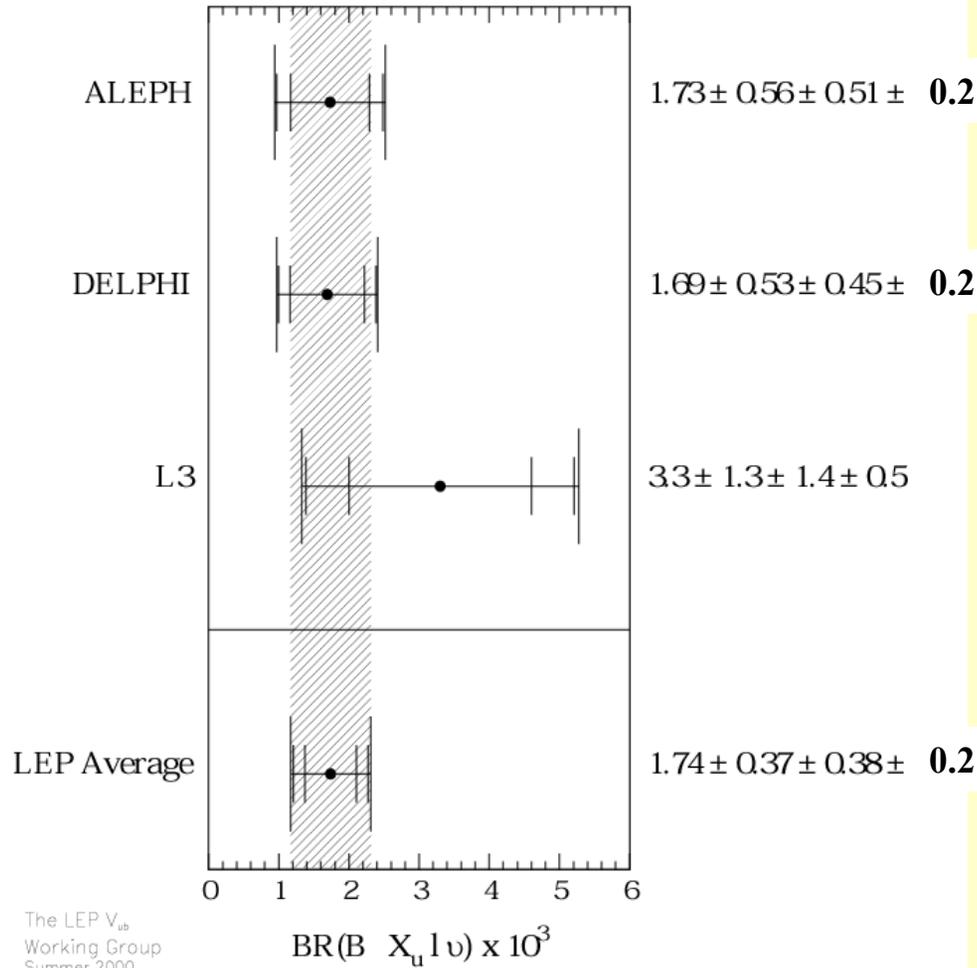
- LEP WG uses $F(1) = 0.88 \pm 0.05$
- CLEO uses $F(1) = 0.913 \pm 0.042$

7% CL consistency

$b \rightarrow ul\nu$

- Similar to $b \rightarrow cl\nu$ BUT $BR(b \rightarrow ul\nu) \sim 2 \times 10^{-3}$!
- Experimentally: few evts, swamped w/ $b \rightarrow cl\nu$
- LEP expmts use inclusive analysis
 - LEP $|V_{ub}|$ avg has 10% statistical error
 - HQE uncertainty (5%) + duality/modeling unc. (12%)
 - Systematics from identifying & separating $b \rightarrow u$, $b \rightarrow c$
 - Systematics from non- $b \rightarrow u$, non- $b \rightarrow c$ suppression
- CLEO uses “ ν -recon.” for $B \rightarrow \pi l\nu$, $\rho l\nu$
 - Statistical error of 4%
 - Form-factor model uncertainty of 17%

$|V_{ub}|$ Summary



Global fits: Simmering tempest



● Conservative Frequentists

- A. Hocker, et al., hep-ph/0104062 (BaBar)
- S. Stone, hep-ph/0012162 (Beauty 2000)
- A. Falk, hep-ph/9908520, Aug. 1999 (LepPho 1999)
- J. Rosner, hep-ph/0011184, Aug. 1999 (Beauty 2000)

● Optimistic Bayesians:

- A. Stocchi, hep-ph/0010222 (ICHEP 2000), NIM A462 (2001) 318 (Beauty 2000).
- F. Parodi (CPV 2000)
- M. Ciuchini, et al., hep-ph/0012308 (Moriond 2001)

● Issue: How to treat theoretical QCD predictions (TP's) & associated uncertainties in a global CKM fit?

Central Q's in Tempest

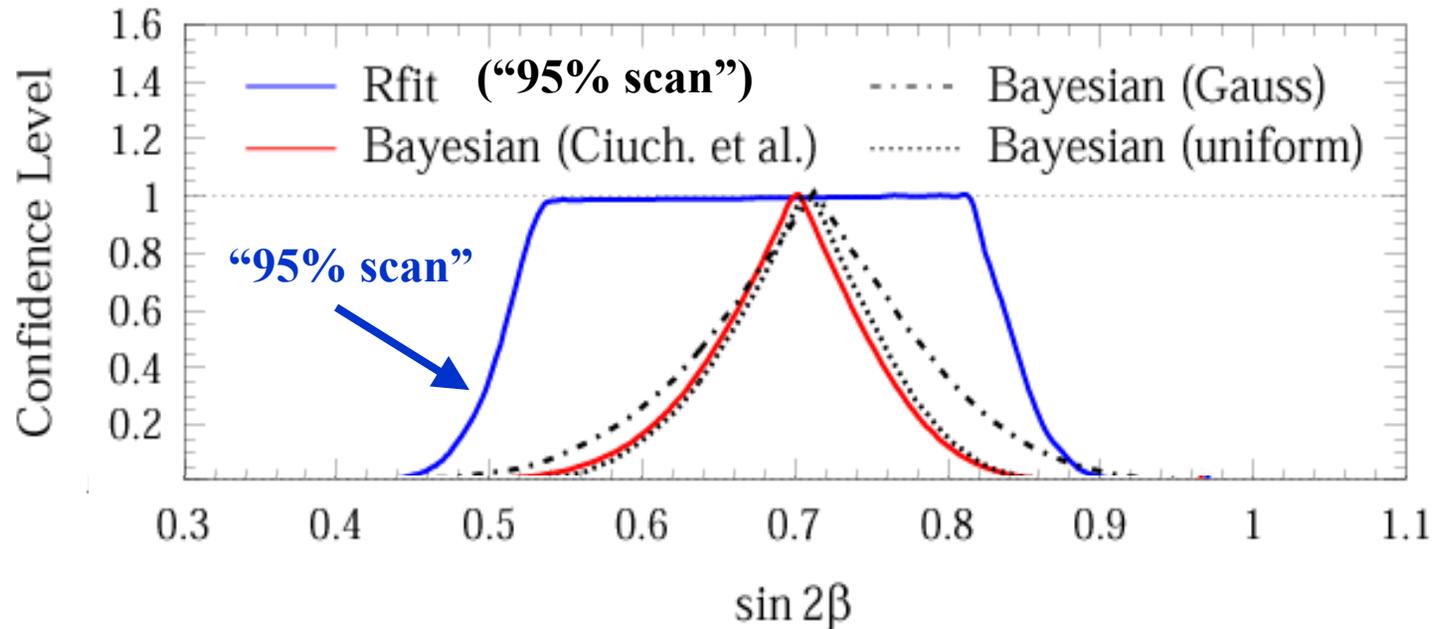


- **What are central values of TP's from HQET, LQCD, NLO ?**
 - Do we exclude “disagreeable” or “outdated” predictions?
 - How to combine several incompatible results?
- **What are the uncertainties on the TP's?**
 - How well can they be estimated?
 - Do “internal” tests give adequate estimates?
 - How does one quantify errors from assumptions; e.g. quark-hadron duality in HQET?
- **Can some or all theoretical errors be treated w/Bayesian analysis along with the data, with a preferred central value as a result?**

Standard vs 95% CL Scanning

- **Standard method advocates similar treatment of uncertainties for data and TP's with Gaussian (or even flat) PDF's (Bayesian)**
 - LQCD is mature enough to trust results
 - Know the sign & rough magnitude of corrections
 - Can assign reasonable σ 's: don't throw away information!
- **95% CL Method advocates cautious approach to TP's by restricting them to a "95% CL interval", with no preferred central value $\Rightarrow V_{ij}$: contours or intervals with no preferred ctrs (Frequentist)**
 - Even combining flat PDF's is treacherous!
 - In multi-dimensional problems Bayesian treatment unfairly predicts a narrowing of possible results, not a broadening

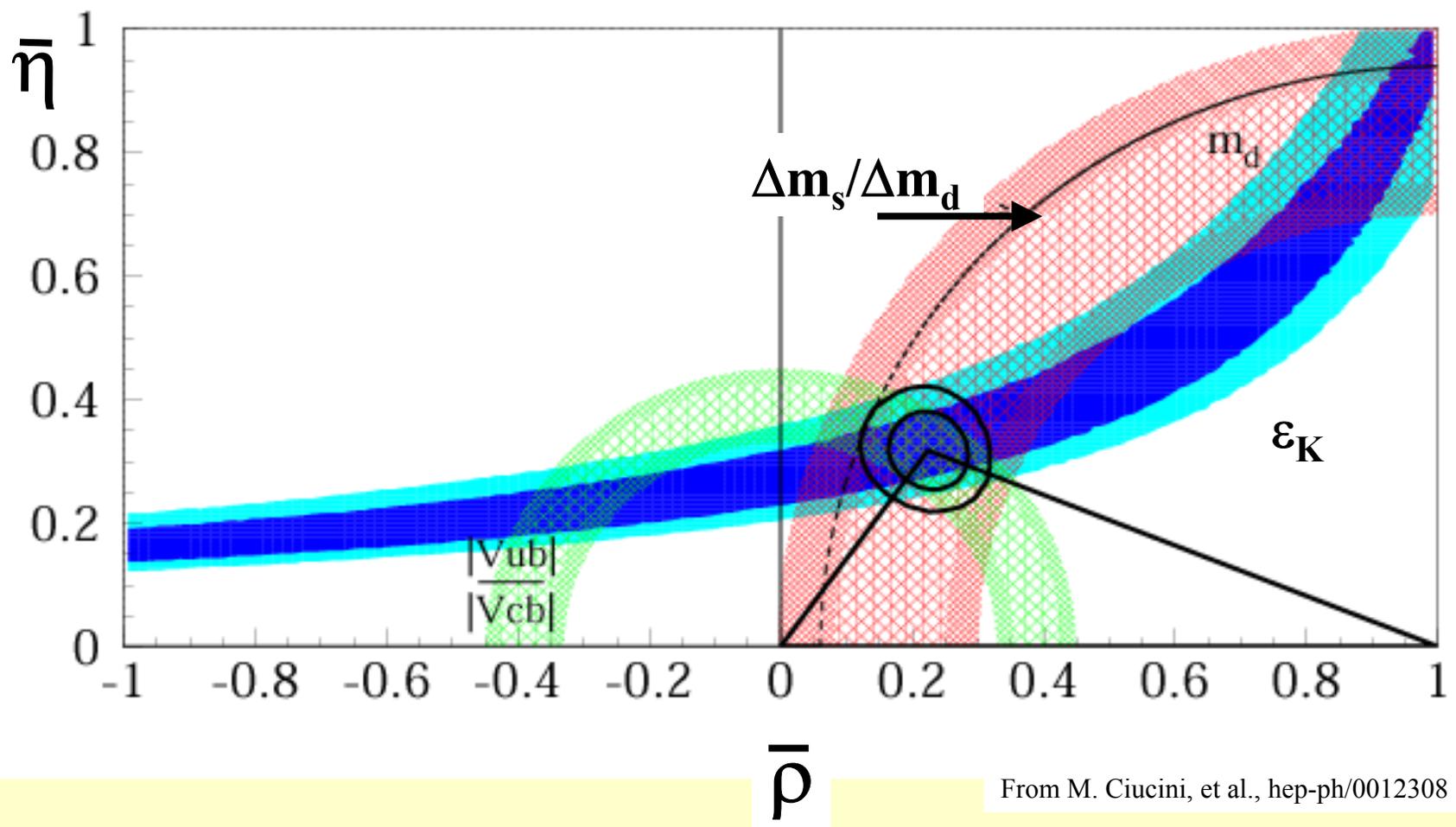
$\sin 2\beta$ CL's in different methods



From A. Hocker, et al. hep-ph/0104062

Direct $\sin 2\beta$ msmts
not included

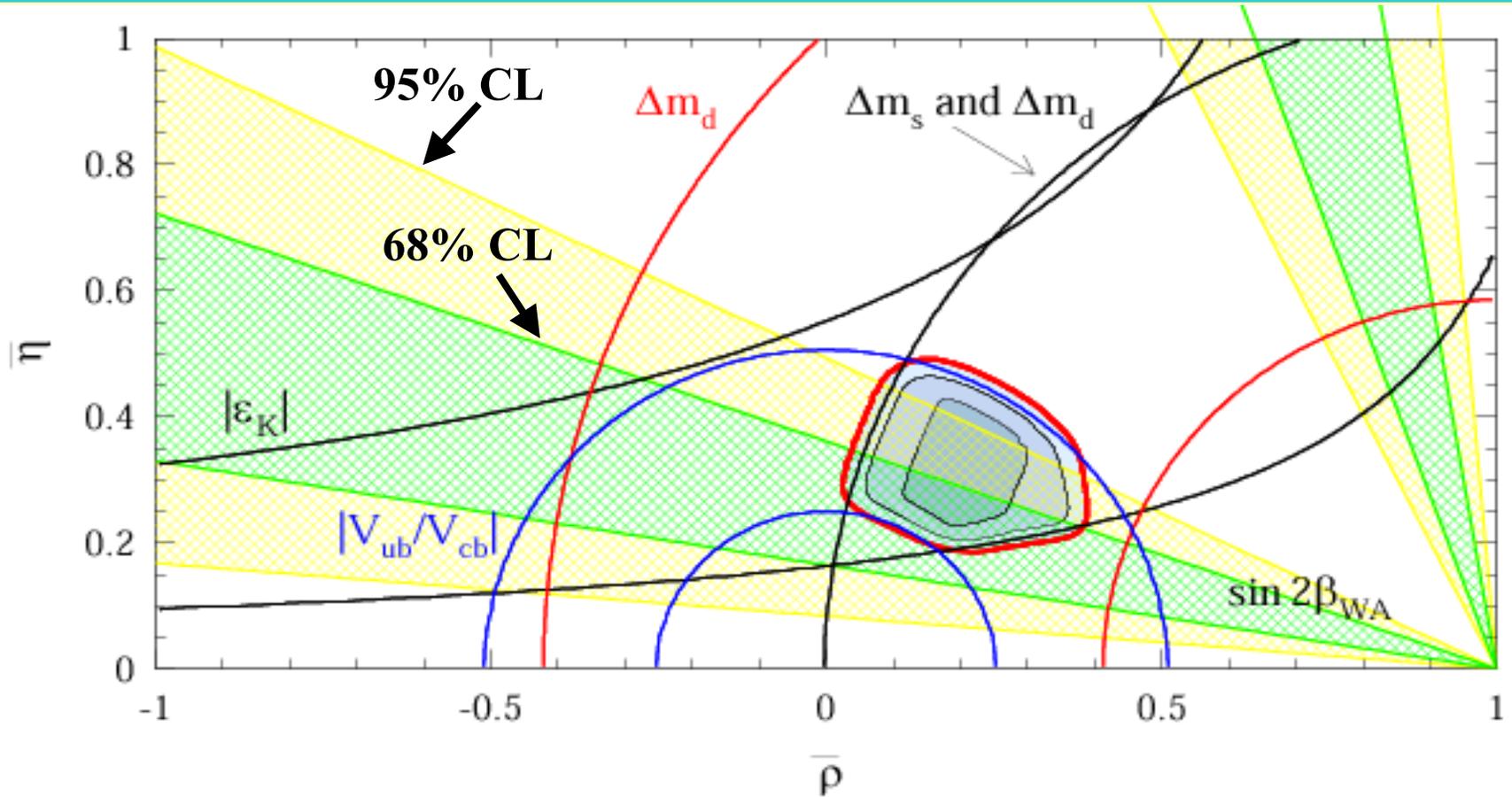
Standard Method Global Fit



From M. Ciucini, et al., hep-ph/0012308

No $\sin 2\beta$ constraint

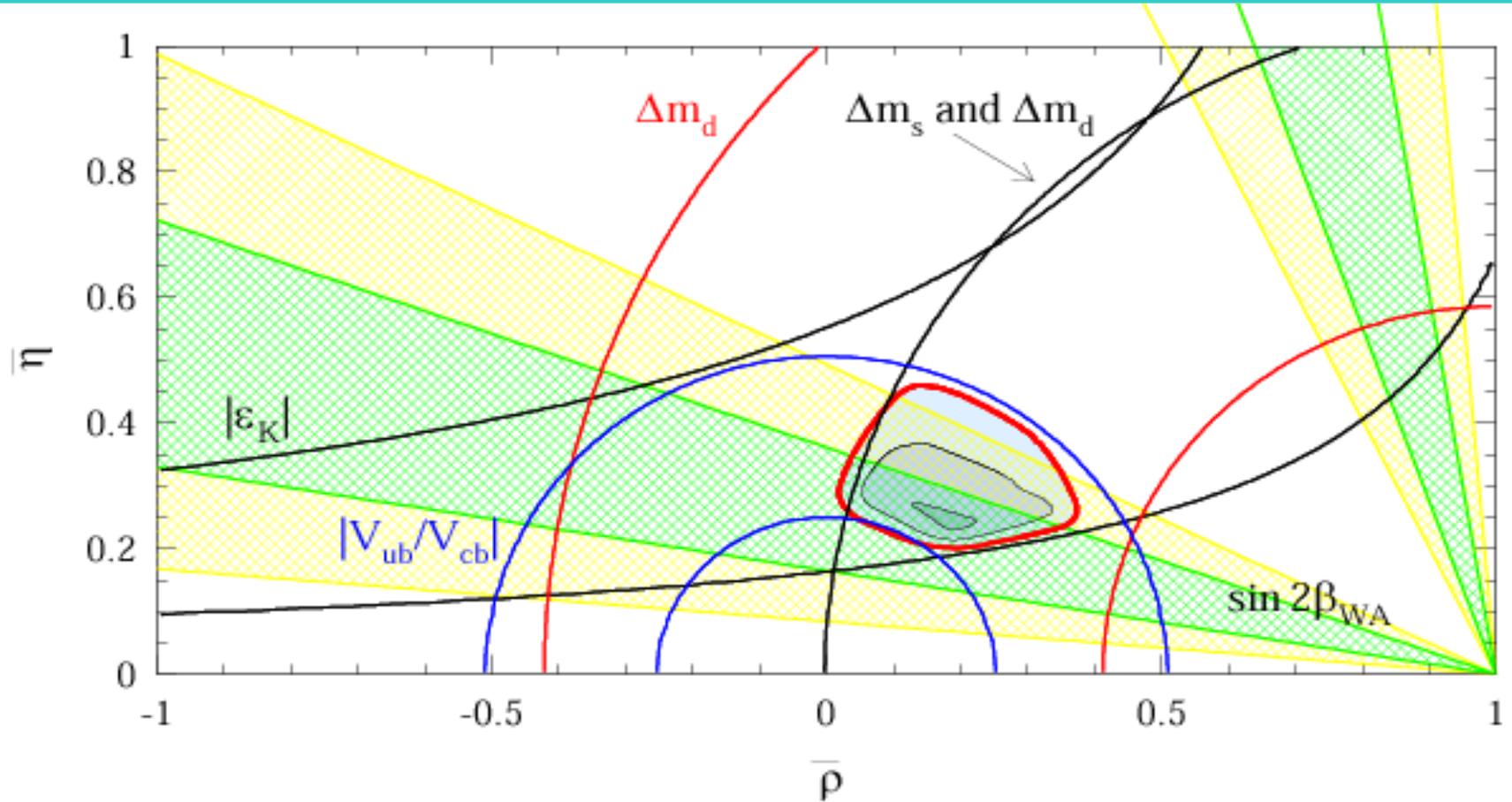
“95% Scanning” Global Fit



From A. Hocker, et al. hep-ph/0104062

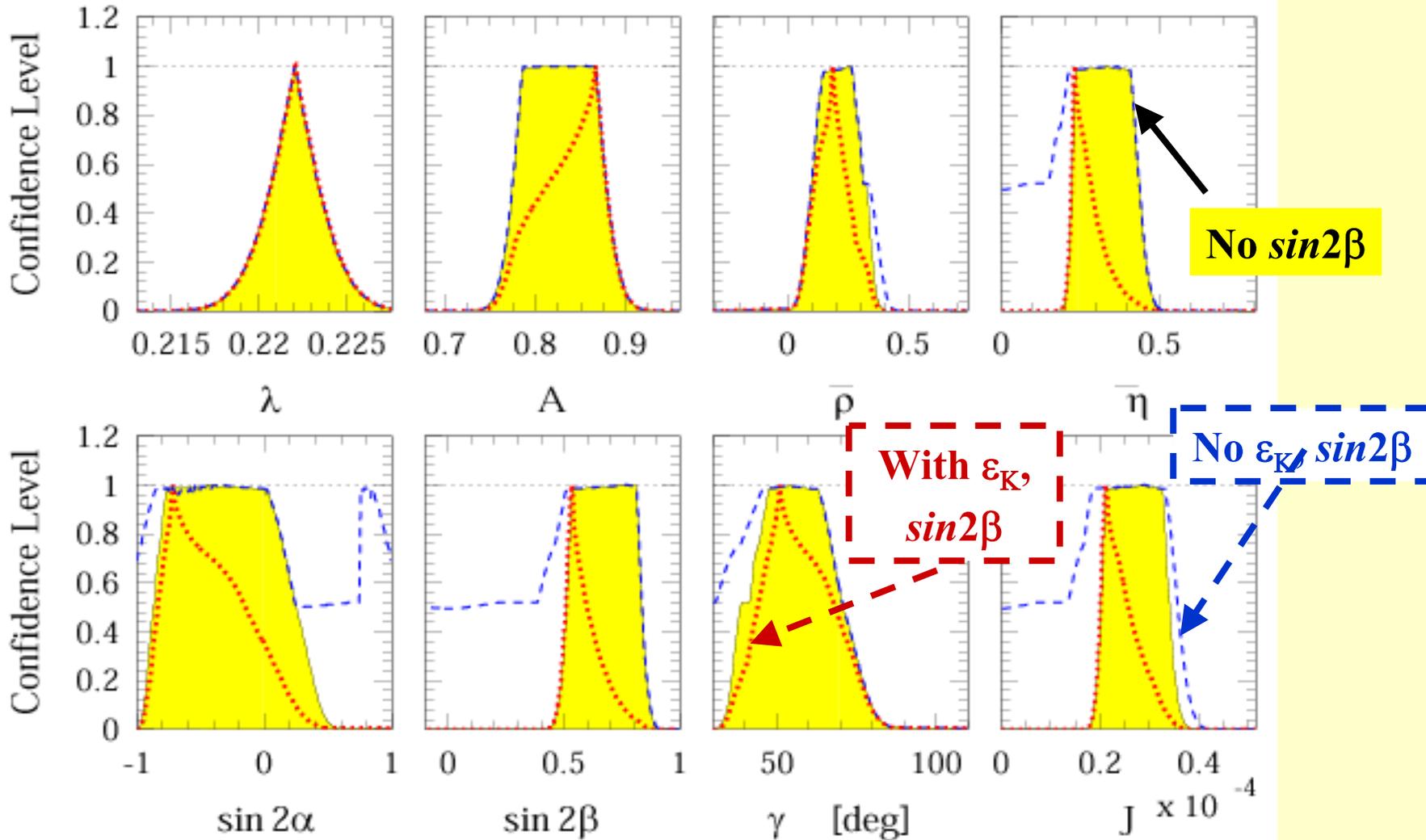
No $\sin 2\beta$ constraint

“95% CL” w/ $\sin 2\beta$ Constraint



From A. Hocker, et al. hep-ph/0104062

CL's in "95% Scan" Global Fit



Y2K Global Fit 95%CL Limits

“95% Scanning” vs “Standard”

Here uses flat PDF's

● ρ : 0.04 – 0.38 vs -0.06 – 0.31

Span: 0.34 vs 0.37

● η : 0.21 – 0.49 vs 0.26 – 0.42

Span: 0.28 vs 0.16

● $\sin(2\beta)$: 0.47 – 0.89 vs 0.56 – 0.82

Span: 0.42 vs 0.26

From A. Hocker, et al. hep-ph/0104062

From M. Ciucini, et al., hep-ph/0012308

No $\sin 2\beta$ constraint

Each quoted with its own choice for QCD params

Global Fitting Conclusions



- **No consensus on QCD uncertainties**
 - Not likely to converge without data to pin it down
- **No consensus on Bayesian/Frequentist**
 - Merits & difficulties on both sides
- **Different methods will give much different answers as soon as the data are more precise (i.e. in a few weeks)**
 - Different answers may have very different implications on whether the SM is found lacking
- **Expect continuing spirited discussion**

New V_{cb} from “Moments”



● HQET OPE: expand in $(1/m_B)^n$

$$|V_{cb}|^2 = \Gamma(b \rightarrow cl\nu) \times h(\bar{\Lambda}, \lambda_1) : \sim O(m_B^{-3})$$

● $\bar{\Lambda}$ = Mass of light d.o.f.

● λ_1 = rms momentum of b quark.

A.Falk, M. Luke, & M. Savage,
PRD53 (2491) 1996.

M. Gremm & A. Kapustin,
PRD55 (6934) 1997.

M. Voloshin, PRD51 (4934) 1995.

● $\bar{\Lambda}, \lambda_1$ determined from

● Lattice QCD Kronfeld & Simone, hep-ph/0006345.

● Measured hadronic spectral moments in $b \rightarrow cl\nu$

● Measured photon energy spectrum moments in $b \rightarrow s\gamma$

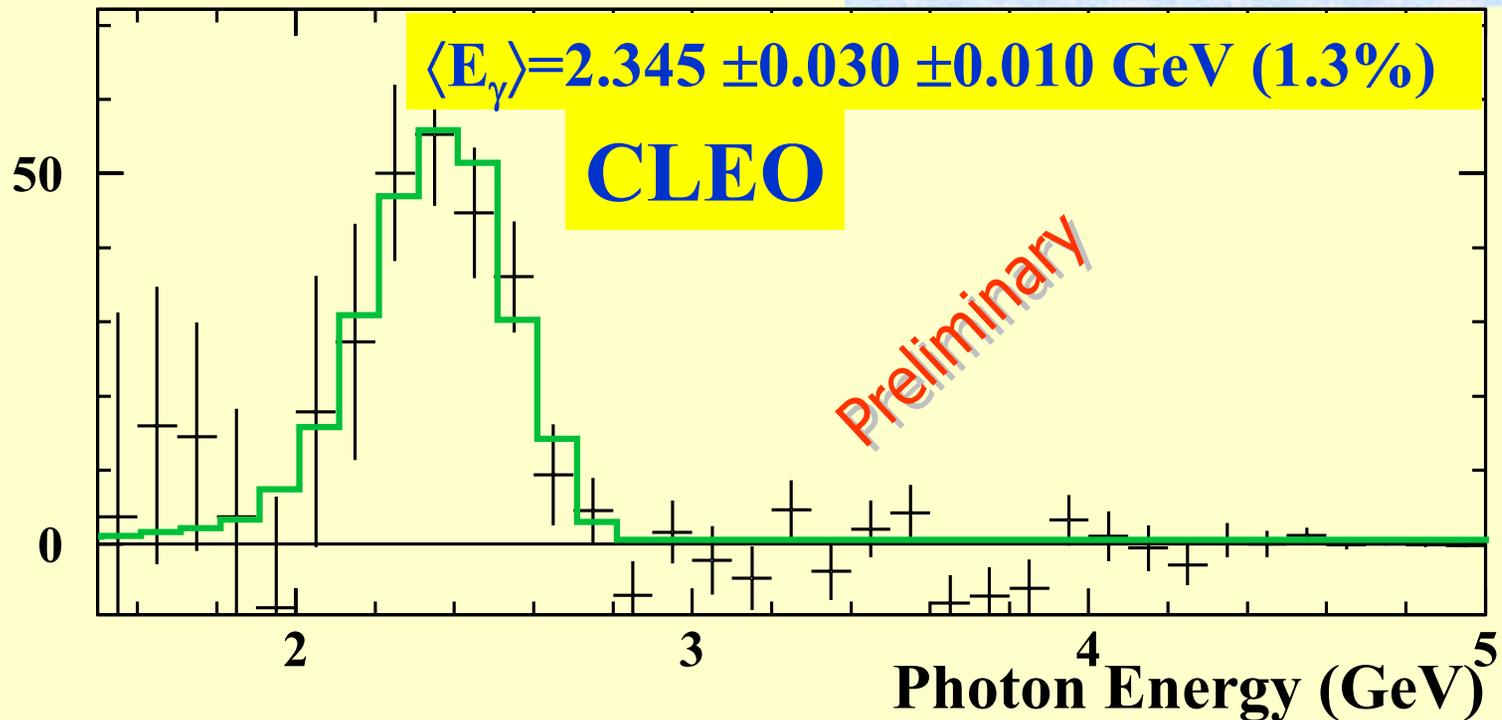
● New, preliminary CLEO use of technique

CLEO $b \rightarrow s\gamma$ spectral moments



- Measure photon spectrum in lab-frame.
- Convert to B rest frame. MC accounts for smearing
 - Best match $m_b = 4719 \pm 115 \text{ MeV}/c^2$; $p_F = 378 \pm 150 \text{ MeV}$
- Extract moments ($E_\gamma > 2.0 \text{ GeV}$) $\langle (E_\gamma - \langle E_\gamma \rangle)^2 \rangle = 0.021 \pm 0.006 \pm 0.002 \text{ GeV}^2$

Weights per 100 MeV

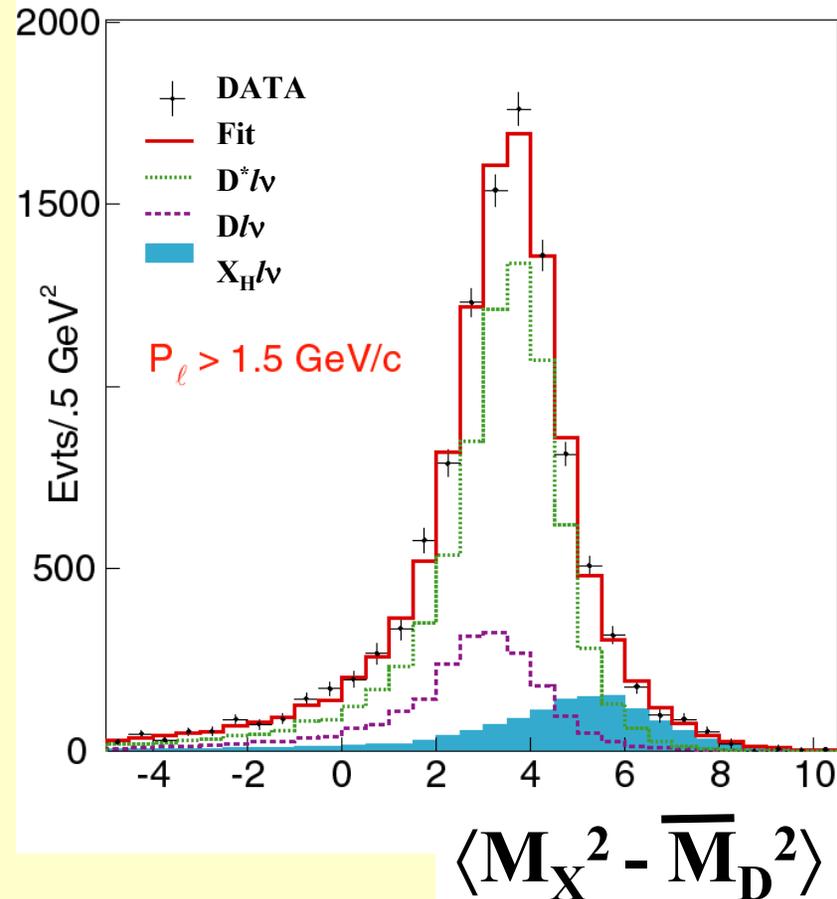


$B \rightarrow X_c l \nu$ Hadronic Mass Moments

- Lepton ($p > 1.5 \text{ GeV}$)
- ν -reconstruction: p_ν
- Calculate recoil mass
- Fit spectrum w/ $B \rightarrow D l \nu$,
 $B \rightarrow D^* l \nu$, $B \rightarrow X_H l \nu$
(various models for X_H)
- $\langle M_X^2 - \overline{M}_D^2 \rangle$, \overline{M}_D is spin-averaged D, D^* mass

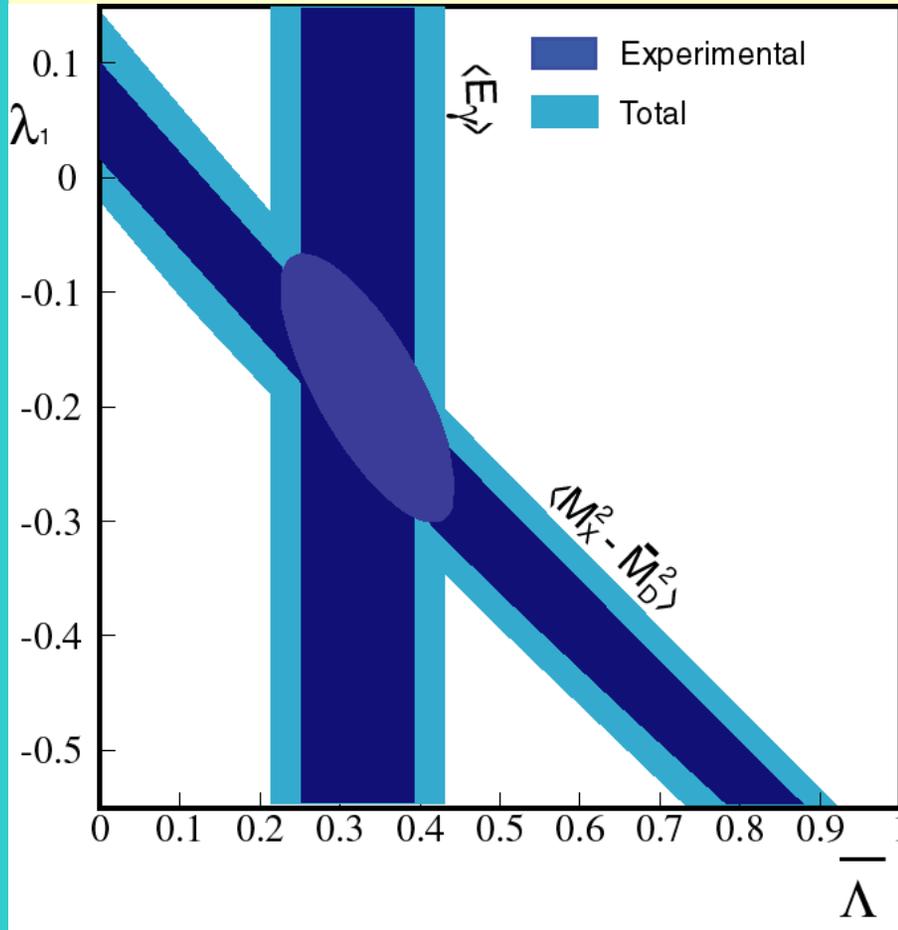
$$\langle M_X^2 - \overline{M}_D^2 \rangle = 0.287 \pm 0.065 \text{ GeV}^2$$

- 2nd moment: $0.63 \pm 0.17 \text{ GeV}^4$



Second moments give consistent results, but still theoretically shaky.

$\bar{\Lambda}, \lambda_1$ from $b \rightarrow s\gamma, B \rightarrow X_c l \nu$ moments



Preliminary

$$\bar{\Lambda} = 0.35 \pm 0.07 \pm 0.10 \text{ GeV}$$

$$\lambda_1 = -0.216 \pm 0.068 \pm 0.077 \text{ GeV}^2$$

moments

$1 / M_B^3$

CLEO V_{cb} from $b \rightarrow cl\nu$, $b \rightarrow s\gamma$

Using

- $B(B \rightarrow X_c l \nu) = (10.39 \pm 0.46)\%$ (CLEO, PRL76 (1570) 1996)
- $\tau_{\pm} = (1.548 \pm 0.032)$ psec (PDG)
- $\tau_0 = (1.653 \pm 0.028)$ psec (PDG)
- $f_{+-}/f_{00} = 1.04 \pm 0.08$ (CLEO, hep-ex/0006002)

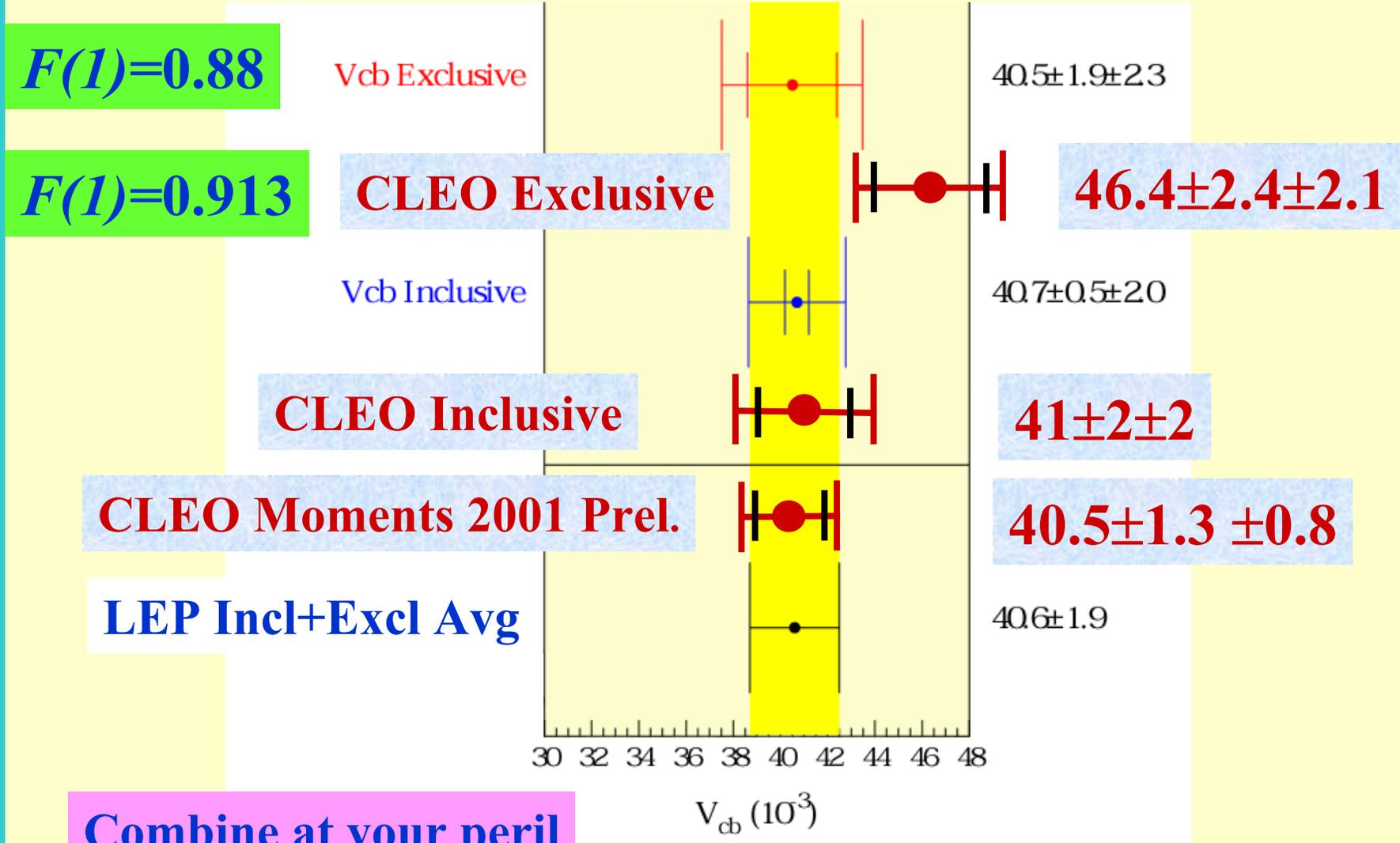
● $\Gamma(b \rightarrow cl\nu) = (0.427 \pm 0.020) \times 10^{-10}$ MeV

● $|V_{cb}| = (40.5 \pm 0.9 \pm 0.9 \pm 0.8) \times 10^{-3}$



3.7% total error

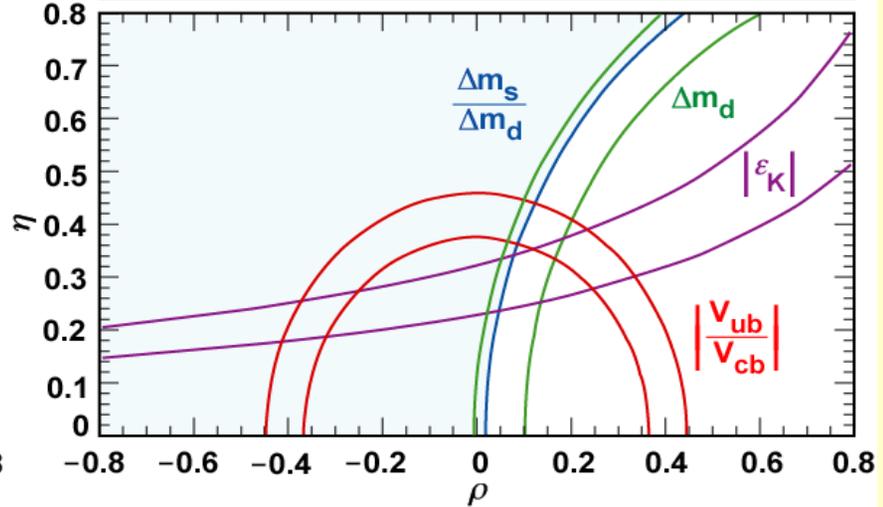
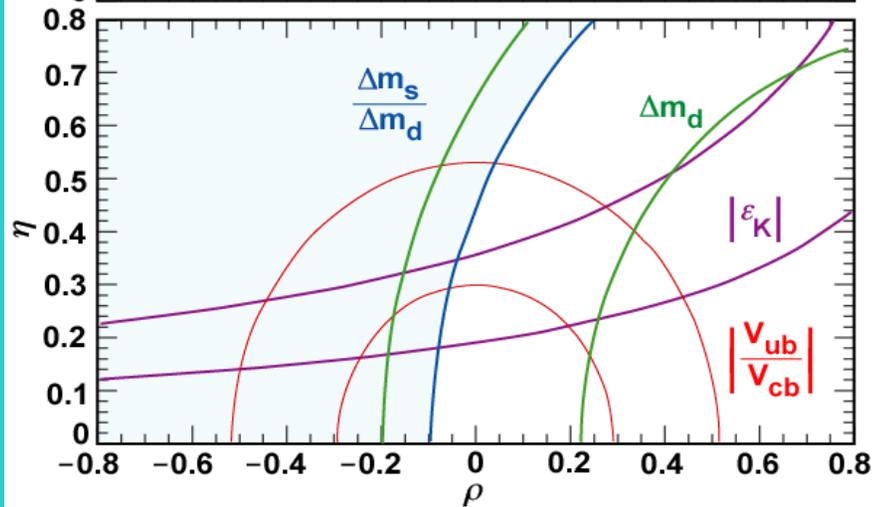
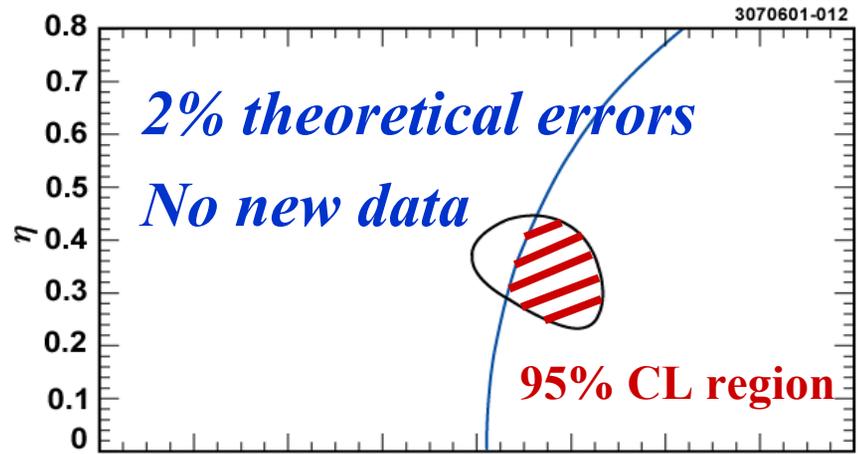
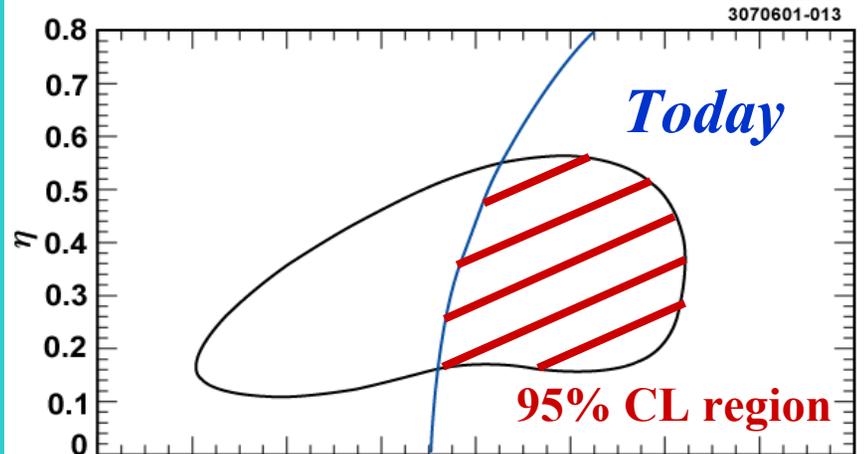
$|V_{cb}|$ Summary



What's next?

- **B-factories in 5 years: $\sim 0.5 \text{ ab}^{-1}$**
 - $\Rightarrow \sim 1/10$ statistical σ 's
 - D BR's become limiting to B -decay precision
 - Charm physics could become less precise than b -physics: need better V_{cd} & V_{cs}
- **Theoretical uncertainties dominate even now**
 - But Lattice QCD & models promise big improvements

Just imagine ...



The Role of CLEO-c

- **Modify CESR for $E_{cm}=3-11$ GeV: $L=2-4\times 10^{32}$**
- **High precision charm data**
 - Measure D BR's for input to B -decay studies
 - Establish successful precision testing ground of QCD for D 's to give credibility to those for B 's
- **High precision quarkonia spectroscopy & decay data at ψ & Υ resonances**
 - Provide much needed experimental basis for non-perturbative QCD tests. Glueballs/Hybrids?
- **Searches for non-SM phenomena in D -mixing, CPV in D decay, & rare decays**

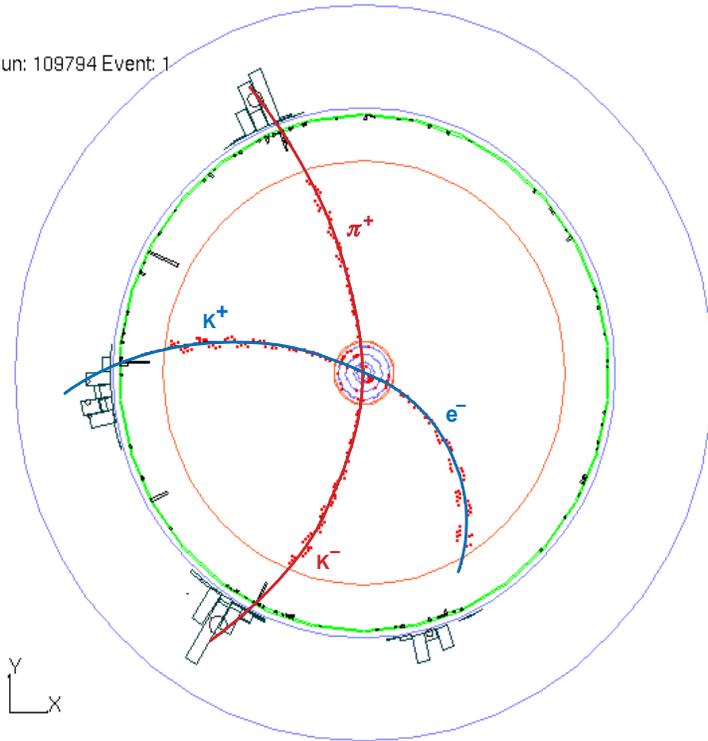
A CLEO-c Program

- $\Upsilon(1S), \Upsilon(2S), \Upsilon(3S) \sim 1-2 \text{ fb}^{-1}$ each
 - Spectroscopy, Matrix elements, $\Gamma_{ee}:(>10\times\text{world})$
- $\psi(3770) \text{ -- } 3 \text{ fb}^{-1}, 30\text{M events}$
 - 6M *tagged D* decays ($310 \times \text{Mark III}$)
- $\psi(4100) \text{ -- } 3 \text{ fb}^{-1}, 1.5\text{M } D_s \bar{D}_s$
 - 0.3M *tagged D_s* decays ($480\times\text{Mark III}, 130\times\text{BESII}$)
- $\psi(3100) \text{ -- } 1 \text{ fb}^{-1}, 10^9 \text{ J/ } \psi \text{ decays}$
 - ($170 \times \text{Mark III}, 20 \text{ times BES II}$)

Tagging at Threshold



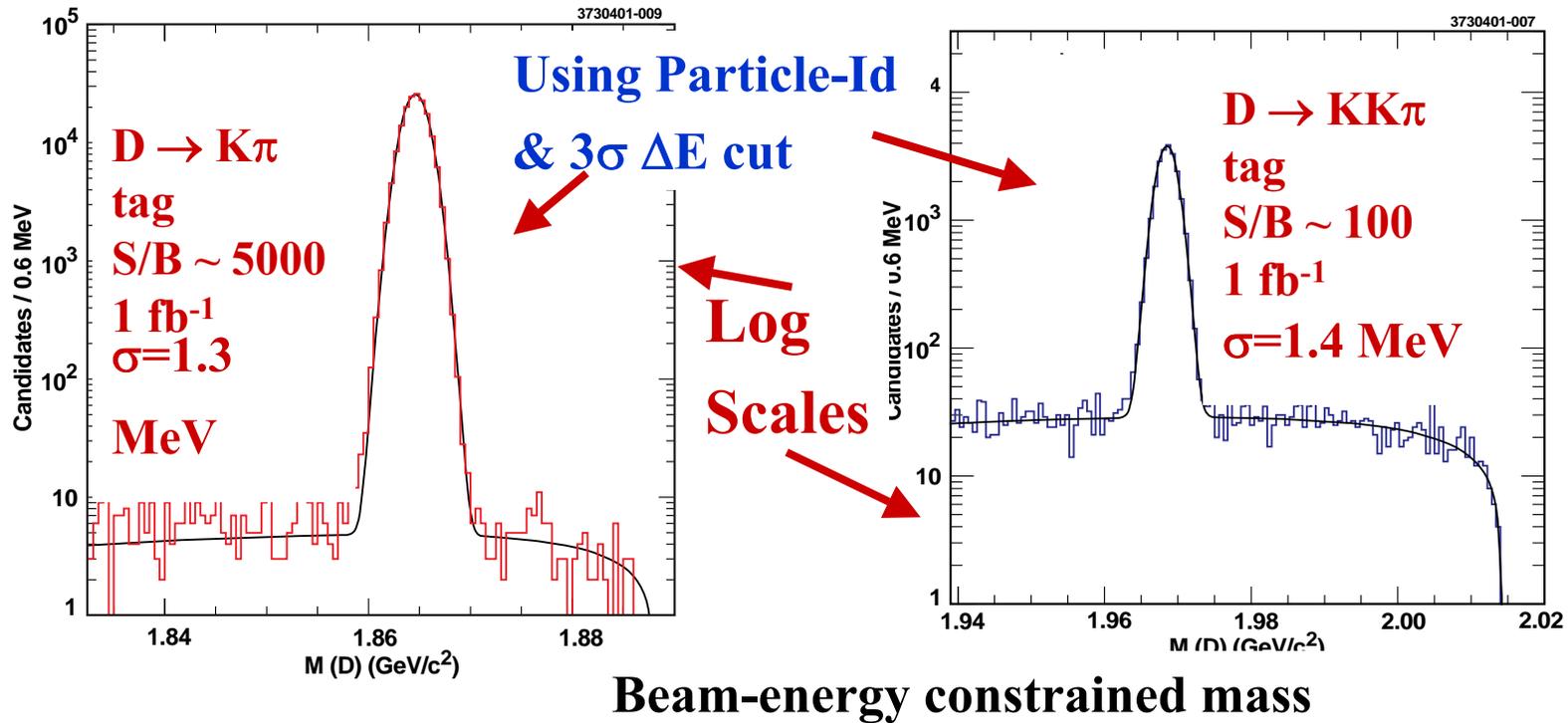
Run: 109794 Event: 1



CLEO-c MC

- Large σ
- Low multiplicity
- Pure $D\bar{D}$ init. State
- High recon. eff's $\sim 20\%$
- 6×10^6 D tags
- 0.3×10^6 D_s tags
- Almost no bgd
- Clean ν -reconst.
- Coherent init state

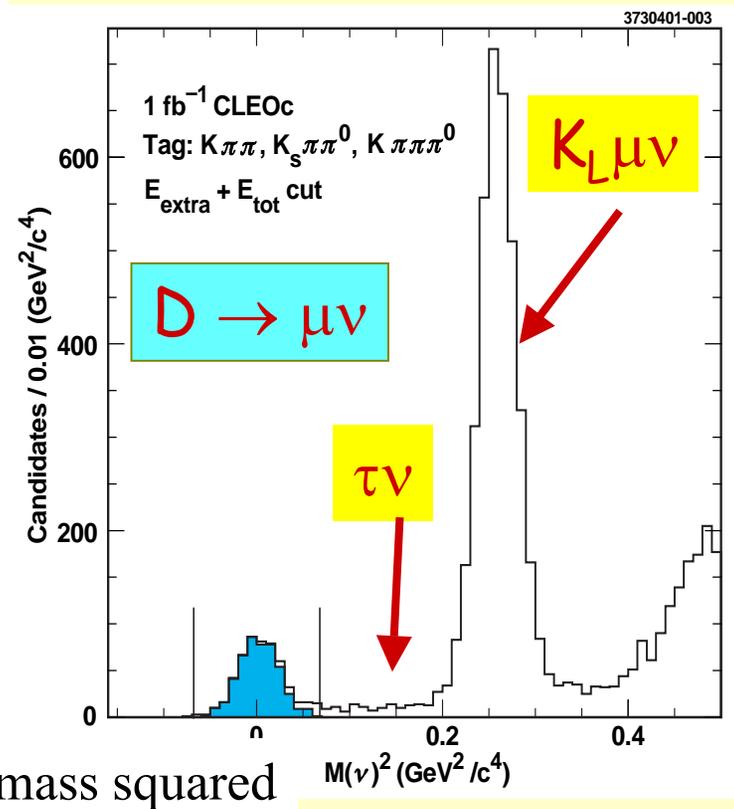
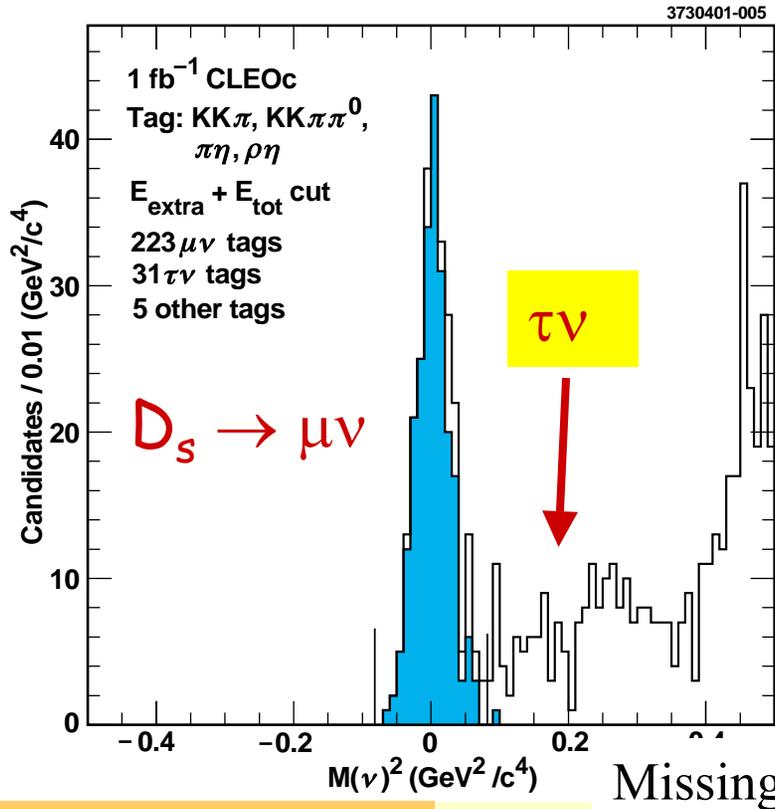
Tagged Branching Ratios



**Set absolute BR's
for $B \rightarrow "D"$**

Decay Mode	PDG2000 ($\delta B/B$ %)	CLEOc ($\delta B/B$ %)
$D^0 \rightarrow K\pi$	2.4	0.5
$D^+ \rightarrow K\pi\pi$	7.2	1.5
$D_s \rightarrow \phi\pi$	25	1.9

Leptonic Decays

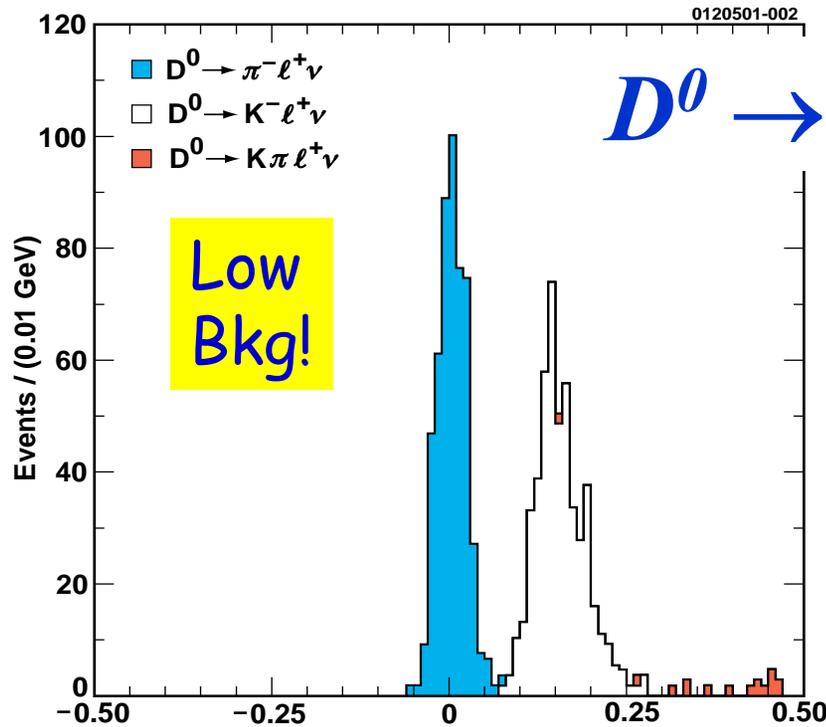


$$\frac{\delta f_{D_s}}{f_{D_s}} \approx 2.1\% \quad (\text{Now: } \pm 35\%)$$

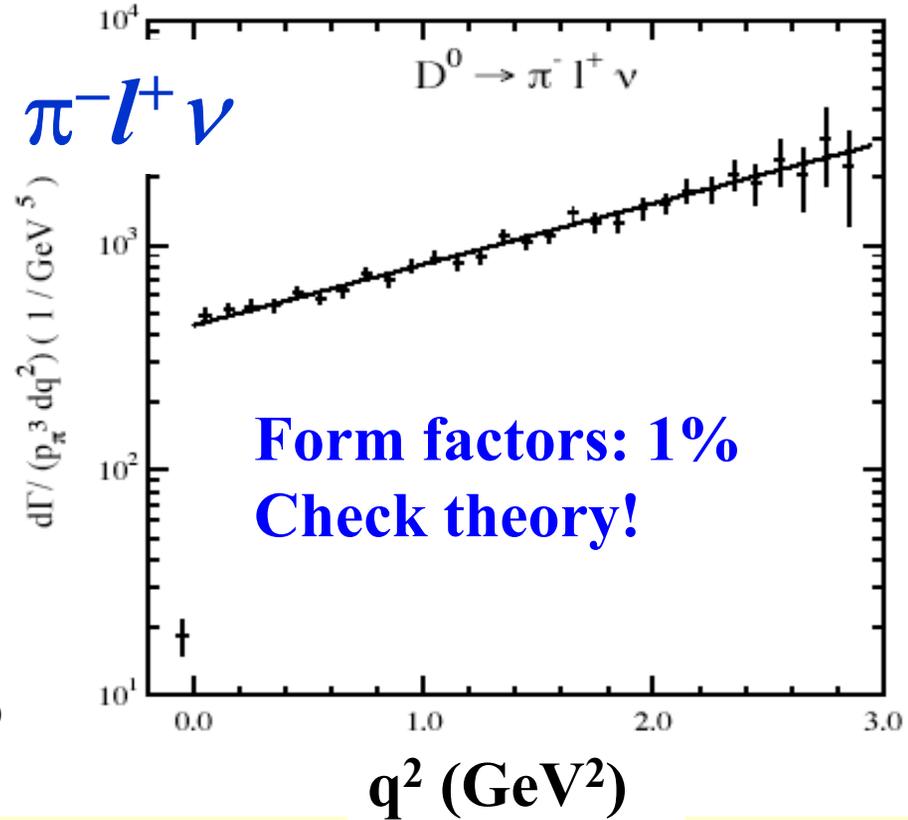
$$\frac{\delta f_D}{f_D} \approx 2.6\%$$

$$(\text{Now: } \pm 100\%)$$

Semi-leptonic Decays

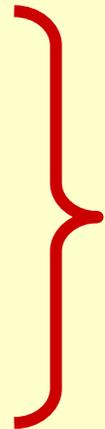


$$U = E_{\text{miss}} - P_{\text{miss}}$$



Semi-leptonic (cont'd)

Decay Mode	PDG2000 ($\delta B/B$ %)	CLEOc ($\delta B/B$ %)
$D^0 \rightarrow K l \nu$	5	1.6
$D^0 \rightarrow \pi l \nu$	16	1.7
$D^+ \rightarrow \pi l \nu$	48	1.8
$D_s \rightarrow \phi l \nu$	25	2.8
<i>Plus vector modes...</i>		



Systematics limited

V_{cd} , V_{cs} to $\sim 1.5\%$, ratio to $< 1\%$

Cancelling systematics

Other Experiments



● **BES/BEPC**

- CCSR-c higher luminosity than BEPC I or BEPC II
- BEPC II/BES III upgrade completion: after 2005
- Physics priorities in τ -charm region dictate E_{cm}

● ***B*-factories**

- Charm production not clean like at $D\bar{D}$ threshold
- Charm measurements will quickly become systematics limited
- D, D_s branching ratio errors 2-10 times smaller with CLEO-c than *B*-factories
- Very different systematics (a good thing)

CKM Conclusions

- ***B*-factory appetizers to be followed by full course meal: just wait a few weeks**
 - Major improvements in *B*-decay msmts. Surprises?
 - Treatment of theoretical uncertainties & global fitting techniques are active & important subjects of discussion
- **HQ models, LQCD will confront %-level *c* & *b* data in a few years: need accurate f_X , $F_X(w)$, B_X**
 - CLEO-c to provide precision *c*, ψ , Υ data
 - Better precision in *D* BR's necessary for $B \rightarrow DX$
 - Improve V_{cd} & V_{cs} to the 1% level
- %-level metrology of V_{CKM} & very high sensitivity to new physics attainable in ~5 yrs
- **Whither the SM? It should be fun finding out.**